

Biochemical Calculations

312 BCH

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Reference:

Biochemical calculations by Irwin H. Segel



Online copy: <http://site.iugaza.edu.ps/bzabut/wp-content/uploads/biochemical%20calculation.pdf>

Midterm dates

- **1st Midterm:**
 - 5th week, 4 / 2 / 2019
 - Time 12-1 pm.
- **2nd Midterm:**
 - 10th week, 11 / 3 / 2019
 - Time 12-1 pm.

Marks distribution

- **Midterm 1:** 15 marks (15%)
- **Midterm 2:** 20 marks (20%)
- **Lab:** 25 marks (25%)
- **Final exam:** 40 marks (40%)

Glassware

Bottles



Wide neck, amber, bottles; can be used for a wide range of light sensitive liquid or solid storage.



Reagent bottles



Narrow neck bottles; can be used for a wide range of liquid storage, media preparation and sampling applications.

Glassware continued



Media-lab bottles



Wash bottles

Glassware continued

Beakers



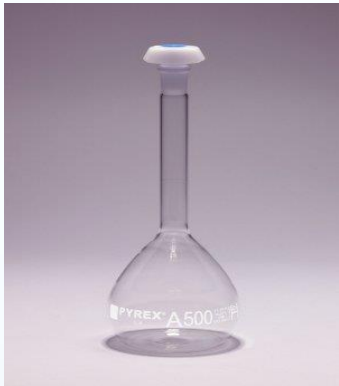
Conical shape beakers; ideally used for titrations and mixing application, these conical shape beakers are a cross between a standard beaker and conical flask.



Griffin beaker; is great for general laboratory use.

Glassware continued

Flasks



Volumetric flasks; are precision measuring instruments.



Boiling flasks



Distillation flasks



Cell culture flasks



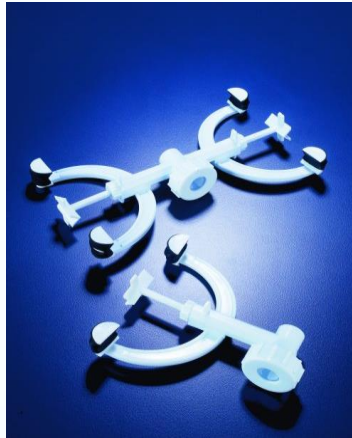
Erlenmeyer
Conical flasks

Glassware continued

Volumetric ware



Burette



Burette clamp



Cylinder



Mixing cylinder

Glassware continued

Test tubes



Test tubes



Test tubes with ground socket joint.



