

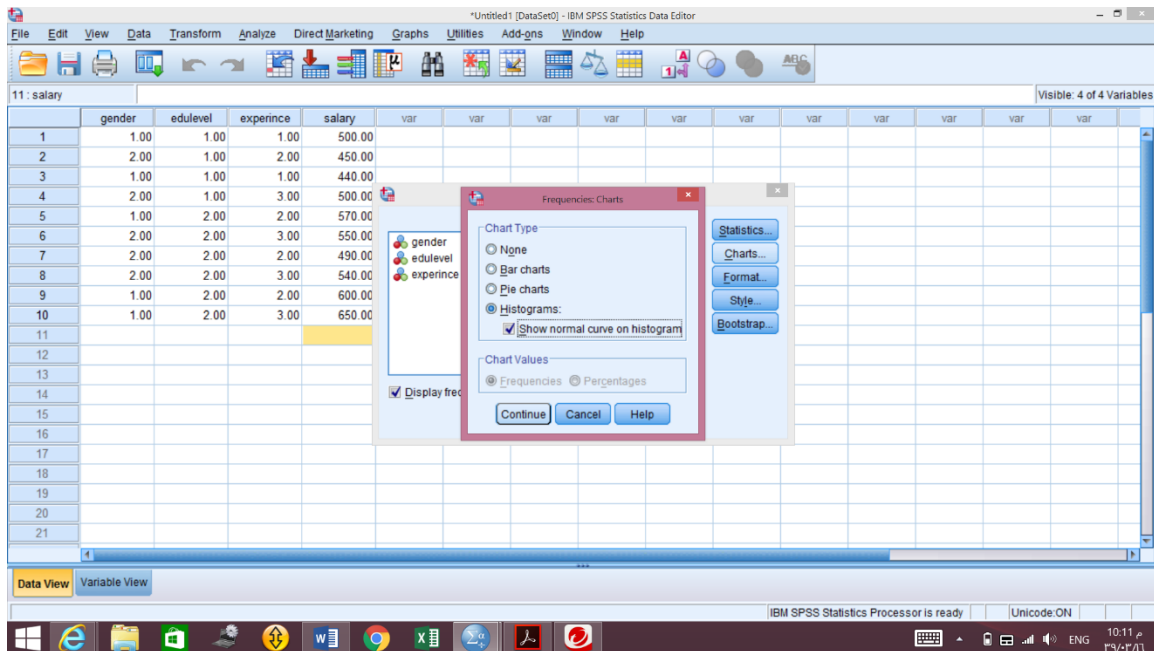
استخدام الخيار Frequencies لحساب المقاييس الإحصائية والجداول التكرارية

11: salary

	gender	edulevel	experince	salary
1	1.00	1.00	1.00	500.00
2	2.00	1.00	2.00	450.00
3	1.00	1.00	1.00	440.00
4	2.00	1.00	3.00	500.00
5	1.00	2.00	2.00	570.00
6	2.00	2.00	3.00	550.00
7	2.00	2.00	2.00	490.00
8	2.00	2.00	3.00	540.00
9	1.00	2.00	2.00	600.00
10	1.00	2.00	3.00	650.00
11				
12				
13				
14				
15				
16				
17				
18				
19				
20				
21				

11: salary

	gender	edulevel	experince	salary
1	1.00	1.00	1.00	500.00
2	2.00	1.00	2.00	450.00
3	1.00	1.00	1.00	440.00
4	2.00	1.00	3.00	500.00
5	1.00	2.00	2.00	570.00
6	2.00	2.00	3.00	550.00
7	2.00	2.00	2.00	490.00
8	2.00	2.00	3.00	540.00
9	1.00	2.00	2.00	600.00
10	1.00	2.00	3.00	650.00
11				
12				
13				
14				
15				
16				
17				
18				
19				
20				
21				

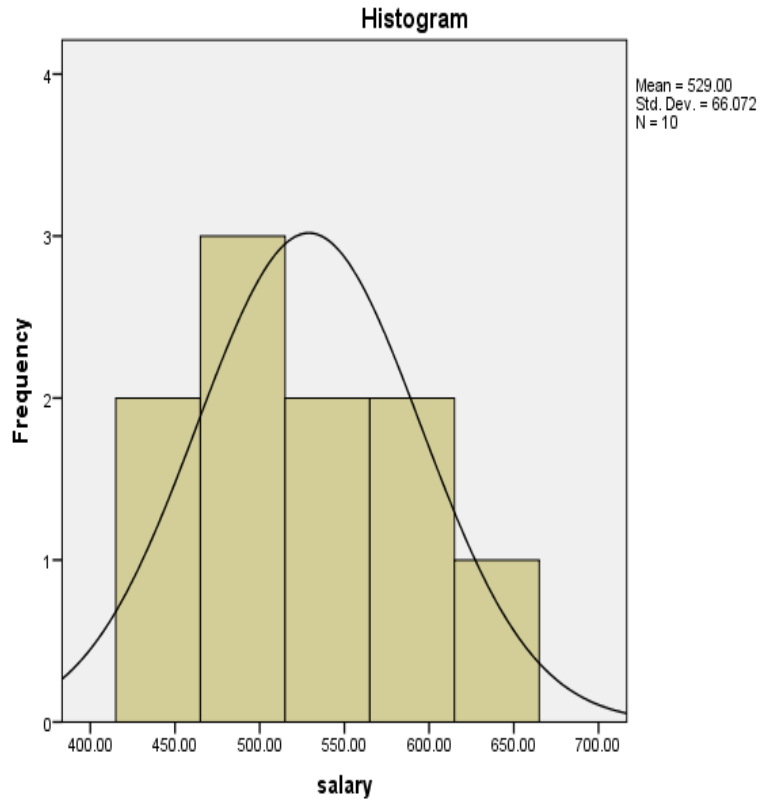


Frequencies

Statistics

salary

N	Valid	10
	Missing	0
Mean		529.0000
Median		520.0000
Mode		500.00
Std. Deviation		66.07235
Variance		4365.556
Skewness		.435
Std. Error of Skewness		.687
Kurtosis		-.351-
Std. Error of Kurtosis		1.334
Range		210.00
Minimum		440.00
Maximum		650.00
Sum		5290.00
Percentiles	25	480.0000
	50	520.0000
	75	577.5000



		salary			
		Frequency	Percent	Valid Percent	Cumulative Percent
Valid	440.00	1	10.0	10.0	10.0
	450.00	1	10.0	10.0	20.0
	490.00	1	10.0	10.0	30.0
	500.00	2	20.0	20.0	50.0
	540.00	1	10.0	10.0	60.0
	550.00	1	10.0	10.0	70.0
	570.00	1	10.0	10.0	80.0
	600.00	1	10.0	10.0	90.0
	650.00	1	10.0	10.0	100.0
Total	10	100.0	100.0		

استخدام الخيار descriptive لحساب المقاييس الإحصائية

The image shows two screenshots of the IBM SPSS Statistics Data Editor interface. The top screenshot shows the 'Analyze' menu with 'Descriptive Statistics' expanded, and 'Descriptives...' selected. The bottom screenshot shows the 'Descriptives' dialog box with 'salary' selected as the variable and the 'Descriptives: Options' dialog box open, showing various statistical options.

