



مقدمة مبسطة في لغة R مع تطبيقات إحصائية

Introduction to R Language with Statistical Applications

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Exercise(1)



مثال : حساب بعض التكاملات :

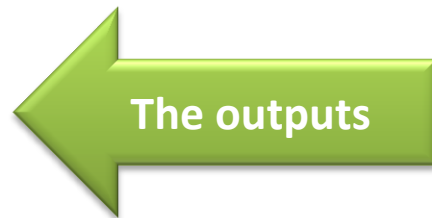
$$\int_0^{\infty} r e^{-r*x} dx$$

```
> r<- 0.5
> f<- function (x) {r*exp(-r *x)}
> integrate(f, lower=0, upper= 5)#P(x<5):x~exp(r)
0.917915 with absolute error < 1e-14
> integrate(f, lower=0, upper= Inf)
1 with absolute error < 3.4e-05
```



Exercise (2)

```
> fix(multiana)
> x1<-c(1,2,3,4,4,4,5,6,7,8,9,9,10)
> x2<-c(3,4,5,6,7,7,7,8,8,10,10,10,10)
> fix(multiana)
> multiana(x1,x2)
```



```
multiana - R Editor
function(x, y)
{
  z<-cbind(x, y)
  par(mfrow=c(2, 3))

  hist(x, col="red")
  hist(y, col="black")
  barplot(y, col="green")
  boxplot(x,y, col="pink")
  plot(x, y)

  summary(x)
  summary(y)

  fit<-lm(x~y)
  abline(fit)
  print(cor.test(x, y))
  summary(fit)
}
```

Pearson's product-moment correlation

The outputs



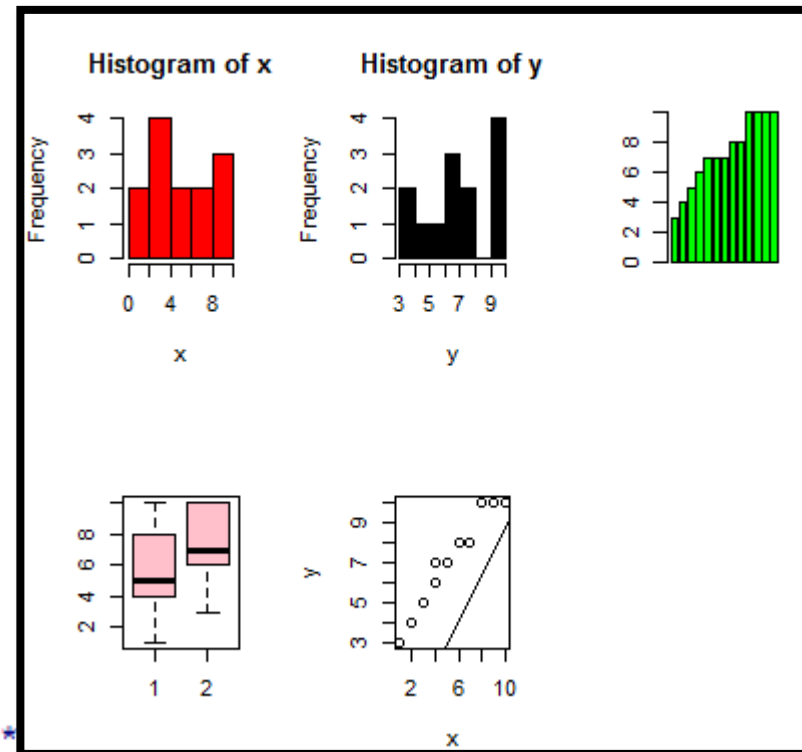
```
data: x and y
t = 12.933, df = 11, p-value = 5.369e-08
alternative hypothesis: true correlation is not equal to 0
95 percent confidence interval:
 0.8957386 0.9908234
sample estimates:
      cor
0.9686551
```

```
Call:
lm(formula = x ~ y)
```

```
Residuals:
      Min       1Q   Median       3Q      Max
-1.1751 -0.3560  0.1866  0.3675  1.2823
```

```
Coefficients:
              Estimate Std. Error t value Pr(>|t|)
(Intercept) -3.09101    0.69860  -4.425  0.00102 **
y            1.18088    0.09131  12.933 5.37e-08 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
Residual standard error: 0.7461 on 11 degrees of freedom
Multiple R-squared:  0.9383,    Adjusted R-squared:  0.9327
F-statistic: 167.3 on 1 and 11 DF,  p-value: 5.369e-08
```



Exercise (3)



```
> multi.tests<-function(x,y) {}  
> fix(multi.tests)  
> x1<-c(1,2,3,4,4,4,5,6,7,8,9,9,10)  
> x2<-c(3,4,5,6,7,7,7,8,8,10,10,10,10)  
> multi.tests(x1,x2)
```



```
multi.tests - R Edi...  
function(x,y)  
{  
  z<-cbind(x,y)  
  
  print(apply(z,2, mean))  
  
  cor.test(x,y)  
  
  print(t.test(x,mu=6))  
  print(t.test(x,y))  
}
```

The outputs



```
x      y
5.538462 7.307692
```

One Sample t-test

```
data: x
t = -0.57869, df = 12, p-value = 0.5735
alternative hypothesis: true mean is not equal to 6
95 percent confidence interval:
 3.800738 7.276186
sample estimates:
mean of x
 5.538462
```

Welch Two Sample t-test

```
data: x and y
t = -1.7151, df = 23.116, p-value = 0.0997
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -3.9025692  0.3641076
sample estimates:
mean of x mean of y
 5.538462  7.307692
```

Exercise (4)



If $x \sim N(0,1)$

find:

$P(-1.96 < x < 1.96)$,

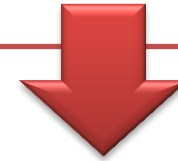
$P(-2.16 < x < 0)$

$P(x < 3)$

$P(x < 0)$

$P(x > 0)$

الافضل بناء الدالة التي تعرف دالة
احتمال التوزيع الطبيعي القياسي
ليتم استدعائها عند حدود التكامل
المختلفة



```
inte - R Editor
function(a,b)
{
f<- function(x){1/(sqrt(2*pi))*exp(-x^2/2)}
print(integrate(f, lower=a, upper=b))
}
```



هنا تم استدعاء الدالة عند الحدود
المختلفة، وتظهر النتائج أسفل كل استدعاء

```
> inte<-function(a,b) {}  
> fix(inte)  
> inte(-1.96, 1.96)  
0.9500042 with absolute error < 1e-11  
> inte(-2.16, 0)  
0.4846137 with absolute error < 5.4e-15  
> inte(-Inf, 3)  
0.9986501 with absolute error < 3.2e-05  
> inte(-Inf, 0)  
0.5 with absolute error < 4.7e-05  
> inte(0, Inf)  
0.5 with absolute error < 4.7e-05  
> |
```