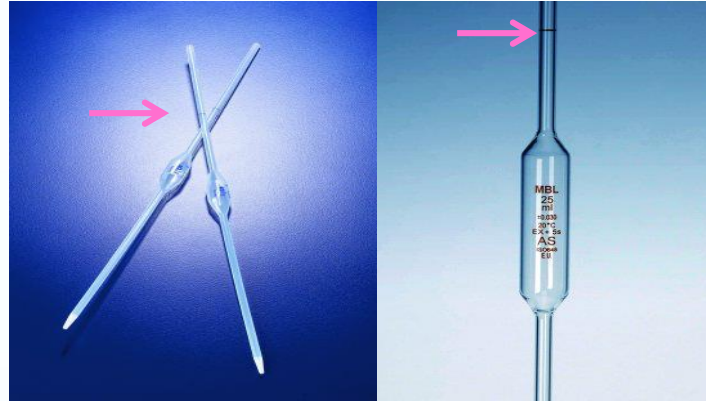
Culture Tubes



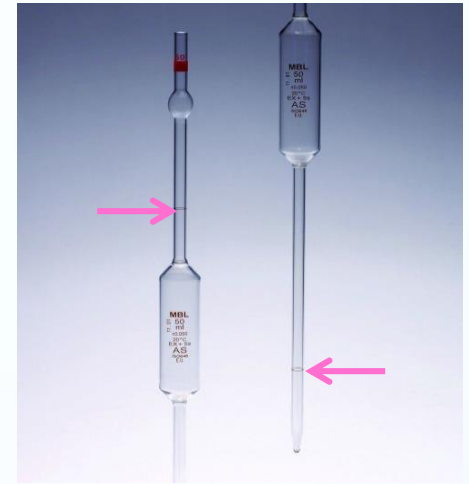
Centrifuge Tubes

Glassware continued

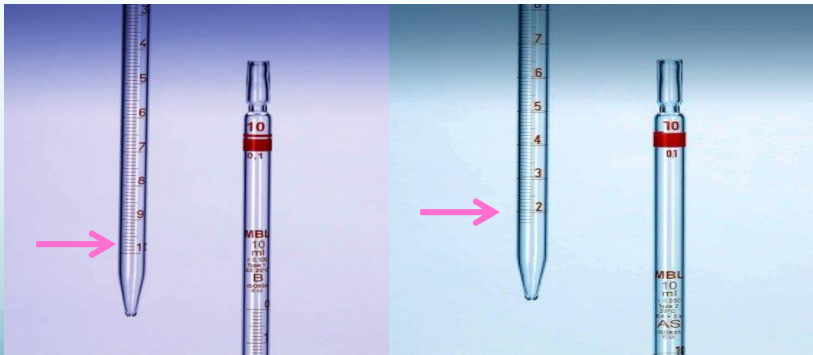
Pipettes



One mark pipette



Two mark pipette
with safety bulb
at top.