Descriptives: Options

- Mean Sum
- Dispersion**
 - Std. deviation Minimum
 - Variance Maximum
 - Range S.E. mean
- Distribution**
 - Kurtosis Skewness
- Display Order**
 - Variable list
 - Alphabetic
 - Ascending means
 - Descending means

Buttons: Continue, Cancel, Help

Q2)

For a sample of 10 fruits from thirteen-year-old acidless orange trees, the fruit shape (determined as adiameter divided by height) wae measured [Shaheen and Hamouda (1984b)]:
1.066 1.084 1.076 1.051 1.059 1.020 1.035 1.052 1.046 0.976

Assuming that fruit shapes are approximately normally distributed, find and interpret a 90% confidence interval for the average fruit shape.

to use the T- test, we need to make sure that the population follows a normal distribution
[REDACTED] i.e.

H_0 : the population follows a normal distribution

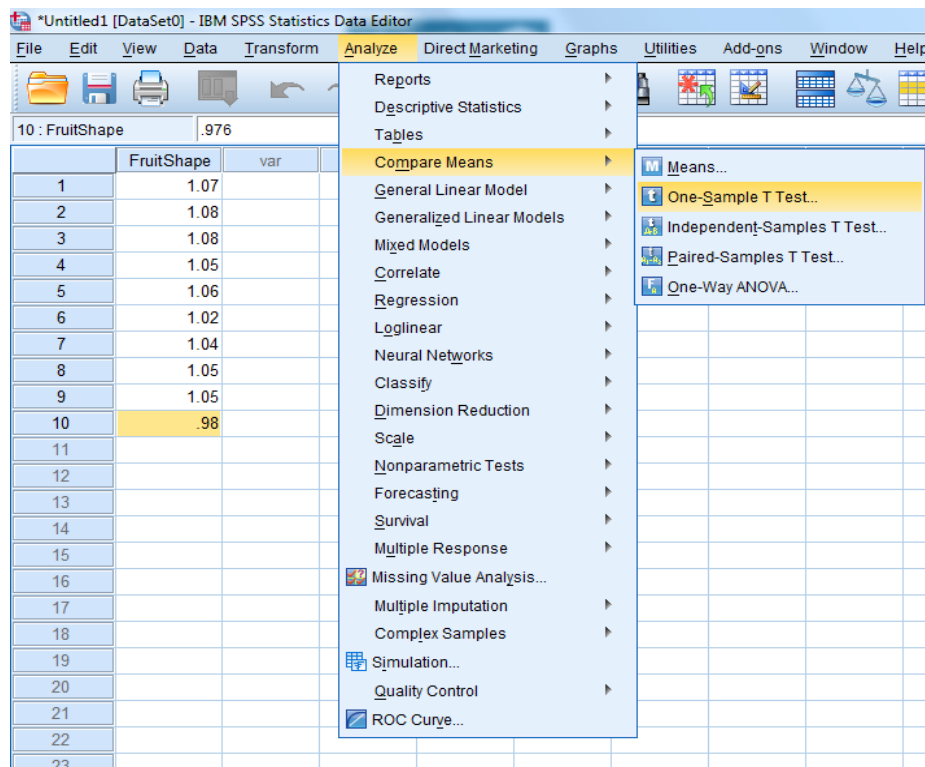
Vs

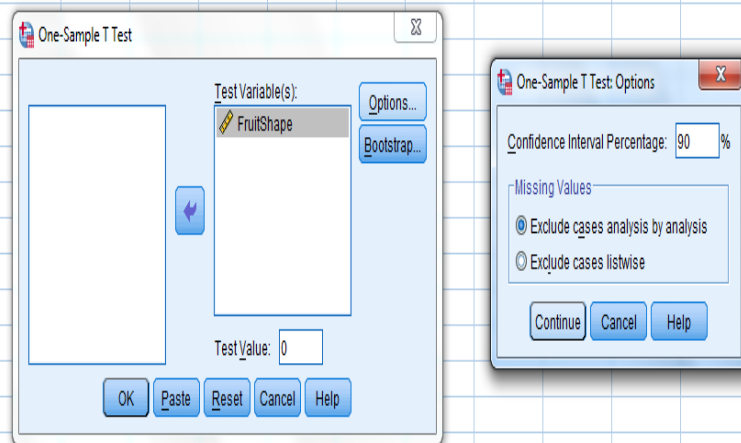
H_1 : the population does not follow a normal distribution

However, we find the question he said that the population follows a normal distribution, so is not necessary to make this test.

Now, 90% Confidence interval of the mean can be found in two ways:

1) The first method:





→ **T-Test**

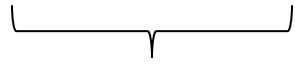
[DataSet0]

One-Sample Statistics

	N	Mean	Std. Deviation	Std. Error Mean
FruitShape	10	1.0465	.03103	.00981

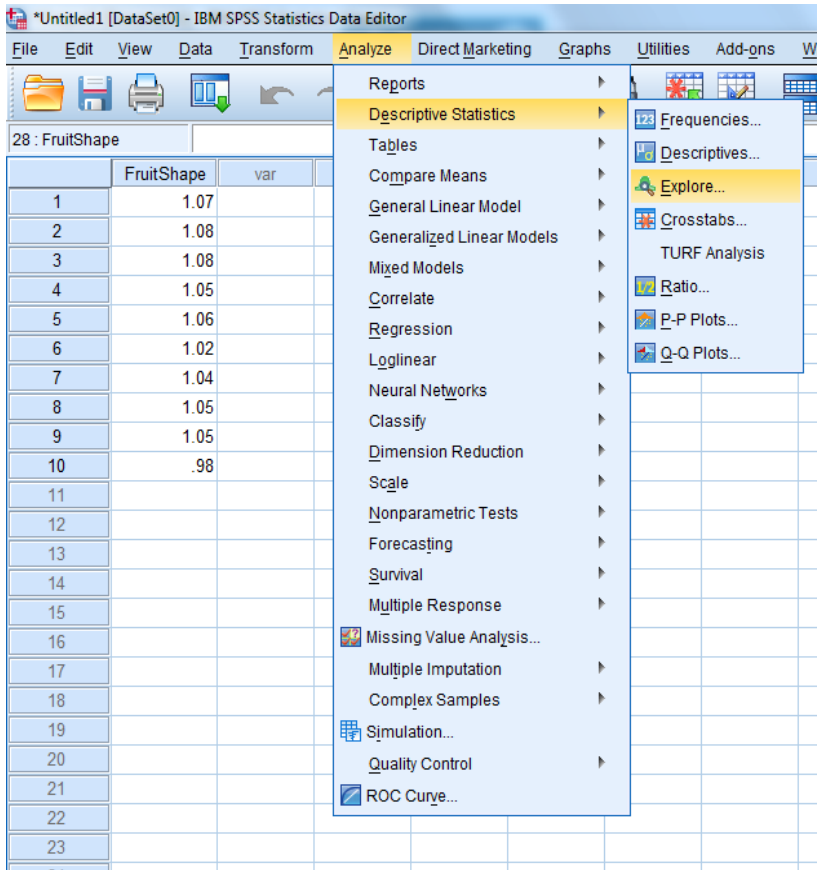
One-Sample Test

	Test Value = 0					
	t	df	Sig. (2-tailed)	Mean Difference	90% Confidence Interval of the Difference	
					Lower	Upper
FruitShape	106.632	9	.000	1.04650	1.0285	1.0645

