



Past Exams: Ch.1 to Ch.4

Physics 103: Classical Mechanics

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1. Ch.1: Physics and Measurement

2. Ch.2: Motion in One Dimension

3. Ch.3: Vectors

4. Ch.4: Motion in Two Dimensions

Question 1.1

If the change of position x of a train is given by $x = \frac{1}{2}at^2 + bt^3$ (where a is the acceleration). The dimension of a is:

A) LT^{-2}

B) LT^3

C) LT^{-1}

D) LT^{-3}

Answer 1.1

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- The dimension of time t is T , so,

$$[a] T^2 = L$$

- Finally, the dimension of acceleration a is:

$$[a] = LT^{-2}$$

1. Ch.1: Physics and Measurement

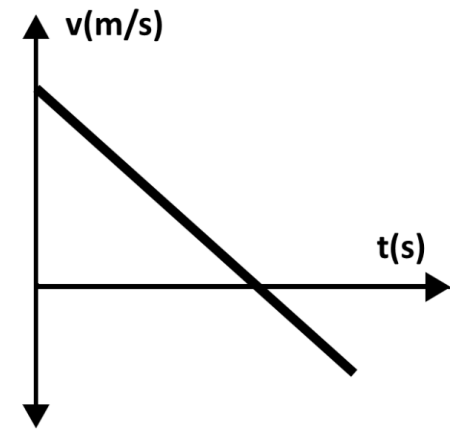
2. Ch.2: Motion in One Dimension

3. Ch.3: Vectors

4. Ch.4: Motion in Two Dimensions

Question 2.2

the next graph represents the change in velocity (v) with time (t) of motorcycle along a straight path. Which of the following accelerations (a) could be correct?



A) $-5t$

B) $5t$

C) -5

D) 5

Answer 2.2

The car is **slowing** down **linearly**, so the acceleration

$$a = \text{slope} = \frac{\Delta v}{\Delta t}$$

must be a constant number and a negative value at all times.

Therefore the only possible answer is (C)

Question 2.3

An airplane initial landing speed is **50 m/s**. If it stops in **500 m**, then the acceleration (assumed to be constant) is:

A) - $7.5 \frac{m}{s^2}$

B) $10 \frac{m}{s^2}$

C) - $2.5 \frac{m}{s^2}$

D) $5.0 \frac{m}{s^2}$

Answer 2.3

x_i	x_f	v_i	v_f	a	t

Answer 2.3

x_i	x_f	v_i	v_f	a	t
0 m					

Answer 2.3

x_i	x_f	v_i	v_f	a	t
0 m	500 m				

Answer 2.3

x_i	x_f	v_i	v_f	a	t
0 m	500 m	50 m/s			

Answer 2.3

x_i	x_f	v_i	v_f	a	t
0 m	500 m	50 m/s	0 m/s	?	-

- Since time t is not given, we can use the following equation to find the acceleration a :

$$v_f^2 = v_i^2 + 2a(x_f - x_i)$$

Answer 2.3

x_i	x_f	v_i	v_f	a	t
0 m	500 m	50 m/s	0 m/s	?	-

- Since time t is not given, we can use the following equation to find the acceleration a :

$$v_f^2 = v_i^2 + 2a(x_f - x_i)$$

- Rearranging the equation to find a gives:

$$a = \frac{v_f^2 - v_i^2}{2(x_f - x_i)} = \frac{0 - 2500}{2 * 500} = -2.5 \text{ m/s}^2$$

Question 2.4

A car travelled north, and its initial speed was **100 km/h**, then it reversed its direction and reached a final speed of **50 km/h**. If the total time was **10 s**, what is the average car acceleration in (**m/s²**)

A) 1.4

B) -1.4

C) 4.2

D) - 4.2

Answer 2.4

- Since the car is decreasing its speed from $+100 \text{ Km/h}$ to -50 Km/h , it means that the acceleration is negative at all times.