Type 1

Type 2

Graduated pipettes



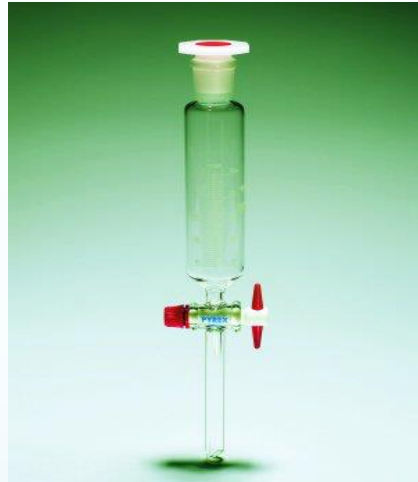
Pasteur Pipettes

Glassware continued

Funnels



Filter funnels



Dropping &
Separating Funnels



Buchner Funnels

Lab equipment



Petri dishes



Evaporating dishes



Vial Racks



pH meter



Balance



Ring Stand



Test Tube Clamp



Test Tube Rack

Lab equipment continued



Plates



Micropipettes



Multichannel micropipettes



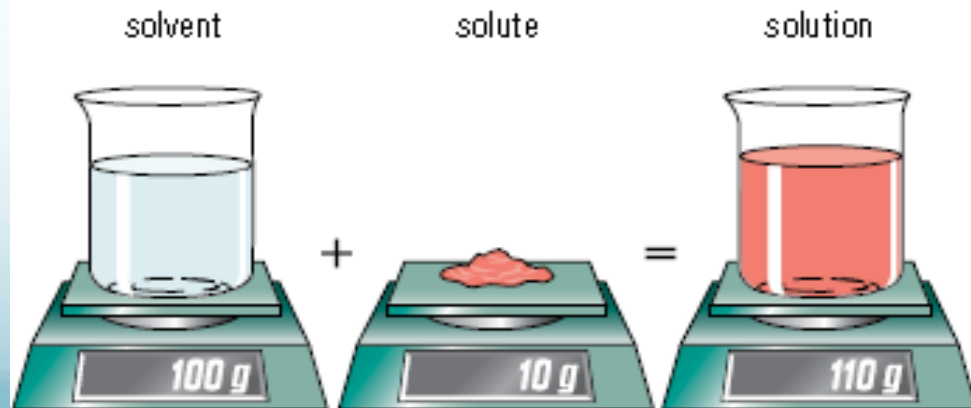
Tips



Eppendorf tubes

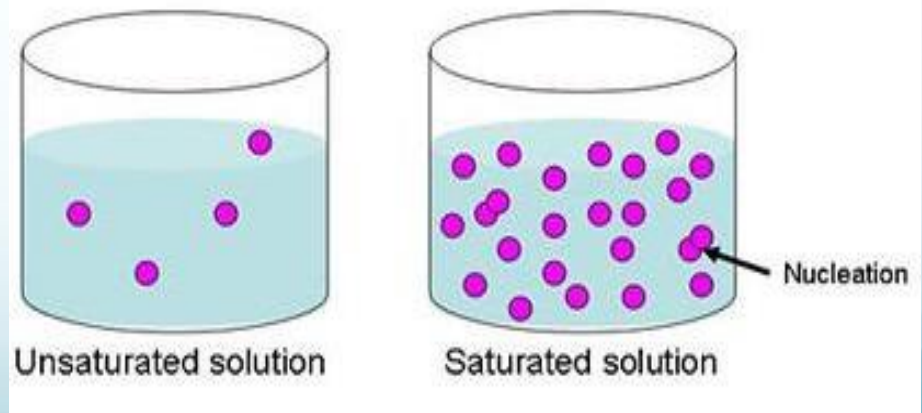
Solution Composition

- A **solute** is the substance being dissolved.
- A **solvent** is the liquid in which the solute is dissolved.
- A solute is dissolved in a solvent.
- An **aqueous solution** has water as solvent.



Aqueous Solution

- The majority of reactions occur in solutions.
- There are several ways to express the concentration of a substance in a solution based on:
 - The volume
 - The weight
 - Degree of saturation



Concentrations Based on Volume

Concentration based on volume

- Here the concentrations are based on the amount of dissolved solute per unit volume
- The calculations depending on volume include:
 - Molarity (M)
 - Normality (N)
 - Activity (a)
 - Weight/Volume percent (w/v %)
 - Volume/volume percent (v/v%)
 - Milligram percent (mg %)
 - Osmolarity (osm)

Avogadro's Number

- It is the number of molecules per mole of substance
- OR it is the number of atoms per gram-atom of substance
- OR it is the number of ions per g-ion of substance
- Avogadro's number = 6.023×10^{23}
- For example: 1 mole of water contains Avogadro's no. of 6.023×10^{23} molecules

1- Molarity

- Is the number of moles of solute per liter of solution

$$M = \frac{\text{No. of moles}}{\text{Volume of solution in L}}$$

- No. of moles = Wt_g / MWT (molecular weight)
- 1 mole contains Avogadro's number of molecules per liter (6.023×10^{23}).
- Molar concentrations are usually given in square brackets.
 - **Example:** $[H^+]$ = molarity of hydrogen ion
+
 $[NaOH]$ = molarity of Sodium Hydroxide

Examples

- A solution of NaCl had 0.8 moles of solute in 2 liters of solution. What is its molarity?

$$M = \frac{\text{no. of moles}}{\text{volume of solution in L}}$$

$$M = \frac{0.8}{2}$$

$$M = 0.4 \text{ molar}$$

Given values:

No. of moles = 0.8 mol

V = 2 L

M = ??

Examples

- How many grams of solid NaOH are required to prepared 500 ml of 0.04 M solution?

$$M = \frac{\text{no. of moles}}{\text{volume of solution in L}}$$

$$\text{no. of moles} = 0.04 \times 0.5$$

$$\text{no. of moles} = 0.02 \text{ mole}$$

$$\text{no. of moles} = \frac{\text{weight in gram}}{\text{molecular weight (MWT)}}$$

$$\text{MWT of NaOH} = 23 + 16 + 1 = 40$$

$$\text{Wt in grams} = \text{no. of moles} \times \text{MWT}$$

$$\text{wt in grams} = 0.02 \times 40$$

$$\text{wt in grams} = 0.8 \text{ grams}$$

Given values:

$$M = 0.04 \text{ M}$$

$$V = 500 \text{ ml} = 500 \div 1000 = 0.5 \text{ L}$$

Wt=??