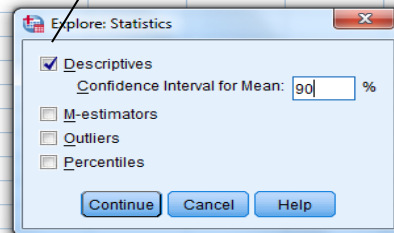
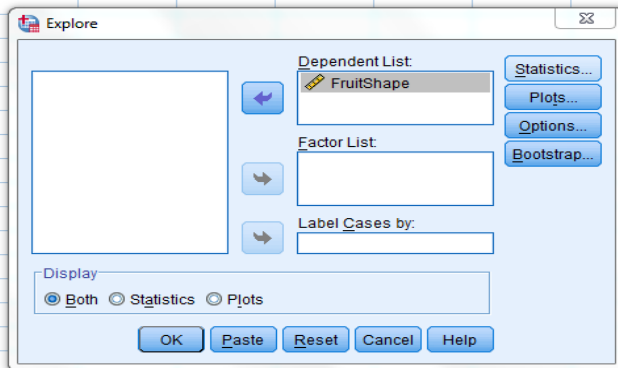


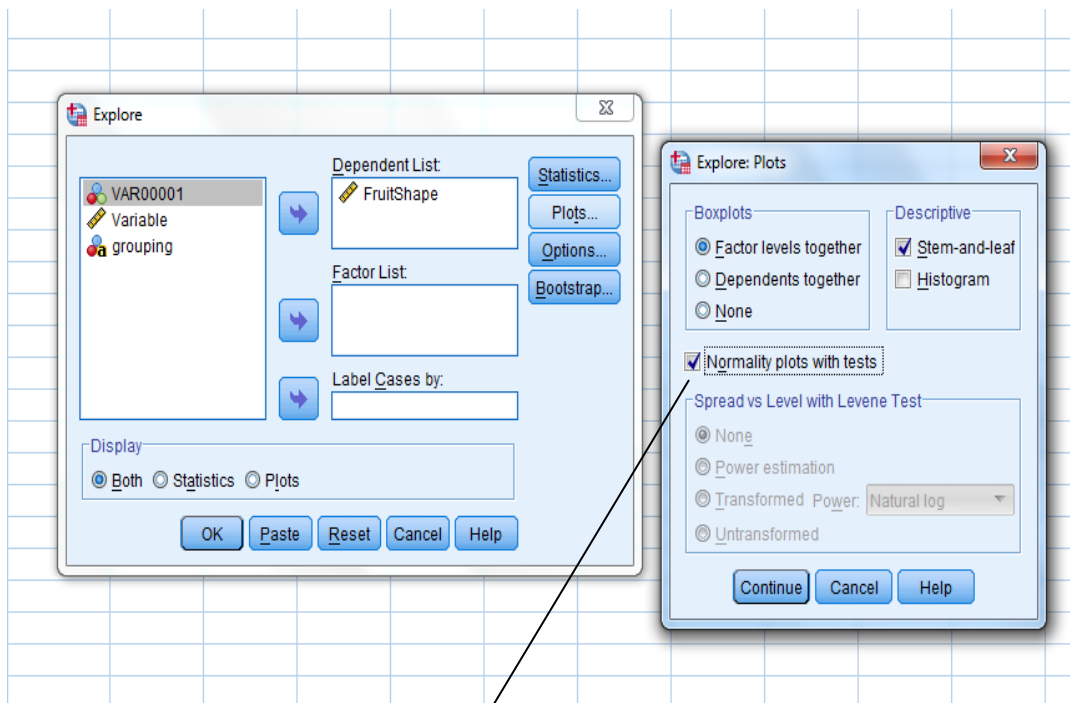
C.I for the mean

2) The second method:



It helps in the calculation of the confidence interval and find the statistical measures





Helps in the normality test

➔ Explore

Case Processing Summary

	Cases					
	Valid		Missing		Total	
	N	Percent	N	Percent	N	Percent
FruitShape	10	50.0%	10	50.0%	20	100.0%

Descriptives

		Statistic	Std. Error	
FruitShape	Mean	1.0465	.00981	
	90% Confidence Interval for Mean	Lower Bound	1.0285	
		Upper Bound	1.0645	
	5% Trimmed Mean	1.0483		
	Median	1.0515		
	Variance	.001		
	Std. Deviation	.03103		
	Minimum	.98		
	Maximum	1.08		
	Range	.11		
	Interquartile Range	.04		
	Skewness	-1.313	.687	
	Kurtosis	2.276	1.334	

C.I for the mean

Tests of Normality

	Kolmogorov-Smirnov ^a			Shapiro-Wilk		
	Statistic	df	Sig.	Statistic	df	Sig.
FruitShape	.194	10	.200 [*]	.907	10	.260

*. This is a lower bound of the true significance.

a. Lilliefors Significance Correction

As P – value > .1

So, we except H_0 : the population follows a normal distribution

Q3)

The phosphorus content was measured for independent samples of skim and whole

Whole: 94.95 95.15 94.85 94.55 94.55 93.40 95.05 94.35 94.70 94.90

Skim: 91.25 91.80 91.50 91.65 91.15 90.25 91.90 91.25 91.65 91.00

Assuming normal populations with equal variances

- a) Test whether the average phosphorus content of skim milk is less than the average phosphorus content of whole milk. Use $\alpha=0.01$
- b) Find and interpret a 99% confidence interval for the difference in average phosphorus contents of whole and skim milk

to use the T- test for two sample, we need to make sure that

1) The independence of the two samples: It is very clear that there is no correlation between the values of the two samples.

2) The populations follow a normal distribution

i.e.

H_0 : the two populations follow a normal distribution

Vs

H_1 : the two populations do not follow a normal distribution

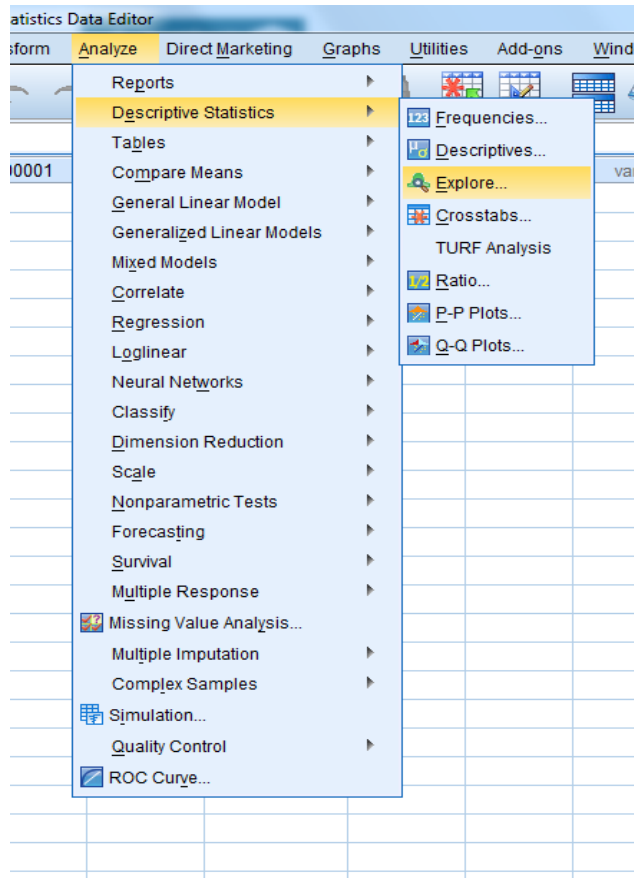
However, we find the question he said that the populations follows a normal distribution, so is not necessary to make this test.