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- To find the value of average acceleration, we need first to convert the speeds from Km/h to m/s:

$$100 \text{ km/h} * \left(\frac{1000 \text{ m}}{1 \text{ km}} \right) * \left(\frac{1 \text{ h}}{3600 \text{ s}} \right) = 27.78 \text{ m/s}$$

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$$a_{\text{avg}} = \frac{\Delta v}{\Delta t} = \frac{v_f - v_i}{t_f - t_i}$$

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- Now, we can find the average acceleration using the formula:

$$a_{\text{avg}} = \frac{\Delta v}{\Delta t} = \frac{v_f - v_i}{t_f - t_i} = \frac{-13.89 - 27.78}{10 - 0} = -4.2 \text{ m/s}^2$$

Question 2.5

As a free-falling object speeds-up, what is happening to its acceleration due to gravity?

- A) decreases B) none of these answers C) increases D) **stays the same**

Answer 2.5

Free-falling objects always experience a **constant** acceleration due to gravity

$$a_y = -g = -9.8 \text{ m/s}^2$$

regardless of their velocities, mass, ... etc.

Answer 0.5

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regardless of their velocities, mass, ... etc.

- Therefore, the correct answer is the acceleration **stays the same**.

Question 0.6

A worker ascending at 7 m/s in an open elevator 20 m above the ground accidentally drops a stone. The velocity of the stone just before touching the ground is :

A) - 21 m/s

B) 58 m/s

C) - 14 m/s

D) 18 m/s

Answer 0.6

y_i	y_f	v_i	v_f	a	t
0 m	-20 m	+7 m/s	?	$-g$	-

Answer 0.6

y_i	y_f	v_i	v_f	a	t
0 m	-20 m	+7 m/s	?	$-g$	-

- Since time t is not given, we can use the following equation to find the final velocity v_f :

$$v_f^2 = v_i^2 + 2a(y_f - y_i)$$

Answer 0.6

y_i	y_f	v_i	v_f	a	t
0 m	-20 m	+7 m/s	?	-g	-

- Since time t is not given, we can use the following equation to find the final velocity v_f :

$$v_f^2 = v_i^2 + 2a(y_f - y_i)$$

- Rearranging the equation to find v_f gives:

$$v_f = \sqrt{v_i^2 + 2a(y_f - y_i)} = \sqrt{49 + 2 * (-9.8) * (-20)} = \pm 21 \text{ m/s}$$

Answer 0.6

y_i	y_f	v_i	v_f	a	t
0 m	-20 m	+7 m/s	?	-g	-

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- The positive value indicates that the stone is moving in the positive direction (upwards) when it hits the ground, which is not true. Therefore, the correct answer is *only* the negative value ($v_f = -21 \text{ m/s}$).

Question 0.7

A freely falling body is found to be moving downwards at **- 27.2 m/s** at one instant. If it continues to fall, **1 second** later the object would be moving with a downward velocity?

A) 27 m/s

B) - 57 m/s

C) - **37 m/s**

D) 47 m/s

Answer 0.7

- Quick analysis: Every second, the velocity increases by -9.8 m/s under gravity. Therefore, after 1 s , the speed should be:

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- Formal solution:

$$v_f = v_i - gt$$

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- Formal solution:

$$v_f = v_i - gt = -27.2 \text{ m/s} + (-9.8 \text{ m/s}^2)(1 \text{ s}) = -37 \text{ m/s}$$

1. Ch.1: Physics and Measurement

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3. Ch.3: Vectors

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Question 3.8

If $\mathbf{A} = (6 \mathbf{i} - 8 \mathbf{j})$ units, $\mathbf{B} = (-8 \mathbf{i} + 3 \mathbf{j})$ units, and $\mathbf{C} = (26 \mathbf{i} + 19 \mathbf{j})$ units, the values of a and b respectively in units such that $(a\mathbf{A} + b\mathbf{B} + \mathbf{C} = 0)$ are:

A) 5 , 7

B) 2 , 3

C) 3 , 7

D) 5 , 9

Answer 3.8

$$a\vec{A} + b\vec{B} + \vec{C} = 0$$

Answer 3.8

$$a\vec{A} + b\vec{B} + \vec{C} = 0$$

$$a(6\hat{i} - 8\hat{j}) + b(-8\hat{i} + 3\hat{j}) + (26\hat{i} + 19\hat{j}) = 0$$

Answer 3.8

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$$a(6\hat{i} - 8\hat{j}) + b(-8\hat{i} + 3\hat{j}) + (26\hat{i} + 19\hat{j}) = 0$$

$$(6a - 8b + 26)\hat{i} + (-8a + 3b + 19)\hat{j} = 0$$

Answer 3.8

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Therefore, both components must be zero:

