

# كل عام وأنتن بخير



اسم المقرر : إحصاء عام

رمزه : عرض ٢٦١

المستوى : الثالث

كلية علوم الحاسب والمعلومات

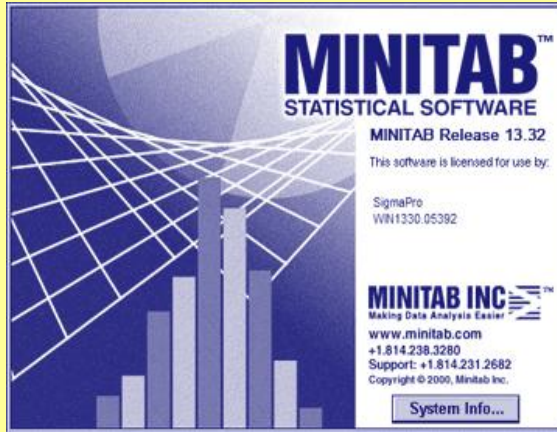


# References



**Walpole, R. E., Myers, R. H., and S. L. Myers (2007), Probability and Statistics for Engineers and Scientists, 8<sup>th</sup> ed., Prentice-Hall, Inc., Upper Saddle River, New Jersey.**

# Program



د. محمود هندی، د. خلف سلطان،  
مفاهيم لطرق التحليل الإحصائي ،  
مكتبة الرشدة ٢٠٠٤ .

# *The first lecture*



**We will examine in this lecture :**

- **Definition of Statistics.**
- **The difference between the population and the sample.**
- **Branches of Statistics.**
- **Displaying data.**