*To make sure no more.....

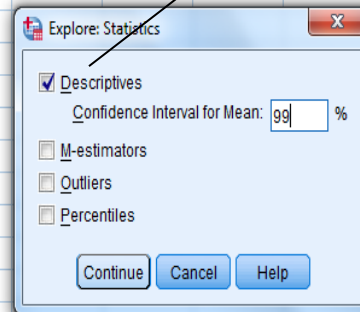
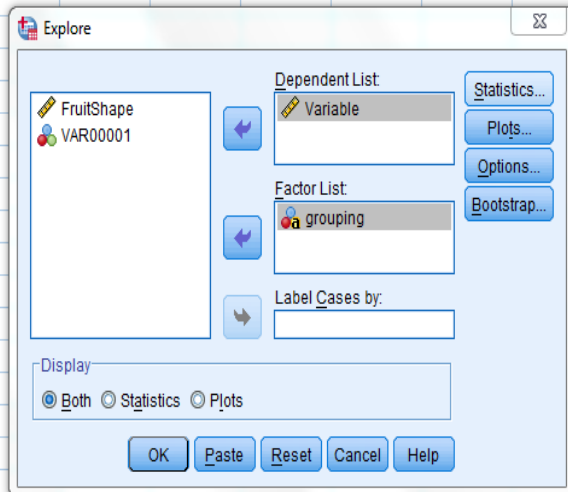
Data Editor

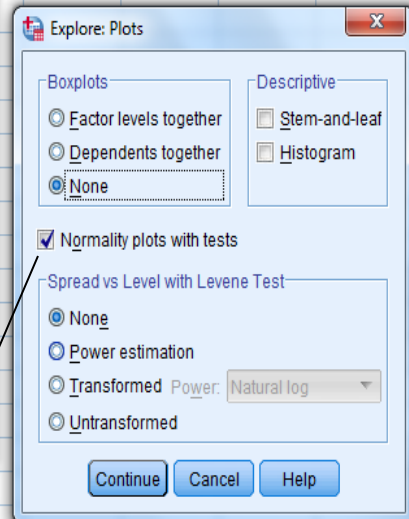
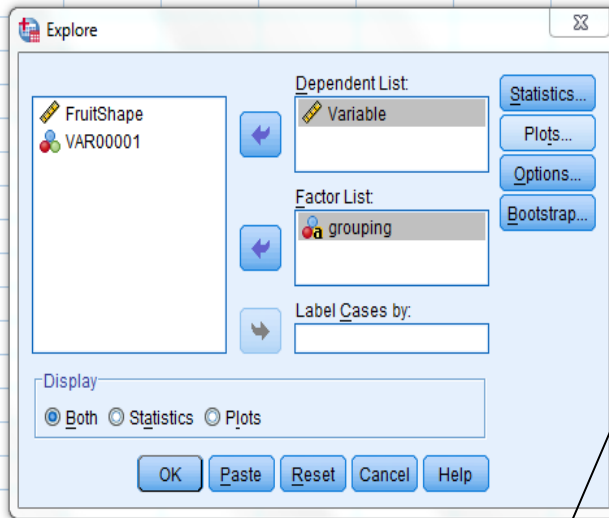
Analyze Direct Marketing Graphs L

	Variable	grouping	var
.	94.95	Whole	
.	95.15	Whole	
.	94.85	Whole	
.	94.55	Whole	
.	94.55	Whole	
.	93.40	Whole	
.	95.05	Whole	
.	94.35	Whole	
.	94.70	Whole	
.	94.90	Whole	
.	91.25	Skim	
.	91.80	Skim	
.	91.50	Skim	
.	91.65	Skim	
.	91.15	Skim	
.	90.25	Skim	
.	91.90	Skim	
.	91.25	Skim	
.	91.65	Skim	
.	91.00	Skim	



It helps in the calculation of the confidence interval and find statistical measures for each sample





Helps in the normality test

► Explore

grouping

Case Processing Summary							
grouping		Cases					
		Valid		Missing		Total	
		N	Percent	N	Percent	N	Percent
Variable	Skim	10	100.0%	0	0.0%	10	100.0%
	Whole	10	100.0%	0	0.0%	10	100.0%

Descriptives				Statistic	Std. Error
grouping					
Variable	Skim	Mean		91.3400	.15272
		99% Confidence Interval for Mean	Lower Bound	90.8437	
			Upper Bound	91.8363	
		5% Trimmed Mean		91.3694	
		Median		91.3750	
		Variance		.233	
		Std. Deviation		.48293	
		Minimum		90.25	
		Maximum		91.90	
		Range		1.65	
		Interquartile Range		.57	
		Skewness		-1.241	.687
		Kurtosis		2.035	1.334
			Whole	Mean	
99% Confidence Interval for Mean	Lower Bound			94.1281	
	Upper Bound			95.1619	
5% Trimmed Mean				94.6861	
Median				94.7750	
Variance				.253	
Std. Deviation				.50302	
Minimum				93.40	
Maximum				95.15	
Range				1.75	
Interquartile Range				.47	
Skewness				-1.864	.687
Kurtosis				4.241	1.334

C.I for the mean for the skim

		Range	1.65	
		Interquartile Range	.57	
		Skewness	-1.241	.687
		Kurtosis	2.035	1.334
	Whole	Mean	94.6450	.15907
		99% Confidence Interval for Mean	Lower Bound	94.1281
			Upper Bound	95.1619
		5% Trimmed Mean	94.6861	
		Median	94.7750	
		Variance	.253	
		Std. Deviation	.50302	
		Minimum	93.40	
		Maximum	95.15	
		Range	1.75	
		Interquartile Range	.47	
		Skewness	-1.864	.687
		Kurtosis	4.241	1.334

C.I for the mean for the whole

Tests of Normality							
grouping		Kolmogorov-Smirnov ^a			Shapiro-Wilk		
		Statistic	df	Sig.	Statistic	df	Sig.
Variable	Skim	.147	10	.200 [*]	.902	10	.232
	Whole	.225	10	.163	.823	10	.028

*. This is a lower bound of the true significance.

a. Lilliefors Significance Correction

As P – value > .01 for both populations.