Answer 3.8

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Therefore, both components must be zero:

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Checking the options, we find that the correct answer is **(A)**:

Answer 3.8

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$$(6a - 8b + 26)\hat{i} + (-8a + 3b + 19)\hat{j} = 0$$

Therefore, both components must be zero:

$$6a - 8b + 26 = 0$$

$$-8a + 3b + 19 = 0$$

Checking the options, we find that the correct answer is **(A)**:

$$6(5) - 8(7) + 26 = 30 - 56 + 26 = 0 \quad \checkmark$$

Answer 3.8

$$a\vec{A} + b\vec{B} + \vec{C} = 0$$

$$a(6\hat{i} - 8\hat{j}) + b(-8\hat{i} + 3\hat{j}) + (26\hat{i} + 19\hat{j}) = 0$$

$$(6a - 8b + 26)\hat{i} + (-8a + 3b + 19)\hat{j} = 0$$

Therefore, both components must be zero:

$$6a - 8b + 26 = 0$$

$$-8a + 3b + 19 = 0$$

Checking the options, we find that the correct answer is **(A)**:

$$6(5) - 8(7) + 26 = 30 - 56 + 26 = 0 \quad \checkmark$$

$$-8(5) + 3(7) + 19 = -40 + 21 + 19 = 0 \quad \checkmark$$

Question 3.9

If $\mathbf{A} = [10 \text{ m}, 60^\circ]$ and $\mathbf{B} = [5 \text{ m}, 140^\circ]$, in polar coordinates, what is the magnitude of the sum of these two vectors?

A) 12.5 m

B) 9.3 m

C) 10.2 m

D) 11.9 m

Answer 3.9

$$\vec{A} = 10 \cos(60^\circ)\hat{i} + 10 \sin(60^\circ)\hat{j} = 5\hat{i} + 8.66\hat{j}$$

Answer 3.9

$$\vec{A} = 10 \cos(60^\circ)\hat{i} + 10 \sin(60^\circ)\hat{j} = 5\hat{i} + 8.66\hat{j}$$

$$\vec{B} = 5 \cos(140^\circ)\hat{i} + 5 \sin(140^\circ)\hat{j} = -3.83\hat{i} + 3.21\hat{j}$$

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$$\vec{B} = 5 \cos(140^\circ)\hat{i} + 5 \sin(140^\circ)\hat{j} = -3.83\hat{i} + 3.21\hat{j}$$

$$\vec{C} = \vec{A} + \vec{B} = (5 - 3.83)\hat{i} + (8.66 + 3.21)\hat{j} = 1.17\hat{i} + 11.87\hat{j}$$

Answer 3.9

$$\vec{A} = 10 \cos(60^\circ)\hat{i} + 10 \sin(60^\circ)\hat{j} = 5\hat{i} + 8.66\hat{j}$$

$$\vec{B} = 5 \cos(140^\circ)\hat{i} + 5 \sin(140^\circ)\hat{j} = -3.83\hat{i} + 3.21\hat{j}$$

$$\vec{C} = \vec{A} + \vec{B} = (5 - 3.83)\hat{i} + (8.66 + 3.21)\hat{j} = 1.17\hat{i} + 11.87\hat{j}$$

$$|\vec{C}| = \sqrt{(1.17)^2 + (11.87)^2} = 11.9 \text{ m}$$

1. Ch.1: Physics and Measurement

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Question 4.10

A projectile is launched with an initial velocity of **20 m/s** at an angle of **30°** above the horizontal. What is the maximum height reached by the projectile?

A) 15.5 m

B) 21.3 m

C) 11.1 m

D) **5.1 m**

Answer 4.10

$$h = \frac{v_i^2 \sin^2(\theta)}{2g}$$

Answer 4.10

$$h = \frac{v_i^2 \sin^2(\theta)}{2g} = \frac{20^2 \sin^2(30^\circ)}{2 * 9.8} = 5.1 \text{ m}$$

Question 4.11

A particle moves in the xy -plane with a constant acceleration of 4 m/s^2 at an angle of 30° above the positive x -axis. If the particle's initial position is $(0, 0)$ and its initial velocity is $(2 \text{ m/s}, 3 \text{ m/s})$, what is its velocity vector after **3 seconds**?