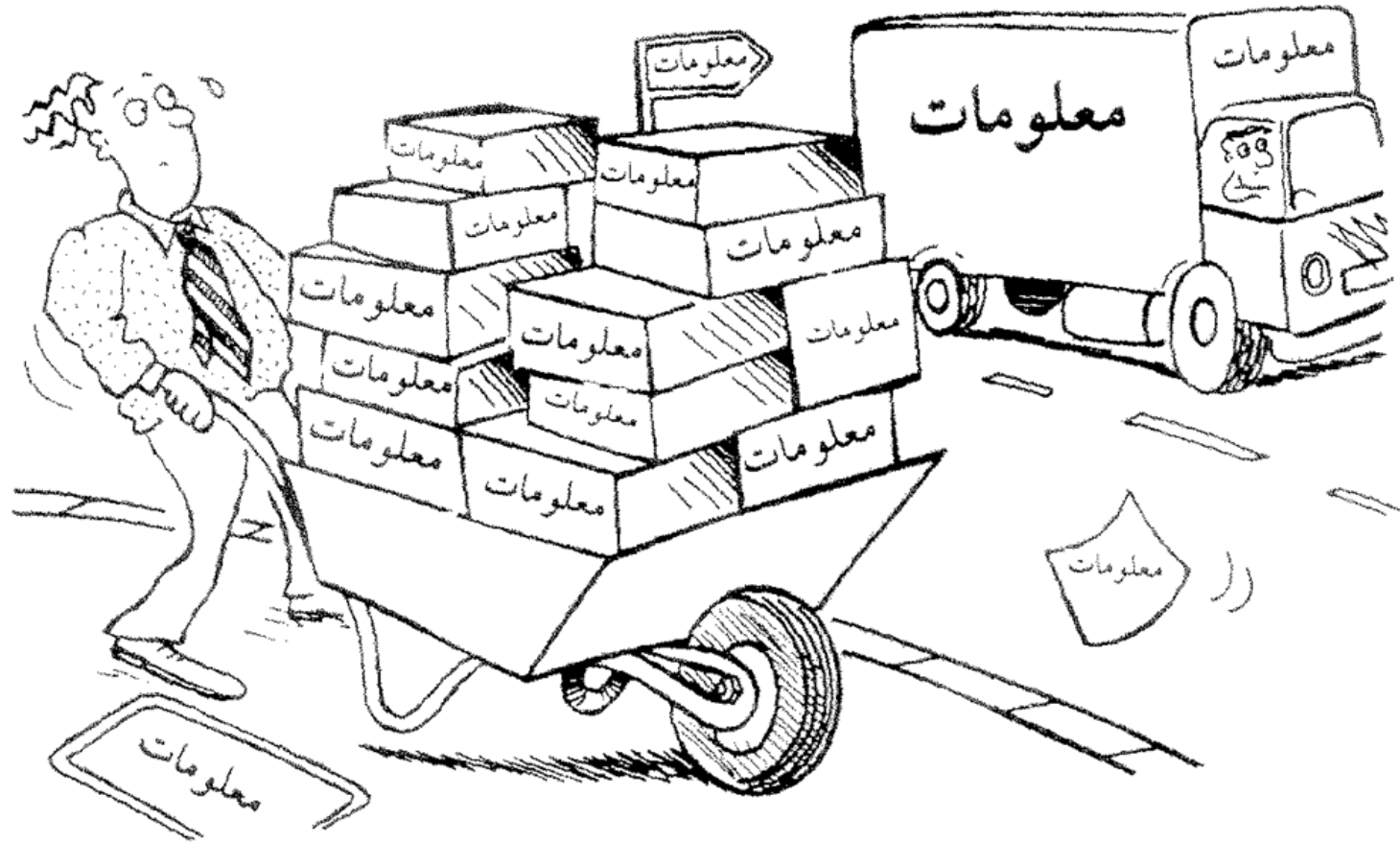
# Introduction to Statistics



## **The reasons for the appearance of Statistics:**

- **Census community.**
- **Inventory of the wealth of individuals.**
- **Data on births, deaths and production and consumption.**