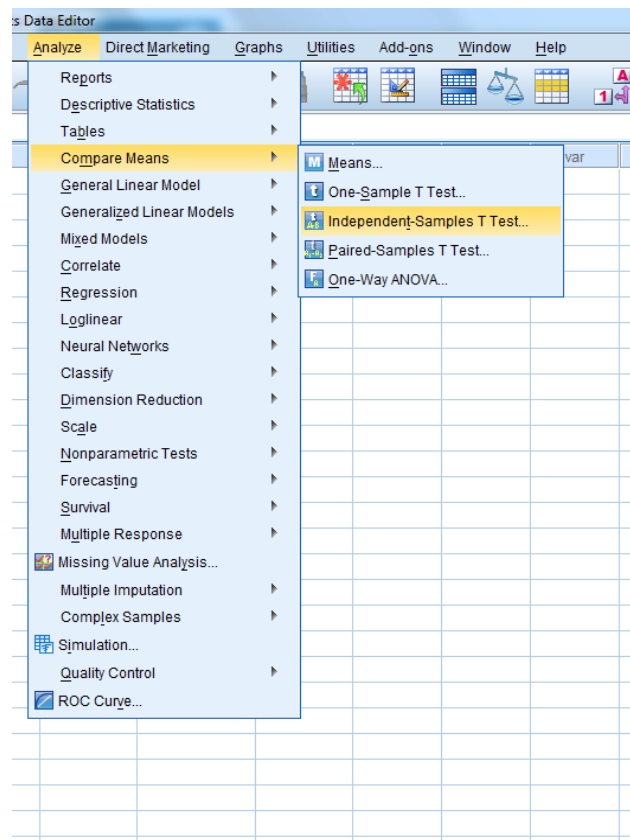
So, we except H_0 : the two populations follow a normal distribution

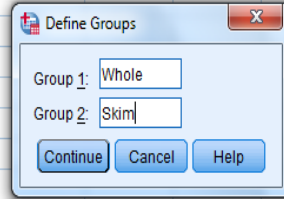
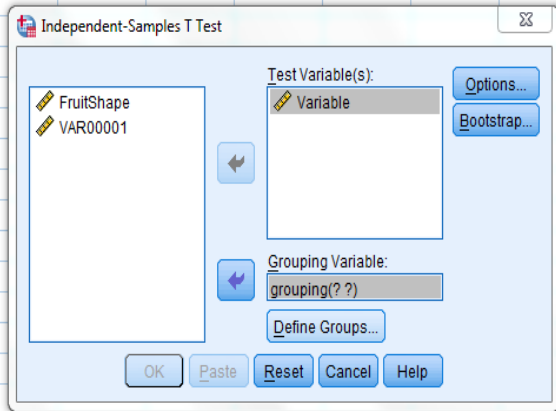
Now, the goal of the question:

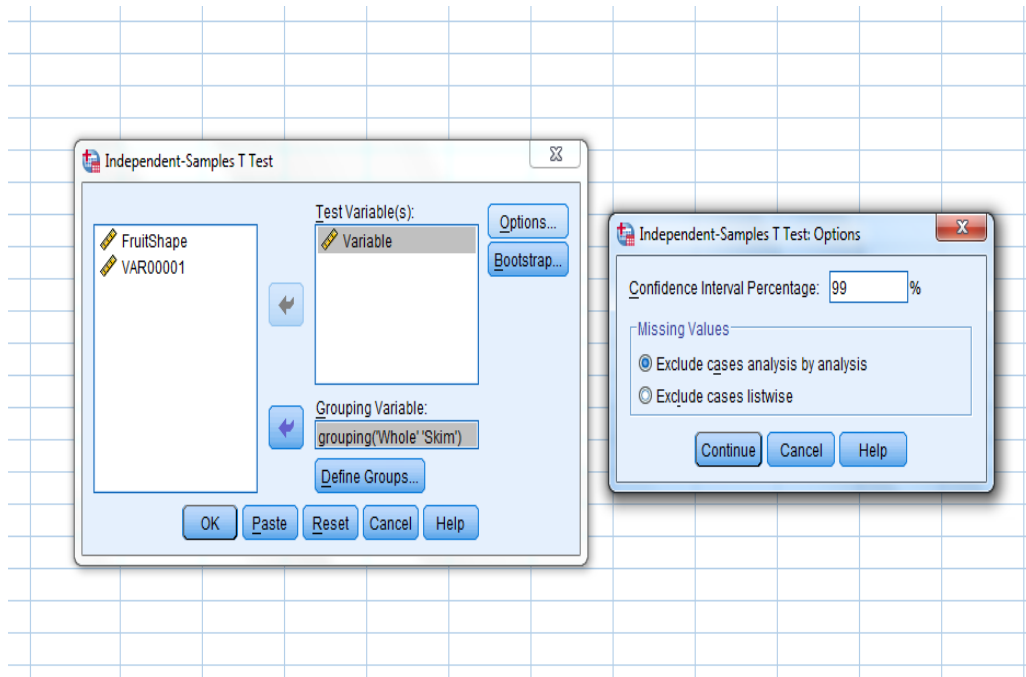
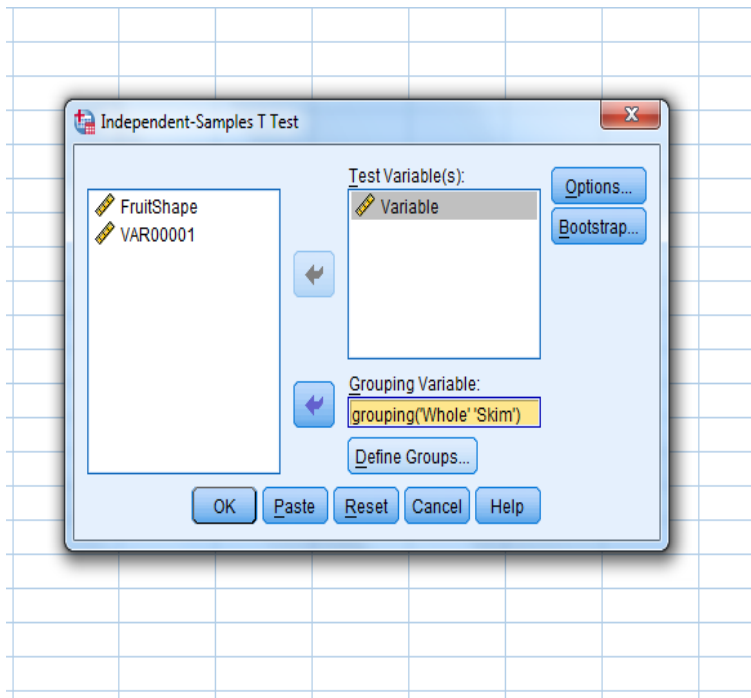
a) $H_0: \mu_{whole} - \mu_{skim} = 0$ Vs $H_1: \mu_{whole} - \mu_{skim} > 0$ at $\alpha = .01$

and

b) 90% Confidence interval of $\mu_{whole} - \mu_{skim}$







This for test

$$H_0: \sigma_{whole}^2 = \sigma_{skim}^2 \quad Vs \quad H_1: \sigma_{whole}^2 \neq \sigma_{skim}^2$$

As P – value > .01 .So, we except H_0 . However, it is given in question.

→ T-Test

Group Statistics

grouping	N	Mean	Std. Deviation	Std. Error Mean
Variable Whole	10	94.6450	.50302	.15907
Skim	10	91.3400	.48293	.15272

Independent Samples Test

		Levene's Test for Equality of Variances		t-test for Equality of Means					99% Confidence Interval of the Difference	
		F	Sig.	t	df	Sig. (2-tailed)	Mean Difference	Std. Error Difference	Lower	Upper
Variable	Equal variances assumed	.009	.924	14.988	18	.000	3.30500	.22051	2.67027	3.93973
	Equal variances not assumed			14.988	17.978	.000	3.30500	.22051	2.67015	3.93985

$0/2 = 0$ but as $t = 14.988 > 0$ so $P - value = P(T_{18} > t) = 0$
then we reject $H_0: \mu_{whole} - \mu_{skim} = 0$.

99% C.I for $\mu_{whole} - \mu_{skim}$

Q4) What is the relationship between the gender of the students and the assignment of a Pass or No Pass test grade? (Pass = score 70 or above).