- A) $(16.6 \text{ m/s}, 13.8 \text{ m/s})$ B) $(12.4 \text{ m/s}, 9 \text{ m/s})$
C) $(14.5 \text{ m/s}, 11.7 \text{ m/s})$ D) $(15.3 \text{ m/s}, 12.2 \text{ m/s})$

Answer 4.11

The acceleration vector in cartesian coordinates is given by:

$$\vec{a} = 4 \cos(30^\circ)\hat{i} + 4 \sin(30^\circ)\hat{j} = 3.46\hat{i} + 2\hat{j}$$

Answer 4.11

The acceleration vector in cartesian coordinates is given by:

$$\vec{a} = 4 \cos(30^\circ)\hat{i} + 4 \sin(30^\circ)\hat{j} = 3.46\hat{i} + 2\hat{j}$$

- The velocity vector at after $t = 3s$ is given by:

$$\vec{v} = \vec{v}_0 + \vec{a}t = (2\hat{i} + 3\hat{j}) + (3.46\hat{i} + 2\hat{j}) \times 3 = 12.4\hat{i} + 9\hat{j}$$

Question 4.12

Two particles, **A** and **B**, start from the same point at the same time and move with constant accelerations. Particle **A** has an acceleration of **2 m/s²** in the positive *x*-direction, while particle **B** has an acceleration of **3 m/s²** in the positive *y*-direction. Which particle will be farther from the origin after **5 seconds**?

- A) **Particle B**
- B) It depends on the initial velocities of the particles
- C) Particle A
- D) They will be at the same distance

Answer 4.12

From the equation of motion ($\vec{r} = \vec{r}_i + \vec{v}_i t + \frac{1}{2} \vec{a} t^2$), we see that when
 $r_i = v_i = 0$,

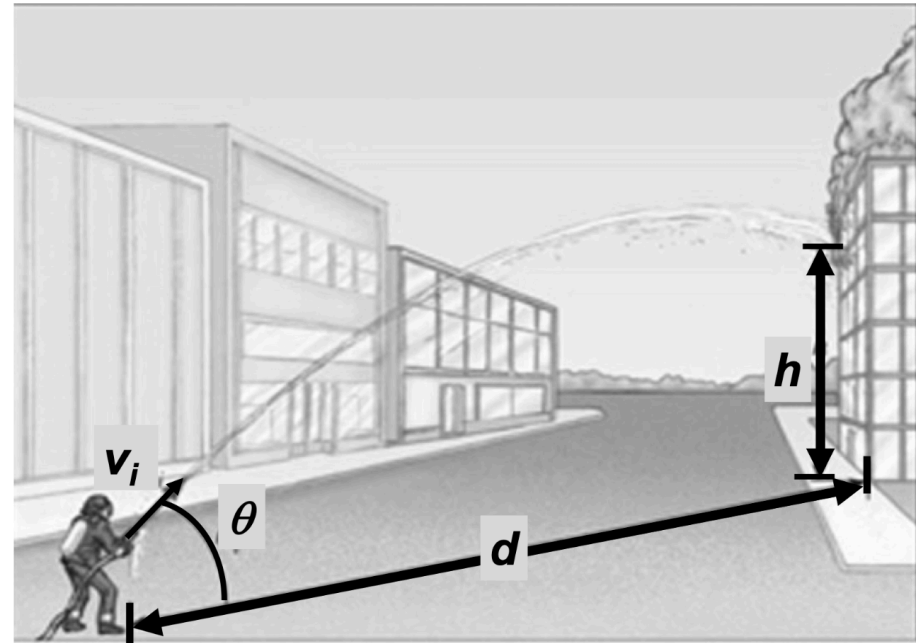
the position vector only depends on the acceleration as:

$$\vec{r} = \frac{1}{2} \vec{a} t^2$$

Therefore, the particle with the largest acceleration will have the largest displacement after the same time interval. In this case, **particle B**.

Question 4.13

A firefighter, at a distance $d = 50 \text{ m}$ from a burning building, directs a stream of water from a fire hose at an angle $\theta = 30^\circ$ above the horizontal (as in the Figure). If the initial speed of the water stream is 40 m/s , the height at which the water strike the building is:



A) 24.3 m

B) 18.7 m

C) 5.6 m

D) 31.2 m

Answer 4.13

- First, we need to find the time at which the stream of water reaches the building.