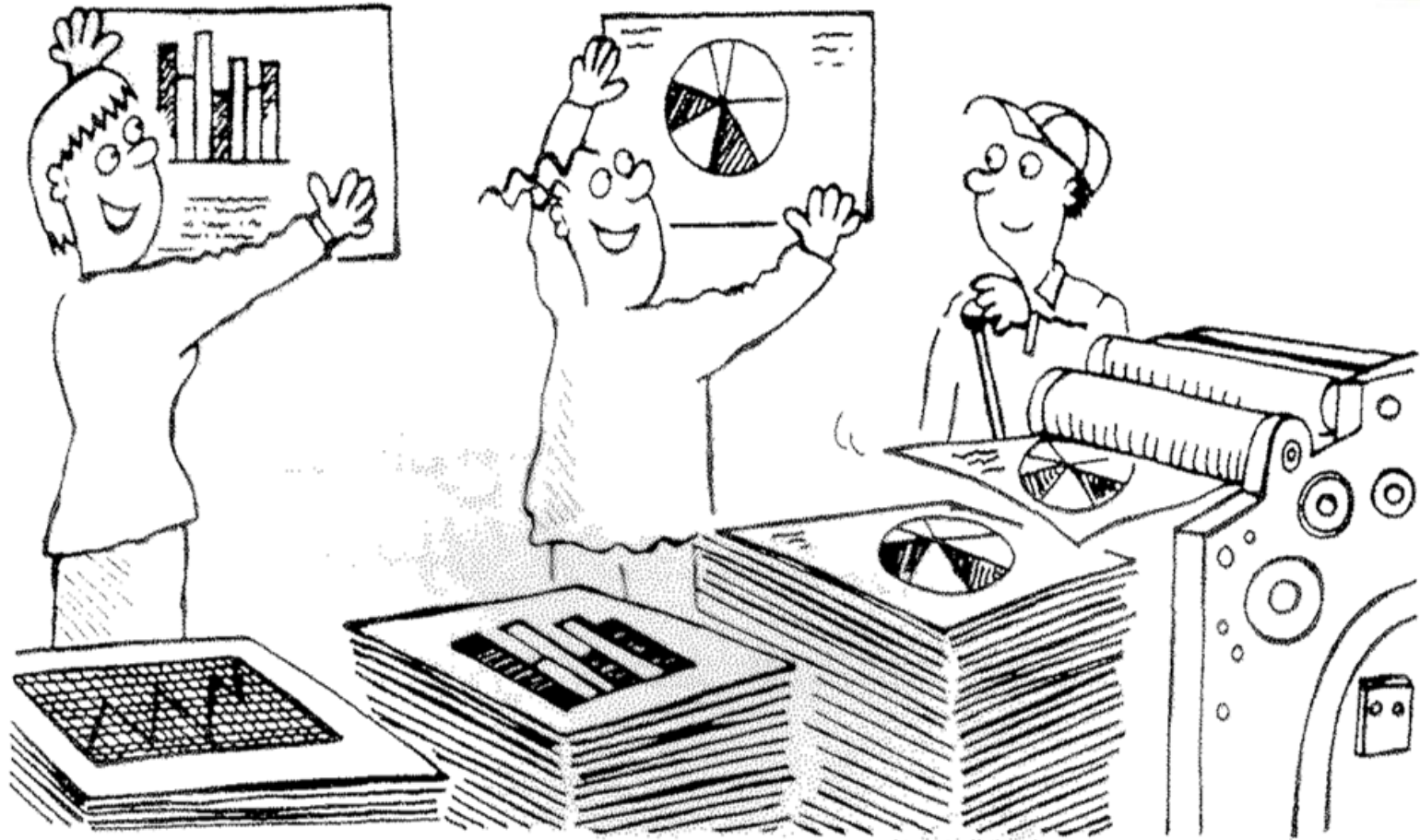
# Collection



# Organization

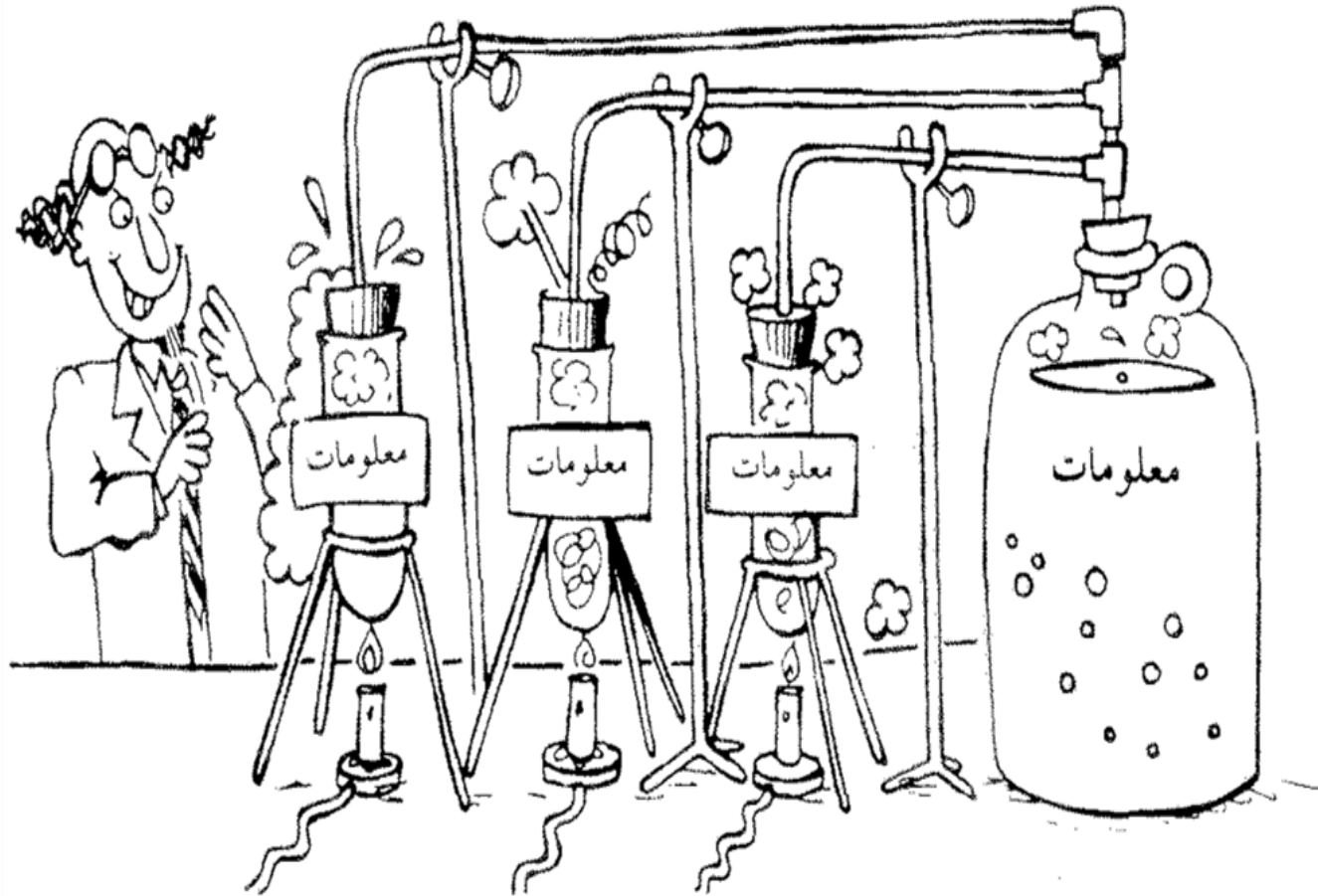


# Representation





# Analysis of data



# Drawing of inferences



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# Definition statistics



**Statistics** is a science of collecting , organizing , analyzing and interpreting data in order to make decisions.



# Basic Definitions

# Definition of a population



A **population** is the collection of all outcomes, responses, measurements, or counts that are of interest.

