

## Chapter # 2 Part # 2

1 ) Estimate the actual volume of common earth in bank measured carried by a hydraulic excavator bucket whose heaped capacity is 2.5 cu yd.

Solution:

$$\text{From table 3 - 2, Bucket fill factor} = \frac{0.8+1.10}{2} = 0.95$$

$$\text{Bucket load} = 2.5 \text{ LCY} \times 0.95 = 2.38 \text{ LCY}$$

$$\text{From table 2 - 5, load factor} = 0.8$$

$$\text{Bucket load} = 2.38 \text{ LCY} \times 0.8 = 1.9 \text{ BCY}$$



2) A 3.5 yd hydraulic shovel with bottom dump bucket is excavating tough clay. The swing angle is 120° and job efficiency is 75%. Estimate the shovel's hourly production in bank measure.

Solution:

$$\text{Shovel's hourly production (LCY/hr)} = C \times S \times V \times B \times E$$

$$\text{From table 3 - 6, } C = \text{Cycles/hr} = 150 \text{ cycles/hr.}$$

$$\text{From table 3 - 6, } S = \text{Swing factor} = 0.94$$

$$V = \text{Heaped bucket volume in LCY} = 3.5 \text{ LCY.}$$

$$\text{From table 3 - 2, } B = \text{bucket fill factor} = \frac{0.65+.95}{2} = 0.8$$

$$E = \text{Job efficiency} = 75\% = 0.75$$

$$\text{Shovel's hourly production (LCY/hr)} = 150 \times 0.94 \times 3.5 \times 0.8 \times 0.75 = 296.1 \text{ LCY/hr}$$

$$\text{From table 2 - 5, load factor} = 0.77$$

$$\text{Shovel's hourly production (BCY/hr)} = 296.1 \text{ LCY/hr} \times 0.77 = 228 \text{ BCY/hr}$$



3) A hydraulic excavator is excavating the basement of a building. Heaped bucket capacity is 1.5 cu yd. The material is common earth with a bucket fill factor of 0.9. Job efficiency is estimated to be 50 min/hr. The machine's maximum depth of cut is 24 ft and the average digging depth is 13 ft. Average swing angle is 90°. Estimate the hourly production in bank measure.

Solution:

Backhoe's hourly production (LCY/hr) =  $C \times S \times V \times B \times E$

From table 3 – 3, C = Cycles/hr = 160 cycles/hr.

S = Swing factor

$$\text{Depth of cut (\% of maximum)} = \frac{\text{actual dept } h}{\text{optimum dept } h} \times 100 = \frac{13 \text{ ft}}{24 \text{ ft}} \times 100 = 54\%$$

→ From table 3 – 4,

@ 50 % of maximum, S = 1.1

@ 70 % of maximum, S = 1.0

$$\rightarrow S @ 54\% \text{ of maximum} = 1.1 - \frac{1.1+1.0}{0.7-0.5} \times (0.7 - 0.54) \approx 1.02$$

V = Heaped bucket volume in LCY = 1.5 LCY.

$$\text{From table 3 – 2, B = bucket fill factor} = \frac{0.8+1.10}{2} = 0.95$$

$$E = \text{Job efficiency} = \frac{50 \text{ min /hr}}{60 \text{ min /hr}} = 83\% = 0.83$$

$$\text{Backhoe's hourly production (LCY/hr)} = 160 \times 1.02 \times 1.5 \times 0.95 \times 0.83 = 193 \text{ LCY/hr}$$

From table 2 – 5, load factor = 0.8

$$\text{Backhoe's hourly production (BCY/hr)} = 193 \text{ LCY/hr} \times 0.8 = 154.4 \text{ BCY/hr}$$



4) A small hydraulic excavator is used to dig a trench in hard clay. The minimum trench size is 26 in wide by 4.8 ft deep. The excavator bucket available is 30 in. wide and has a heaped capacity of .75 cu. The maximum digging depth of the excavator is 16 ft. The average swing angle is expected to be 85°. Estimate the hourly trench production in linear feet if job efficiency is 70%.

Solution:

From table 3 – 3, C = Cycles/hr = 160 cycles/hr.

S = Swing factor

$$\text{Depth of cut (\% of maximum)} = \frac{\text{actual dept h}}{\text{optimum dept h}} \times 100 = \frac{4.8 \text{ ft}}{16 \text{ ft}} \times 100 = 30\%$$

→ From table 3 – 4, S @ angle of swing of 85° by interpolation  $\approx 1.17$

V = Heaped bucket volume in LCY = 0.75 LCY.

$$\text{From table 3 – 2, B = bucket fill factor} = \frac{0.65+0.95}{2} = 0.8$$

E = Job efficiency = 70% = 0.7

Backhoe's hourly production (LCY/hr) = 160 × 1.17 × 0.75 × 0.8 × 0.7 = 78.6 LCY/hr

From table 2 – 5, load factor = 0.77

Backhoe's hourly production (BCY/hr) = 78.6 LCY/hr × 0.77 = 60.5 BCY/hr

$$\text{From table 3 – 5, Adjustment factor for trench production} = \frac{0.95+1.0}{2} = 0.98$$

Backhoe's hourly trench production (BCY/hr) = 60.5 BCY/hr × 0.98 = 59.3 BCY/hr

Depth of trench = minimum trench width × S = 26 in. × 1.17 = 30.4 in.

$$\text{Cross section area} = \frac{30.4 \text{ in}}{12 \text{ in/ft}} \times 5 \text{ ft} = 12.675 \text{ ft}^2$$

$$\text{Linear production} = \frac{\text{Production}}{\text{area}} = \frac{59.3 \text{ BCY/hr} \times 27 \text{ cu ft/cu yd}}{12.675 \text{ ft}^2} = 126.32 \text{ ft/hr}$$

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Homework: Chapter #3, Problems: 5 , 6 and 9.