Answer 0.13

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$$d = v_i \cos(\theta)t$$

Answer 0.13

- First, we need to find the time at which the stream of water reaches the building.

$$d = v_i \cos(\theta)t \implies t = \frac{d}{v_i \cos(\theta)} = \frac{50}{40 \cos(30^\circ)} = 1.44s$$

Answer 0.13

- First, we need to find the time at which the stream of water reaches the building.

$$d = v_i \cos(\theta)t \implies t = \frac{d}{v_i \cos(\theta)} = \frac{50}{40 \cos(30^\circ)} = 1.44s$$

- Next, we can find the vertical position of the water stream at this time using the following equation:

$$y = v_i \sin(\theta)t - \frac{1}{2}gt^2$$

Answer 0.13

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$$d = v_i \cos(\theta)t \implies t = \frac{d}{v_i \cos(\theta)} = \frac{50}{40 \cos(30^\circ)} = 1.44s$$

- Next, we can find the vertical position of the water stream at this time using the following equation:

$$\begin{aligned} y &= v_i \sin(\theta)t - \frac{1}{2}gt^2 \\ &= 40 \sin(30^\circ)(1.44) - \frac{1}{2}(9.8)(1.44)^2 \\ &= 28.8 - 10.2 = 18.64 \text{ m} \end{aligned}$$

Question 0.14

A race car moving with a constant speed of **60 m/s** completes **one lap** around a circular track in **50 s**. What is the magnitude of the acceleration of the race car?

A) 7.5 m/s^2

B) 2.5 m/s^2

C) 3.4 m/s^2

D) 5.4 m/s^2

Answer 0.14

- Since the car is moving in a circular path, the centripetal acceleration is given by v^2/r .

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$$T = \frac{2\pi r}{v} \implies r = \frac{vT}{2\pi} = \frac{60 \times 50}{2\pi} = 477.7 \text{ m}$$

Answer 0.14

- Since the car is moving in a circular path, the centripetal acceleration is given by v^2/r . The velocity is given (60 m/s) and the radius r can be found from the period T using:

$$T = \frac{2\pi r}{v} \implies r = \frac{vT}{2\pi} = \frac{60 \times 50}{2\pi} = 477.7 \text{ m}$$

Therefore, the magnitude of the centripetal acceleration is:

$$a = \frac{v^2}{r} = \frac{60^2}{477.7} = 7.5 \text{ m/s}^2$$

Question 0.15

The speed of a particle moving in a circle **2 m** in radius increases at the constant rate of **4.4 m/s²**. At an instant when the magnitude of the total acceleration is **6 m/s²**, what is the speed of the particle?

A) 1.4 m/s

B) 4.2 m/s

C) **2.9 m/s**

D) 3.8 m/s

Answer 0.15

$$r = 2 \text{ m}, \quad a_t = 4.4 \text{ m/s}^2, \quad a_{\text{tot}} = 6 \text{ m/s}^2, \quad \text{Find } v = ?$$

Answer 0.15

$$r = 2 \text{ m}, \quad a_t = 4.4 \text{ m/s}^2, \quad a_{\text{tot}} = 6 \text{ m/s}^2, \quad \text{Find } v = ?$$

$$a_{\text{tot}}^2 = a_r^2 + a_t^2$$

Answer 0.15

$r = 2 \text{ m}$, $a_t = 4.4 \text{ m/s}^2$, $a_{\text{tot}} = 6 \text{ m/s}^2$, Find $v = ?$

$$a_{\text{tot}}^2 = a_r^2 + a_t^2 = \left(\frac{v^2}{r} \right)^2 + a_t^2$$

Answer 0.15

$$r = 2 \text{ m}, \quad a_t = 4.4 \text{ m/s}^2, \quad a_{\text{tot}} = 6 \text{ m/s}^2, \quad \text{Find } v = ?$$

$$a_{\text{tot}}^2 = a_r^2 + a_t^2 = \left(\frac{v^2}{r} \right)^2 + a_t^2$$

$$\Rightarrow v^2 = r \sqrt{a_{\text{tot}}^2 - a_t^2}$$

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$$\Rightarrow v = 2.9 \text{ m/s}$$