# Types of a population



**Finite population:** the total number of its observations is a finite number.

- The number of students in computer science college.
- The number of cards in a deck.

**Infinite population:** the total number of its observations is an infinite number.

- The number of stars in sky.
- The observations obtained by measuring the atmospheric pressure every day from the past on into the future .

# Definition of a sample



A **sample** is a subset of a population that is representative of the population.

# Reasons draw a sample, rather than study a population



- We can not study the population :huge, destinations.
- Preservation from loss
- Less cost.
- Save time.
- More inclusive.
- More accuracy.



# Branches of Statistics



**Descriptive statistics** is the branch of statistics that involves the organization, summarization, and display of data.

**Statistical inference** is the branch of statistics that involves using a sample to draw conclusions about a population.

# Definition of data



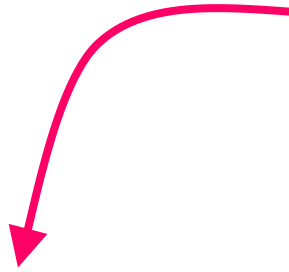
**Data** consist of information coming from observations, counts, measurement, or responses. The singular for data is datum.

## Types of data

- 1. Quantitative data:** it can be measured in the usual sense like length, weight , and age.
- 2. Qualitative data:** it cannot be measured in the usual sense but it can be ordered or ranked. for example:marital status,blood group and eye color



# Descriptive statistics



Class Intervals	Frequency
50-59	3
60-69	5
70-79	18
80-89	16
90-99	8
Total	50

51	95	70	74	73	90	71	74	90	67
91	72	83	89	50	80	72	84	85	69
62	82	87	76	91	76	87	75	78	79
71	96	81	88	64	82	73	57	86	70
80	81	75	85	74	90	83	66	77	91

# Organization Data



**We will learn how to creat:**

- **Frequency table.**
- **Relative frequency table.**
- **Percentage frequency table.**

## Example (1):

the following data represent the level of 60 students in a course:



D	B	E	C	D	B	D	C	E	A
B	E	C	D	B	D	D	A	E	C
C	D	A	C	E	D	C	C	D	B
D	E	D	D	A	D	D	C	D	C
D	A	B	D	B	D	C	D	C	E
D	B	C	C	E	D	C	C	D	A

## Example (2):

the following data represent the marks of 50 students in a course:



51 95 70 74 73 90 71 74 90 67

91 72 83 89 50 80 72 84 85 69

62 82 87 76 91 76 87 75 78 79

71 96 81 88 64 82 73 57 86 70

80 81 75 85 74 90 83 66 77 91

# Definition of frequency table (frequency distribution)



A **frequency distribution** is a table that shows **classes** or **intervals** of data entries with a count of the number of entries in each class. The **frequency  $f$**  of a class is a number of data entries in the class.





# Organization qualitative data

## Example (1):

the following data represent the level of 60 students in a course:



D	B	E	C	D	B	D	C	E	A
B	E	C	D	B	D	D	A	E	C
C	D	A	C	E	D	C	C	D	B
D	E	D	D	A	D	D	C	D	C
D	A	B	D	B	D	C	D	C	E
D	B	C	C	E	D	C	C	D	A



<b>Level</b>	<b>tally</b>	<b>frequency</b>
<b>A</b>		
<b>B</b>		
<b>C</b>		
<b>D</b>		
<b>E</b>		
<b>Total</b>		

## Example (1):

the following data represent the level of 60 students in a course:



D	B	E	C	D	B	D	C	E	A
B	E	C	D	B	D	D	A	E	C
C	D	A	C	E	D	C	C	D	B
D	E	D	D	A	D	D	C	D	C
D	A	B	D	B	D	C	D	C	E
D	B	C	C	E	D	C	C	D	A



<b>Level</b>	<b>tally</b>	<b>frequency</b>
<b>A</b>		6
<b>B</b>		
<b>C</b>		
<b>D</b>		
<b>E</b>		
<b>Total</b>		