2- Normality

- Is the number of equivalents of solute per liter of solution

$$N = \frac{\text{no. of equivalents}}{\text{volume of solution in L}}$$

$$\text{no. of equivalents} = \frac{\text{weight in gram}}{\text{Equivalent weight (EW)}}$$

$$\text{equivalent weight} = \frac{\text{MWT}}{n}$$

n = is the number of replaceable hydrogen (H^+ in **acids**) or hydroxyl ions (OH^- in **bases**) per molecule

OR

n = is the number of electrons gained or lost per molecule (in oxidizing or reducing agents)


Relationship between molarity and normality

$$N = \frac{\text{no. of equivalents}}{\text{volume of solution in L}}$$

$$N = \frac{\text{weight in gram}}{\text{Equivalent weight}} \quad / \text{volume of solution in L}$$

$$N = \frac{\text{weight in gram}}{\text{MWT} / n} \quad / \text{volume of solution in L}$$

$$N = \frac{\text{weight in gram} \times n}{\text{MWT}} \quad / \text{volume of solution in L}$$

 no of moles



$$N = n \times M$$

- For example: A 0.01 M solution of H_2SO_4 is 0.02 N

Example

What is the normality of H_2SO_4 solution that contains 24.5 g of solute in a total volume of 100 ml?

- $N = n \times M$
- $M = \text{No. of moles} / V_{(L)}$
- $\text{No. of moles} = \text{Wt}_g / \text{MWT}$
- $\text{MWT of } \text{H}_2\text{SO}_4 = 2 + 32 + (16 \times 4) = 98\text{g}$
- $\text{No. of moles} = 24.5 / 98$
- $\text{No. of moles} = 0.25 \text{ mole}$
- $M = \text{No. of moles} / V_{(L)}$
- $M = 0.25 / 0.1 = 2.5 \text{ molar}$
- $N = n \times M$
- $N = 2 \times 2.5 = 5 \text{ normal}$

Given values:

$$\text{Wt} = 24.5\text{g}$$

$$V = 100 \text{ ml} = 100 \div 1000 =$$

$$0.1 \text{ L}$$

$$n = 2$$

$$N = ??$$

Another way to solve it

- Normality (N) = No. of equivalents / $V_{(L)}$
- No. of equivalents = Wt_g of solute / equivalents weight (EW)
- EW = MWT of solute / n
- MWT of $H_2SO_4 = 2 + 32 + (16 \times 4) = 98$ g
- EW = $98 / 2 = 49$
- No. of equivalents = Wt_g of solute / equivalents weight (EW)
- = 24.5 g / $49 = 0.5$ eq
- Normality (N) = No. of equivalents / $V_{(L)}$
= $0.5 / 0.1 = 5$ Normal

3- Osmolarity

- It is the molarity of particles in a solution.