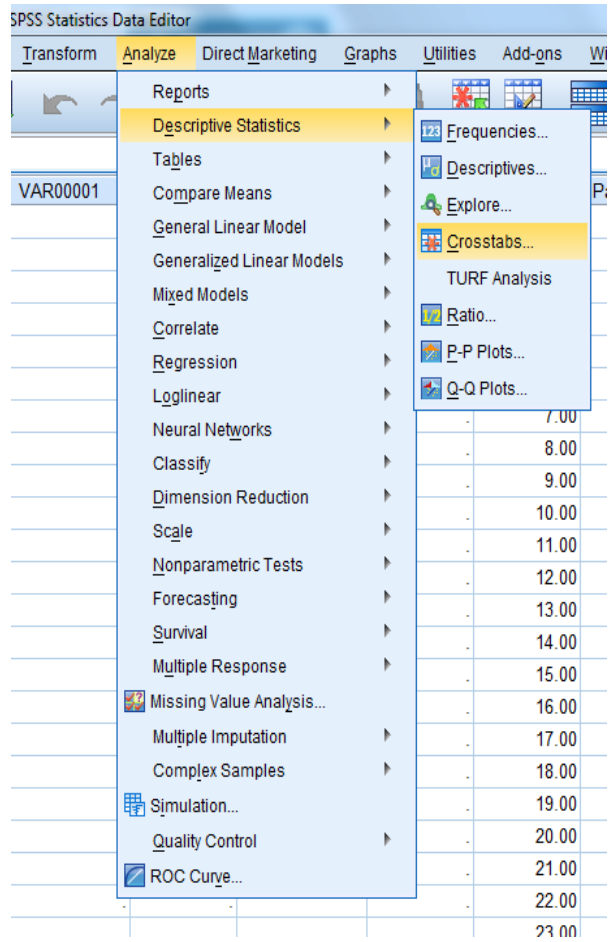
	Pass	No Pass	Row Totals
Males	12	3	15
Females	13	2	15
Column Totals	25	5	30

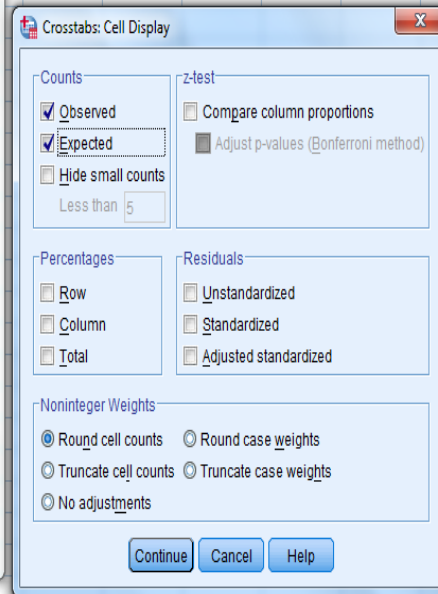
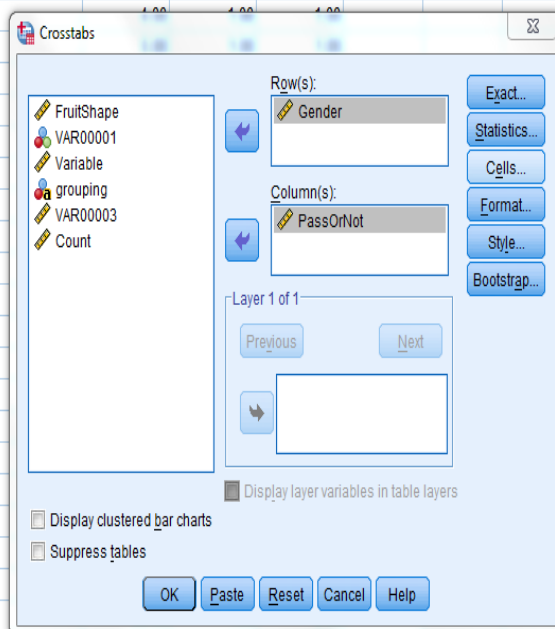
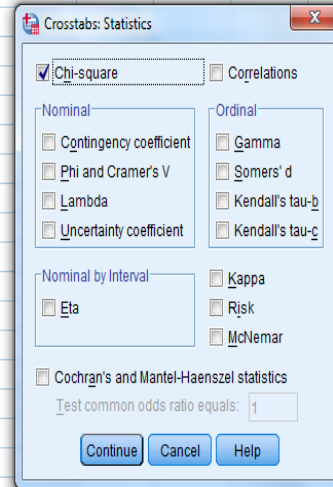
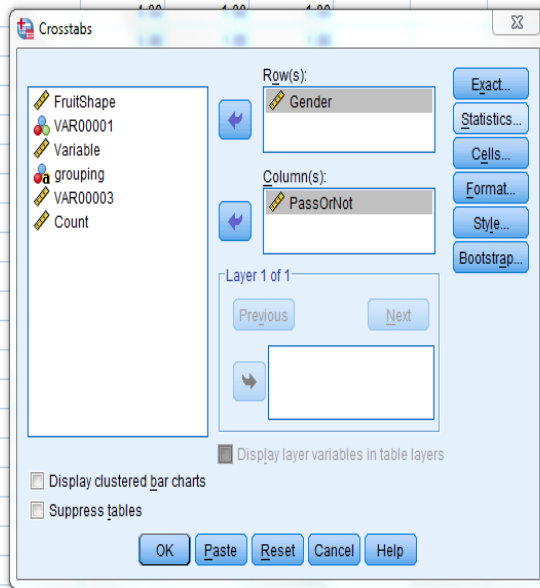
H_0 : the gender of the students is indep. of a Pass or No Pass test grade

Vs

H_1 : the gender of the students is not indep. of a Pass or No Pass test grade

Count	PassOrNot	Gender	var
1.00	1.00	1.00	
2.00	1.00	1.00	
3.00	1.00	1.00	
4.00	1.00	1.00	
5.00	1.00	1.00	
6.00	1.00	1.00	
7.00	1.00	1.00	
8.00	1.00	1.00	
9.00	1.00	1.00	
10.00	1.00	1.00	
11.00	1.00	1.00	
12.00	1.00	1.00	
13.00	2.00	1.00	
14.00	2.00	1.00	
15.00	2.00	1.00	
16.00	1.00	2.00	
17.00	1.00	2.00	
18.00	1.00	2.00	
19.00	1.00	2.00	
20.00	1.00	2.00	
21.00	1.00	2.00	
22.00	1.00	2.00	
23.00	1.00	2.00	
24.00	1.00	2.00	
25.00	1.00	2.00	
26.00	1.00	2.00	
27.00	1.00	2.00	
28.00	1.00	2.00	
29.00	2.00	2.00	
30.00	2.00	2.00	





➔ **Crosstabs**

Case Processing Summary

	Cases					
	Valid		Missing		Total	
	N	Percent	N	Percent	N	Percent
Gender * PassOrNot	30	100.0%	0	0.0%	30	100.0%

Gender * PassOrNot Crosstabulation

			PassOrNot		Total
			1.00	2.00	
Gender 1.00	Count	12	3	15	
	Expected Count	12.5	2.5	15.0	
2.00	Count	13	2	15	
	Expected Count	12.5	2.5	15.0	
Total	Count	25	5	30	
	Expected Count	25.0	5.0	30.0	