## Example (1):

the following data represent the level of 60 students in a course:



D	B	E	C	D	B	D	C	E	A
B	E	C	D	B	D	D	A	E	C
C	D	A	C	E	D	C	C	D	B
D	E	D	D	A	D	D	C	D	C
D	A	B	D	B	D	C	D	C	E
D	B	C	C	E	D	C	C	D	A



<b>Level</b>	<b>tally</b>	<b>frequency</b>
<b>A</b>		6
<b>B</b>		8
<b>C</b>		
<b>D</b>		
<b>E</b>		
<b>Total</b>		



<b>Level</b>	<b>tally</b>	<b>frequency</b>
<b>A</b>		6
<b>B</b>		8
<b>C</b>		16
<b>D</b>		22
<b>E</b>		8
<b>Total</b>		60



# Table(1): frequency table



<b>Level</b>	<b>frequency</b>
<b>A</b>	6
<b>B</b>	8
<b>C</b>	16
<b>D</b>	22
<b>E</b>	8
<b>Total</b>	60



**Table(1): frequency table**

<b>Level</b>	<b>A</b>	<b>B</b>	<b>C</b>	<b>D</b>	<b>E</b>	<b>Total</b>
<b>frequency</b>	6	8	16	22	8	60



# Organization quantitative data



## Example (2):

the following data represent the marks of 50 students in a course:

51 95 70 74 73 90 71 74 90 67

91 72 83 89 50 80 72 84 85 69

62 82 87 76 91 76 87 75 78 79

71 96 81 88 64 82 73 57 86 70

80 81 75 85 74 90 83 66 77 91

# Frequency distribution for quantitative data



For large samples, we can't use the simple frequency table to represent the data.

We need to divide the data into groups or intervals or classes.

So, we need to determine:

- First step :the number of intervals ( $k$ ).
- Second step :the range ( $R$ ).
- Third step :the Width of the interval ( $w$ ).

# The number of intervals (k)



**A small number of intervals are not good because information will be lost.**

**A large number of intervals are not helpful to summarize the data.**

**A commonly followed rule is that  $5 \leq k \leq 20$  or the following formula may be used,  $k=1+3.322 (\log n)$ .**

**We select 5 intervals in our example.**

# The range (R)



**It is the difference between the maximum and the minimum observation (entries) in the data set.**

**$R = \text{the maximum entry} - \text{the minimum entry}$**

$$\begin{aligned} R &= 96 - 50 \\ &= 46 \end{aligned}$$



## Example (2):

the following data represent the marks of 50 students in a course:

51 95 70 74 73 90 71 74 90 67

91 72 83 89 50 80 72 84 85 69

62 82 87 76 91 76 87 75 78 79

71 96 81 88 64 82 73 57 86 70

80 81 75 85 74 90 83 66 77 91



# The range (R)



**It is the difference between the maximum and the minimum observation(entries) in the data set.**

$$R = X_{\max} - X_{\min}$$

$$R = 96 - 50$$
$$= 46$$

# The Width of the interval ( $w$ )



**Class intervals generally should be of the same width. Thus, if we want  $k$  intervals, then  $w$  is chosen such that  $w \geq R/k$ .**

$$w = \frac{46}{5} = 9.4 \approx 10$$

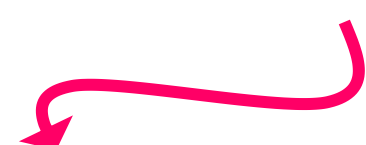
## **Forth step:**

**Choose the minimum observation to be the lower limit of the first interval and add the width of interval to get the lower limit of the second interval and so on**

**the lower limit of the second interval**  
 **$50+10=60$**



**the lower limit of the third interval**  
 **$60+10=70$**



**the lower limit of the fourth interval**  
 **$70+10=80$**



**the lower limit of the fifth interval**  
 **$80+10=90$**



**Fifth step:**

**To find the upper limit of any interval add the following to the lower limit of interval :**

$$W-1=10-1$$

$$=9$$

**the upper limit of first interval**

$$50+9=59$$

**the upper limit of second interval**

$$60+9=69$$

**the upper limit of third interval**

$$70+9=79$$

**the upper limit of fourth interval**

$$80+9=89$$

**the upper limit of fifth interval**

$$90+9=99$$



<b>Class interval</b>	<b>tally</b>	<b>frequency</b>
50-59		
60-69		
70-79		
80-89		
90-99		
<b>Total</b>		

