

Edit Mode is: ● ON

الجبر الخطي (Linear Algebra)

Second online Assessment, Math 244, 11th-April

Preview Test: second online Assessment, Math 244, 11th-April2020

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Test Information

Description

Instructions

Timed Test This test has a time limit of 1 hour and 15 minutes. This test will save and submit automatically when the time expires.
 Warnings appear when **half the time, 5 minutes, 1 minute, and 30 seconds** remain.
[The timer does not appear when previewing this test]

Multiple Attempts Not allowed. This test can only be taken once.

Force Completion This test can be saved and resumed at any point until time has expired. The timer will continue to run if you leave the test.

QUESTION 1

1 points

Save Answer

If $A = \begin{bmatrix} 3 & 4 \\ 2 & 5 \end{bmatrix}$, then the product between A and $\text{adj}(A)$ equals

- $2I_2$
- I_2
- $7I_2$
- 7

QUESTION 2

1 points

Save Answer

Question Completion Status:

If A is a square matrix having all entries on its main diagonal equal to 0, then $\det(A) = 0$.

- True
 False

QUESTION 3

1 points

Save Answer

If A and B are square matrices of the same size, then $\det(A^2B^5)$

equals

- $(2\det(A))(5\det(B))$
 $2\det(A) + 5\det(B)$
 $(\det(A))^2(\det(B))^5$
 $(\det(A)\det(B))^{10}$

QUESTION 4

1 points

Save Answer

For the linear system $\begin{cases} 2x - 6y = a \\ x + 7y = b \end{cases}$, the value of x is given by (using

Cramer's rule)

- $\frac{\det \begin{bmatrix} 2 & -6 \\ 1 & 7 \end{bmatrix}}{\det \begin{bmatrix} a & -6 \\ b & 7 \end{bmatrix}}$
 $\frac{\det \begin{bmatrix} 2 & -6 \\ 1 & 7 \end{bmatrix}}{\det \begin{bmatrix} a & b \\ 1 & 7 \end{bmatrix}}$
 $\frac{\det \begin{bmatrix} a & -6 \\ b & 7 \end{bmatrix}}{\det \begin{bmatrix} 2 & -6 \\ 1 & 7 \end{bmatrix}}$

Question Completion Status:

$$\frac{\det \begin{bmatrix} a & b \\ 1 & 7 \end{bmatrix}}{\det \begin{bmatrix} 2 & -6 \\ 1 & 7 \end{bmatrix}}$$

QUESTION 5**1 points**

Save Answer

If $A = \begin{bmatrix} 0 & 0 & 2 \\ 0 & 1 & 0 \\ 1 & 0 & 0 \end{bmatrix}$, then $\det(A^T)$ equals

- 2
- 4
- $\frac{1}{2}$
- 2

QUESTION 6**1 points**

Save Answer

If $\begin{vmatrix} a & b \\ c & d \end{vmatrix} = 6$, then $\begin{vmatrix} 2c & 2d \\ a & b \end{vmatrix}$ equals

- 12
- 24
- 12
- 8

QUESTION 7**1 points**

Save Answer

Question Completion Status:

If $A = \begin{bmatrix} 2 & 0 & 3 \\ 1 & -1 & 0 \\ 0 & 0 & 2 \end{bmatrix}$, then the cofactor C_{12} equals

- 0
 -2
 2
 1

QUESTION 8

1 points

Save Answer

If $A = \begin{bmatrix} -1 & 2 & 6 \\ d & 0 & 3 \\ 1 & 0 & 2 \end{bmatrix}$

- $\det(A) = 4d - 6$
 $\det(A) = -4d + 6$
 $\det(A) = 4d - 3$
 $\det(A) = -4d + 3$

QUESTION 9

1 points

Save Answer

If A and B are 3x3 matrices, with $\det(A) = -1$ and $\det(3A^2BA^{-1}) = -54$, then

- $\det(B) = -18$
 $\det(B) = 18$
 $\det(B) = -2$
 $\det(B) = 2$

Question Completion Status:

QUESTION 10

1 points

Save Answer

If $A = \begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 1 & 0 & 1 \end{bmatrix}$, then $\text{adj}(A)$ equals

$\begin{bmatrix} 1 & 0 & -1 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$

$\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ -1 & 0 & 1 \end{bmatrix}$

$\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$

$\begin{bmatrix} -1 & 0 & 0 \\ 0 & 1 & 0 \\ 1 & 0 & 1 \end{bmatrix}$

QUESTION 11

1 points

Save Answer

What is x if $\det(A-2I)=10$ and the matrix A is

$$\begin{bmatrix} x & 0 & 0 \\ 2 & 0 & 0 \\ -1 & 4 & -3 \end{bmatrix}$$

$x = -3$

$x = 2$

$x = 3$

$x = -2$

Question Completion Status:

If A is a square matrix, then A is invertible if and only if A^2 is invertible.

- True
 False

QUESTION 13**1 points**

Save Answer

If $A = \begin{bmatrix} 1 & 2 & -1 \\ -1 & 2 & 5 \\ 1 & 4 & -2 \end{bmatrix}$, then the determinant of A equals

- 4
 -4
 -12
 0

QUESTION 14**1 points**

Save Answer

If A is a 3×3 matrix such that $A = -A^T$, then

- $\det(A) = 0$
 A is symmetric
 $\det(A) \neq 0$
 $\det(A) = -\frac{1}{2}$

QUESTION 15**1 points**

Save Answer

If A , B and C are square matrices of the same size, then $\det(A + B + C) = \det(A) + \det(B) + \det(C)$

⌵ Question Completion Status:

Save All Answers

Save and Submit