$$\text{Osmolarity} = n \times M$$

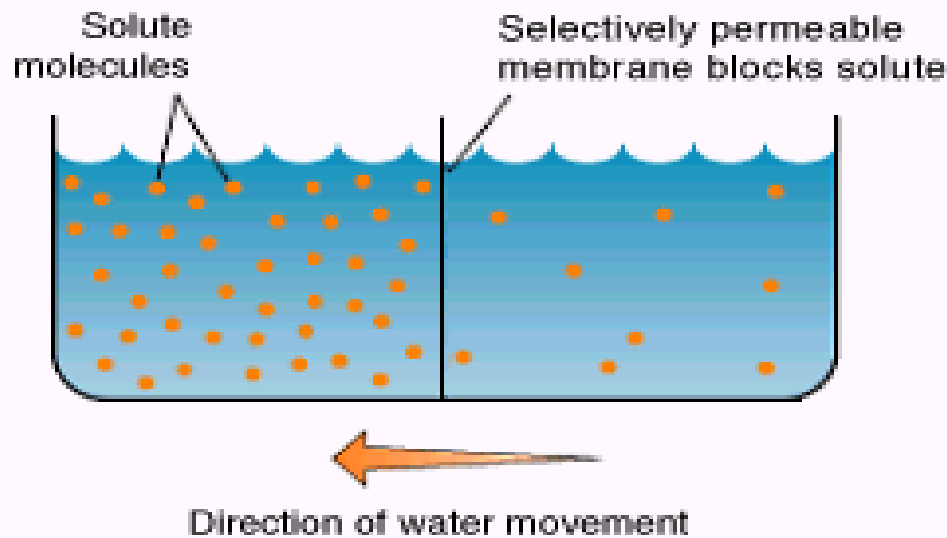
- *n is the number of ions (or dissociable particles) produced per molecule.*
- *A 1M solution of a non-dissociable solute is also 1 osmolar.*

- It is often considered in **physiological studies** where tissues or cells must be bathed in a solution of the same osmolarity as the cytoplasm in order to prevent the uptake or release of water.

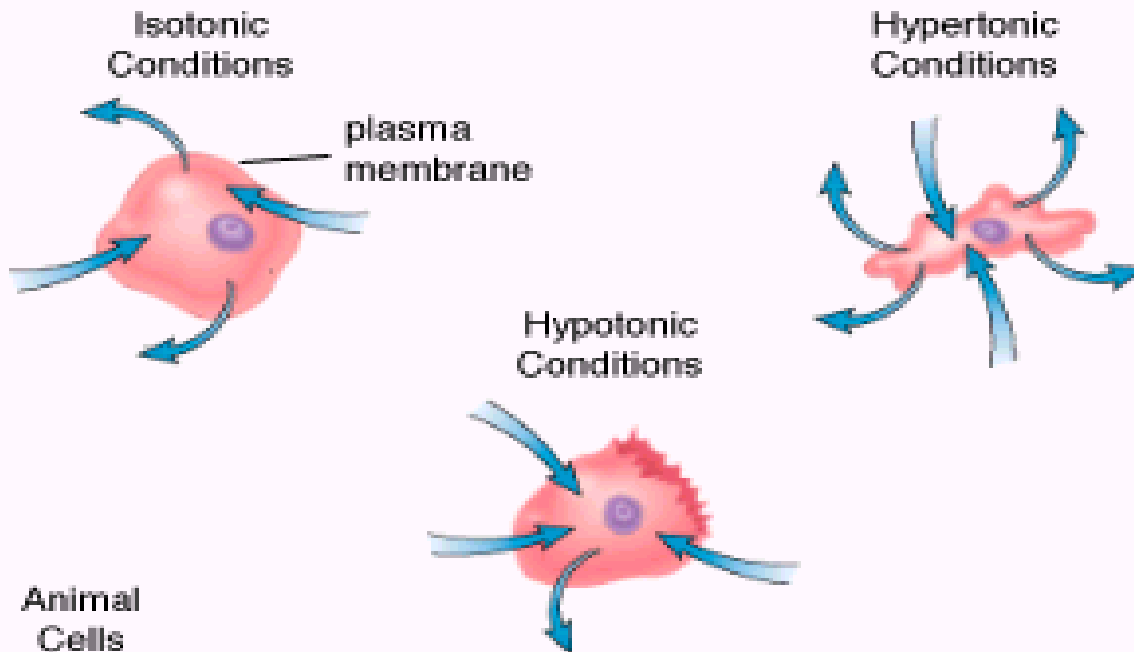
Isotonic solution

- **ISO** - means alike.
- **TONICITY** - refers to osmotic activity of body fluids; tells the extent that fluid will allow movement of water in & out of the cell.
- *Meaning* .. that the solutions on both sides of selectively permeable membrane have established **equilibrium**.