The Chi-Square statistic

$$df = (2 - 1) * (2 - 1)$$

Chi-Square Tests

	Value	df	Asymp. Sig. (2-sided)	Exact Sig. (2-sided)	Exact Sig. (1-sided)
Pearson Chi-Square	.240 ^a	1	.624		
Continuity Correction ^b	.000	1	1.000		
Likelihood Ratio	.241	1	.623		
Fisher's Exact Test				1.000	.500
Linear-by-Linear Association	.232	1	.630		
N of Valid Cases	30				

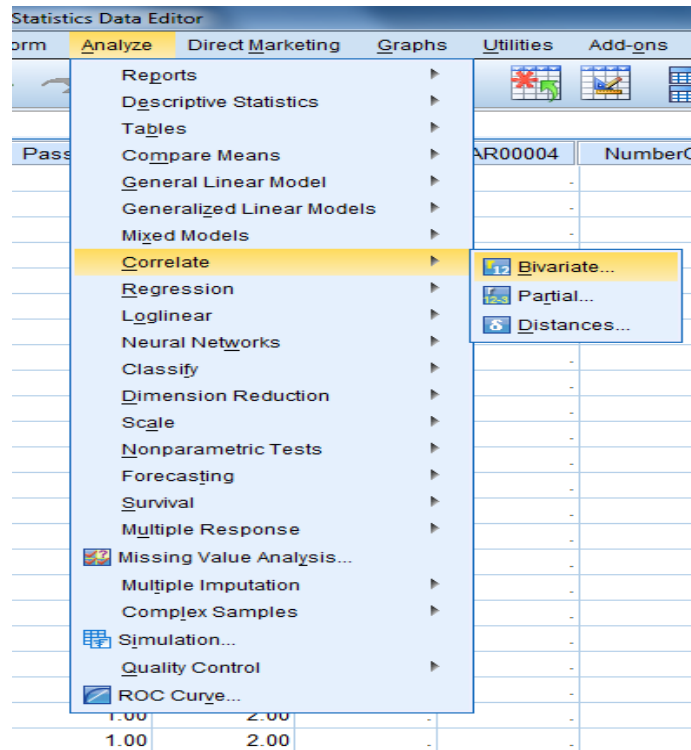
a. 2 cells (50.0%) have expected count less than 5. The minimum expected count is 2.50.

b. Computed only for a 2x2 table

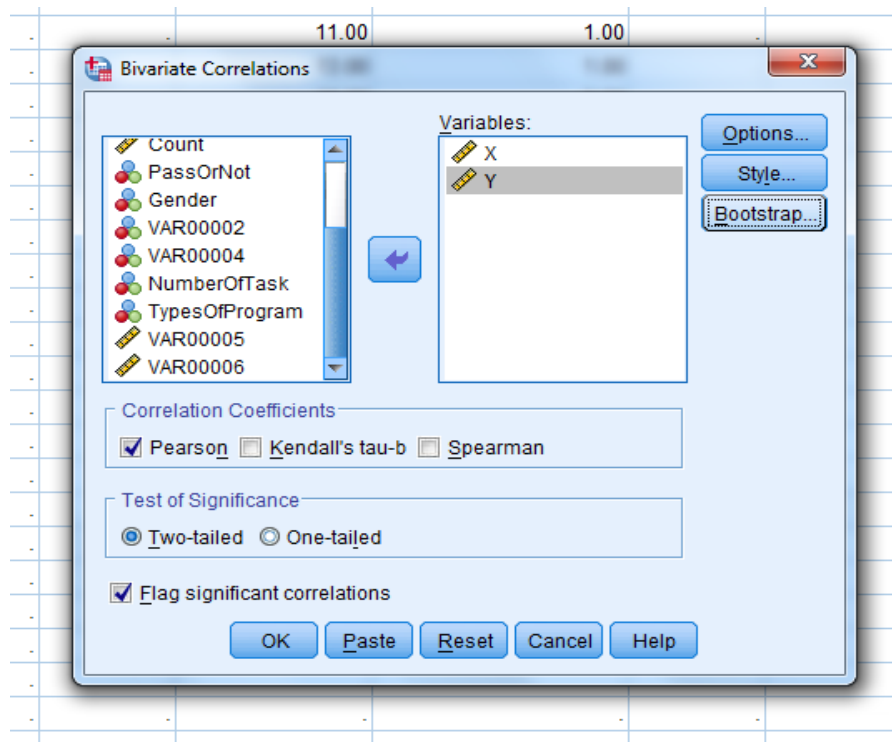
As we can see that 2 cells have expected count less than 5 because these 2 cells contain less than 5 observations. So the solution is will be Merge cells until we get the expectation greater than 5 but here it is not possible, so take a larger sample.

$P - value > (\alpha = .05)$ so we except H_0

a) Select Analyze \diamond Correlate \diamond Bivariate... (see figure, below).



Select “x” and “y” as the variables, select “Pearson” as the correlation coefficient, and click “OK” (see the left figure, below).



→ Correlations

Correlations

		X	Y
X	Pearson Correlation	1	-.968**
	Sig. (2-tailed)		.000
	N	10	10
Y	Pearson Correlation	-.968**	1
	Sig. (2-tailed)	.000	
	N	10	10

** Correlation is significant at the 0.01 level (2-tailed).

The correlation coefficient is -0.9679 which we can see that the relationship between x and y are $-ve$ and strong.

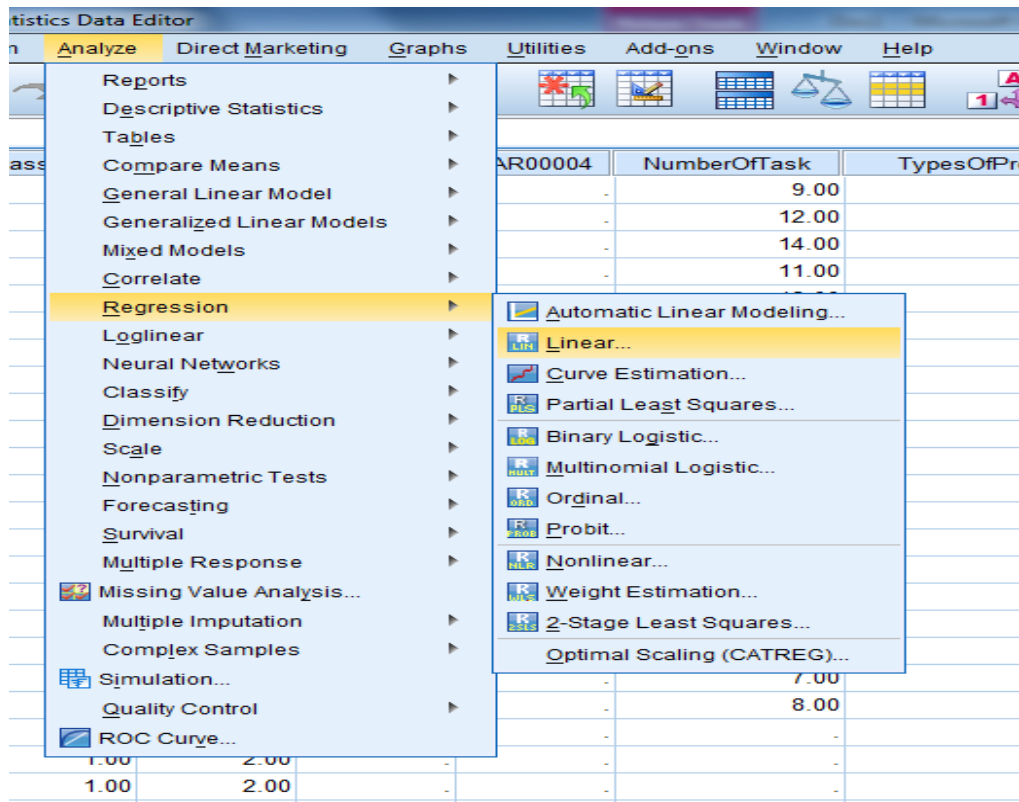
b, c and d)

Since we eventually want to predict the price of 4-year-old Corvettes, enter the number “4” in the “x” variable column of the data window after the last row. Enter a “.” for the corresponding “y” variable value (this lets SPSS know that we want a prediction for this value and not to include the value in any other computations) (see figure, below).