## Example (2):

the following data represent the marks of 50 students in a course:



51	95	70	74	73	90	71	74	90	67
91	72	83	89	50	80	72	84	85	69
62	82	87	76	91	76	87	75	78	79
71	96	81	88	64	82	73	57	86	70
80	81	75	85	74	90	83	66	77	91



<b>Class interval</b>	<b>tally</b>	<b>frequency</b>
50-59		3
60-69		
70-79		
80-89		
90-99		
<b>Total</b>		

## Example (2):

the following data represent the marks of 50 students in a course:



51	95	70	74	73	90	71	74	90	67
91	72	83	89	50	80	72	84	85	69
62	82	87	76	91	76	87	75	78	79
71	96	81	88	64	82	73	57	86	70
80	81	75	85	74	90	83	66	77	91





<b>Class interval</b>	<b>tally</b>	<b>frequency</b>
50-59		3
60-69		5
70-79	 	18
80-89	 	16
90-99		8
<b>Total</b>		50

# Table(2): frequency table of students' marks



<b>Class interval</b>	<b>frequency</b>
50-59	3
60-69	5
70-79	18
80-89	16
90-99	8
<b>Total</b>	<b>50</b>



**Table(2): frequency table of students' marks**

<b>Class interval</b>	50-59	60-69	70-79	80-89	90-99	<b>Total</b>
<b>frequency</b>	3	5	18	16	8	50

# Definition of the true class intervals



**the true lower unit = the lower limit - 0.5**

**the true upper unit = the upper limit + 0.5**



<b>Class interval</b>	<b>True class interval</b>	<b>frequency</b>
50-59	<b>49.5-59.5</b>	3
60-69	<b>59.5-69.5</b>	5
70-79	<b>69.5-79.5</b>	18
80-89	<b>79.5-89.5</b>	16
90-99	<b>89.5-99.5</b>	8
<b>Total</b>		50

# Definition of the Mid-interval (Midpoints)



**the Mid-interval(Midpoints)**

**=(the lower limit+ the upper limit)/2**

$$\frac{69.5 + 59.5}{2}$$

$$\frac{59.5 + 49.5}{2}$$



<b>True class interval</b>	<b>Midpoints</b>	<b>frequency</b>
49.5-59.5	54.5	3
59.5-69.5	64.5	5
69.5-79.5	74.5	18
79.5-89.5	84.5	16
89.5-99.5	94.5	8
<b>Total</b>		50

# Definition of the relative frequency



**the relative frequency of interval = the frequency of interval / the sum of frequencies (n)**



# the relative frequency table



<b>Class interval</b>	<b>frequency</b>	<b>the relative frequency</b>
50-59	3	<b>0.06</b>
60-69	5	<b>0.10</b>
70-79	18	<b>0.36</b>
80-89	16	<b>0.32</b>
90-99	8	<b>0.16</b>
<b>Total</b>	50	<b>1</b>

$$\frac{3}{50}$$

$$\frac{5}{50}$$

1

# Definition of the percentage frequency



**the percentage frequency = the relative  
frequency  $\times 100$**



# the percentage frequency table

Class interval	the relative frequency	the percentage frequency
50-59	0.06	<b>6</b>
60-69	0.10	<b>10</b>
70-79	0.36	<b>36</b>
80-89	0.32	<b>32</b>
90-99	0.16	<b>16</b>
<b>Total</b>	1	<b>100</b>

$0.06 \times 100$

$0.10 \times 100$

100



<b>Class interval</b>	<b>True class interval</b>	<b>Midpoints</b>	<b>frequency</b>	<b>the relative frequency</b>	<b>the percentage frequency</b>
50-59	49.5-59.5	54.5	3	0.06	6
60-69	59.5-69.5	64.5	5	0.10	10
70-79	69.5-79.5	74.5	18	0.36	36
80-89	79.5-89.5	84.5	16	0.32	32
90-99	89.5-99.5	94.5	8	0.16	16
<b>Total</b>			50	1	100

# Example



<b>Class interval</b>	<b>frequency</b>
16-20	100
21-25	122
26-30	900
31-35	207
36-40	795
41-45	568
46-50	322

**Find from the table:**

- **The Width of the interval**
- **The midpoints**
- **True class intervals**
- **The relative frequency of intervals.**
- **The percentage frequency of intervals.**



**In these lecture we  
create:**

- **frequency table**
- **the percentage frequency table**
- **the relative frequency table**

**Summary of lecture**