Osmosis



Osmosis is the diffusion of water across a membrane. Like other molecules, water will move from an area of high concentration to an area of low concentration. The more solute there is in a solution, the lower the concentration of water in that solution. There is terminology to describe concentration differences between two solutions. A solution with higher solute concentration is hypertonic relative to one with lower solute concentration. Conversely, a solution with lower solute concentration is hypotonic relative to one with higher solute concentration. If two solutions have the same concentration they are isotonic. Water will move from a hypotonic to a hypertonic solution.



Example (1)

- A solution of KCl that has a molarity of 0.03 M what is the osmolarity ?

Given values:

Molarity= 0.03 M

KCl is dissociable (K⁺, Cl⁻), → $n =$

2

Osmolarity =??

$$\text{Osmolarity} = M \times n$$

$$= 2 \times 0.03 = 0.06 \text{ Osmolar}$$

Example (2)

- When you want to study RBC and its osmolarity in the cytoplasm is 0.308 osmolar.
- What do you think the osmolarity of the *in vitro* solution should be?

Memorize

0.308 osmolar.

Red blood cells suspended in a 0.308 osmolar NaCl solution would neither shrink nor swell.

Example (3)

- Classify these solution in regards to the RBC osmolarity

1) 0.56 osmolar → Hypertonic

2) 0.21 osmolar → Hypotonic

3) 0.154 M NaCl → Isotonic

$$\text{osmolarity} = n \times M = 2 \times 0.154 = 0.308 \text{ osmolar}$$

4- Weight/Volume Percent (wt/v%)

- It is the weight in gram of a solute per **100 ml of solution**.

$$\text{wt/v \%} = \frac{\text{Wt in gram of solute}}{100 \text{ ml of solution}}$$

- It is often used for routine laboratory solutions where exact concentration *are not too important*.

5- Milligram Percent (mg%)

- It is the weight in *mg* of a solution per **100 ml of solution**.

$$\text{mg \%} = \frac{\text{Wt in mg of solute}}{100 \text{ ml of solution}}$$

- It is often used in clinical laboratories.
 - For example, a clinical blood sugar value of 255; means 255mg of glucose per 100 mg of blood serum.

6- volume / volume percent (v / v %)

- It is the volume in *ml* of a solute per 100 ml of solution.

Example

- A 0.04M solution of NaOH was prepared by the use of 0.8 g of NaOH and the total volume of the solution was 500 ml.
 - a. Express the concentration g/l.
 - b. W/V %.
 - c. mg%.
 - d. Osmolarity.
 - e. Normality.

Given values:

- Molarity = 0.04 M
- Wt = 0.8 g
- V = 500 ml → 0.5 L

a. Concentration as g/L.

Since 0.8g → 500 ml
? → 1000 ml (1L)

The weight of NaOH in **1L** = $(1000 \times 0.8)/500 = 1.6\text{gm}$

b. W/V%

= (Weight in gram solute)/(100ml of solution)

0.8 g → 500 ml
? → 100 ml

The weight of NaOH in **100 ml** = $(100 \times 0.8)/500 = 0.16\%$

c. mg%

= (weight in mg of solute)/(100 ml of solution)

Since $0.16\% \times 1000 = 160 \text{ mg}\%$

d. Osmolarity

*NaOH yields **two** particles (Na^+ and OH^-) per molecule*

$$\rightarrow O = n \times M = 2 \times 0.04 = 0.08 \text{ Osmolar}$$

e. Normality

*NaOH contains **one** OH per molecule*

$$\rightarrow N = n \times M = 1 \times 0.04 = 0.04 \text{ N}$$

Concentrations Based on Weight

Concentrations based on weight

- They include:
 - weight/weight percent (w/w%)
 - Molality (m)

weight/weight percent (w/w%)

- The weight in *g* of a solute per 100g of solution.

$$w/w\% = \frac{\text{no. of gram of solute}}{100\text{g of solution}}$$

- The concentration of many commercial acids are given in terms of w/w% → so, in order to calculate the volume of stock solution required for a given preparation you must know its *density* or

specific gravity

$P = \text{density} = \text{weight per unit volume}$

SG = specific gravity = density relative to water. Density of water is 1 g/ml,

SG is numerically equal to density.