	X	Y
-	6.00	125.00
-	6.00	115.00
-	6.00	130.00
-	4.00	160.00
-	2.00	219.00
-	5.00	150.00
-	4.00	190.00
-	5.00	163.00
-	1.00	260.00
-	2.00	260.00
-	4.00	.
-	.	.
-	.	.
-	.	.

Select Analyze ◊ Regression ◊ Linear... (see figure).

Select “y” as the dependent variable and “x” as the independent variable. Click “Statistics”, select “Estimates” and “Confidence Intervals” for the regression coefficients, select “Model fit” to obtain r^2 , and click “Continue”. Click “Save...”, select “Unstandardized” predicted values and click “Continue”. Click “OK”.



Linear Regression

Dependent: Y

Block 1 of 1

Independent(s): X

Method: Enter

Selection Variable: Rule...

Case Labels:

WLS Weight:

OK Paste Reset Cancel Help

Statistics... Plots... Save... Options... Style... Bootstrap...

- FruitShape
- VAR00001
- Variable
- grouping
- VAR00003
- Count
- PassOrNot
- Gender
- VAR00002
- VAR00004
- NumberOfTask
- TypesOfProgram
- VAR00005
- VAR00006
- X

Linear Regression: Statistics

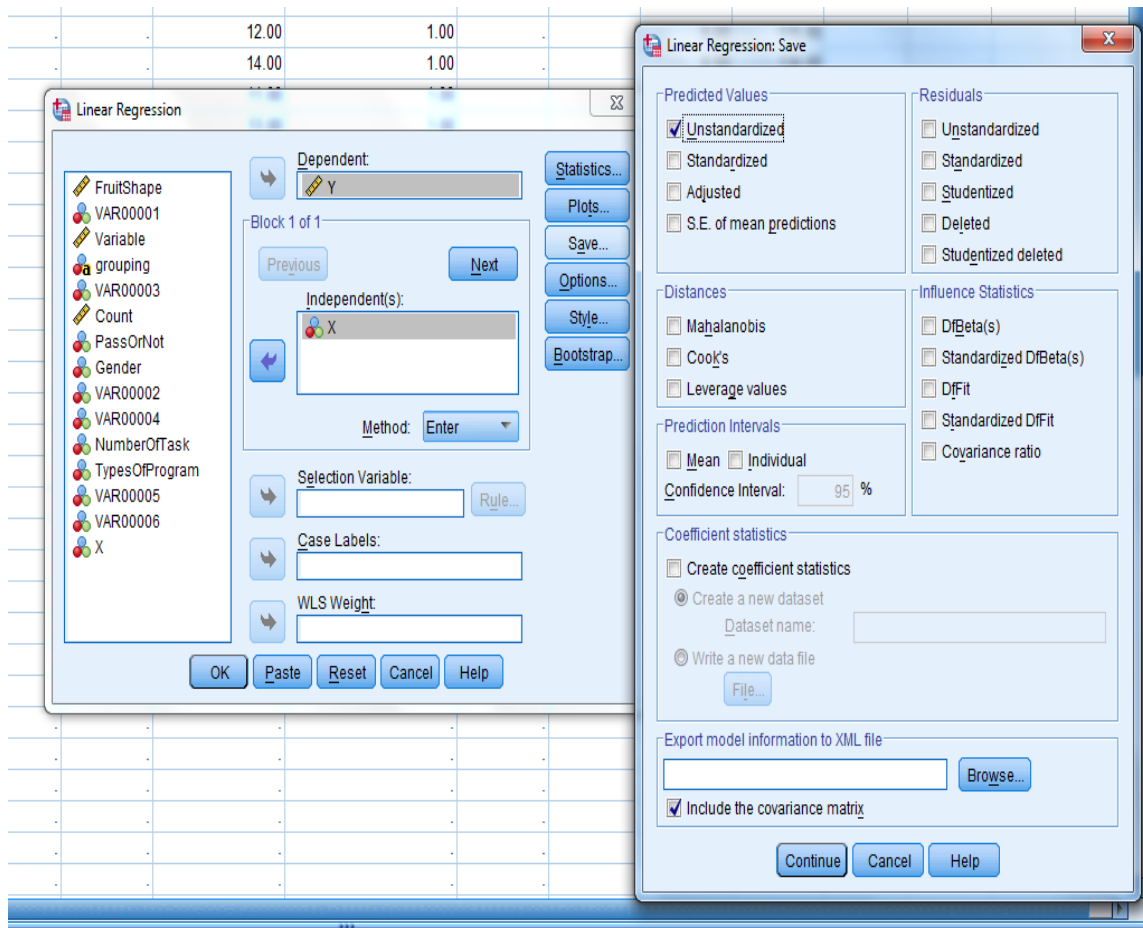
Regression Coefficients

- Estimates
- Confidence intervals
- Level(%): 95
- Covariance matrix
- Model fit
- R squared change
- Descriptives
- Part and partial correlations
- Collinearity diagnostics

Residuals

- Durbin-Watson
- Casewise diagnostics
- Outliers outside: 3 standard deviations
- All cases

Continue Cancel Help



➔ **Regression**

Model Summary^b

Model	R	R Square	Adjusted R Square	Std. Error of the Estimate
1	.968 ^a	.937	.929	14.24653

a. Predictors: (Constant), X

b. Dependent Variable: Y

ANOVA^a

Model		Sum of Squares	df	Mean Square	F	Sig.
1	Regression	24057.891	1	24057.891	118.533	.000 ^b
	Residual	1623.709	8	202.964		
	Total	25681.600	9			

a. Dependent Variable: Y

b. Predictors: (Constant), X

Coefficients^a

Model		Unstandardized Coefficients		Standardized Coefficients	t	Sig.	95.0% Confidence Interval for B	
		B	Std. Error	Beta			Lower Bound	Upper Bound
1	(Constant)	291.602	11.433		25.506	.000	265.238	317.966
	X	-27.903	2.563	-.968	-10.887	.000	-33.813	-21.993

a. Dependent Variable: Y

	X	Y	PRE_1
.	6.00	125.00	124.18447
.	6.00	115.00	124.18447
.	6.00	130.00	124.18447
.	4.00	160.00	179.99029
.	2.00	219.00	235.79612
.	5.00	150.00	152.08738
.	4.00	190.00	179.99029
.	5.00	163.00	152.08738
.	1.00	260.00	263.69903
.	2.00	260.00	235.79612
.	4.00	.	179.99029
.	.	.	.
.	.	.	.

From above, the regression equation is: $y = 29160.1942 - (2790.2913)(x)$. The coefficient of determination is 0.9368; therefore, about 93.68% of the variation in y data is explained by x.