Weight/weight % cont'ed

- The relationships between the weight, density, and % w/w can be combined into a single expression.

$$\text{wt}_g = \text{Vol}_{\text{ml}} \times P_{\text{g/ml}} \times \text{w/w } \%$$

Where:

wt_g = weight of pure substance required in g

Vol_{ml} = **volume of stock solution needed in ml (attention!!!)**

$\text{w/w}\%$ = fraction of total weight that is pure substance *as a decimal*

Example

Describe the preparation of 2 liters of a 0.4M HCl solution starting with a concentrated (stock) solution of HCl with 28% w/w%, the specific gravity is

1.1

$$wt_g = Vol_{ml} \times P_{g/ml} \times w/w \%$$

Given values:

Total volume = 2L

M = 0.4 M

w/w% = 28% → as decimal (÷100) =
0.28

$P = 1.15$

MW of HCl = 1+35.5 = 36.5 g/mole

First we must calculate the wt:

No. of moles of pure HCl needed = $M \times V = 0.4 \times 2 = 0.8$ moles

The weight in grams of pure HCl needed = no. of moles * MW = $0.8 * 36.5 = 29.2$ g

Apply the formula above:

$$29.2 = ? \times 1.15 \times 0.28 \rightarrow V = 90.7 \text{ ml}$$

So the volume of the stock HCl needed is 90.7ml and make up the volume to 2 liters with distilled water

Molality (m)

- It is the no. of moles of solute per **1000 g (1kg) of solvent**

$$m = \frac{\text{no. of moles of solute}}{1000 \text{ g of solvent}}$$

- Used in physical calculations (e.g., calculations of boiling point elevation)

Example (1)

- Calculate the molality of a concentrated HCl stock solution which has a 28% w/w%, S.G= 1.15.

Since the weight of solution = weight of solvent + weight of solute.

Thus, the weight of solvent = weight of solution - weight of solute.

$$= 100\text{g} - 28\text{ g} = 72\text{g}$$

MW of HCl = 1+35.5 = 36.5 g/mole

No. of moles of solute = 28 / 36.5 = 0.77 mole

0.77 mole of solute → in 72 g of solvent

? mole of solute → in 1000 g of solvent (*according to molality's definition*)

No. of moles of solute 1000 g of solvent = (0.77 * 1000) / 72

= 10.69 moles → **The molality is 10.69m**

Example (2)

- What is the molality if you had 2 moles of solute dissolved into 1 L of solvent

1 liter of solvent is equal to 1000 g (1Kg) of solvent

{when the density (specific gravity) is not given}

$$\rightarrow m = 2 / 1 = 2 \text{ m}$$

Mole Fraction

- also called *molar fraction*, is the number of moles of solute as a proportion of the total number of moles in a solution
- **Example:** in a sol. containing n_1 moles of compound 1, n_2 moles of compound 2, n_3 moles of compound 3 , the mole fraction of compound 2 equals:


$$MF_2 = n_2 / (n_1 + n_2 + n_3)$$

Example

- Calculate the mole fraction of concentrated HCl solution 28 w/w %

No. of moles = wt / Mwt

In 100 g of solution :

$$28 \text{ g HCl} / 36.5 = 0.767 \text{ moles of HCl}$$

And

$$72 \text{ g H}_2\text{O} / 18 = 4 \text{ moles of H}_2\text{O}$$

$$MF_{\text{HCl}} = 0.767 / (0.767 + 4) = 0.161$$