

Chapter 7

Annual Worth Analysis

Systematic Economic Analysis Technique

- 1. Identify the investment alternatives**
- 2. Define the planning horizon**
- 3. Specify the discount rate**
- 4. Estimate the cash flows**
- 5. Compare the alternatives**
- 6. Perform supplementary analyses**
- 7. Select the preferred investment**

Annual Worth Analysis

Single Alternative

Annual Worth Method

- converts all cash flows to a uniform annual series over the planning horizon using $i = \text{MARR}$
- a popular DCF method

$$AW (i\%) = \left[\sum_{t=0}^n A_t (1+i)^{-t} \right] \left[\frac{i(1+i)^n}{(1+i)^n - 1} \right]$$

$$AW (i\%) = PW (i\%) (A | P i\%, n)$$

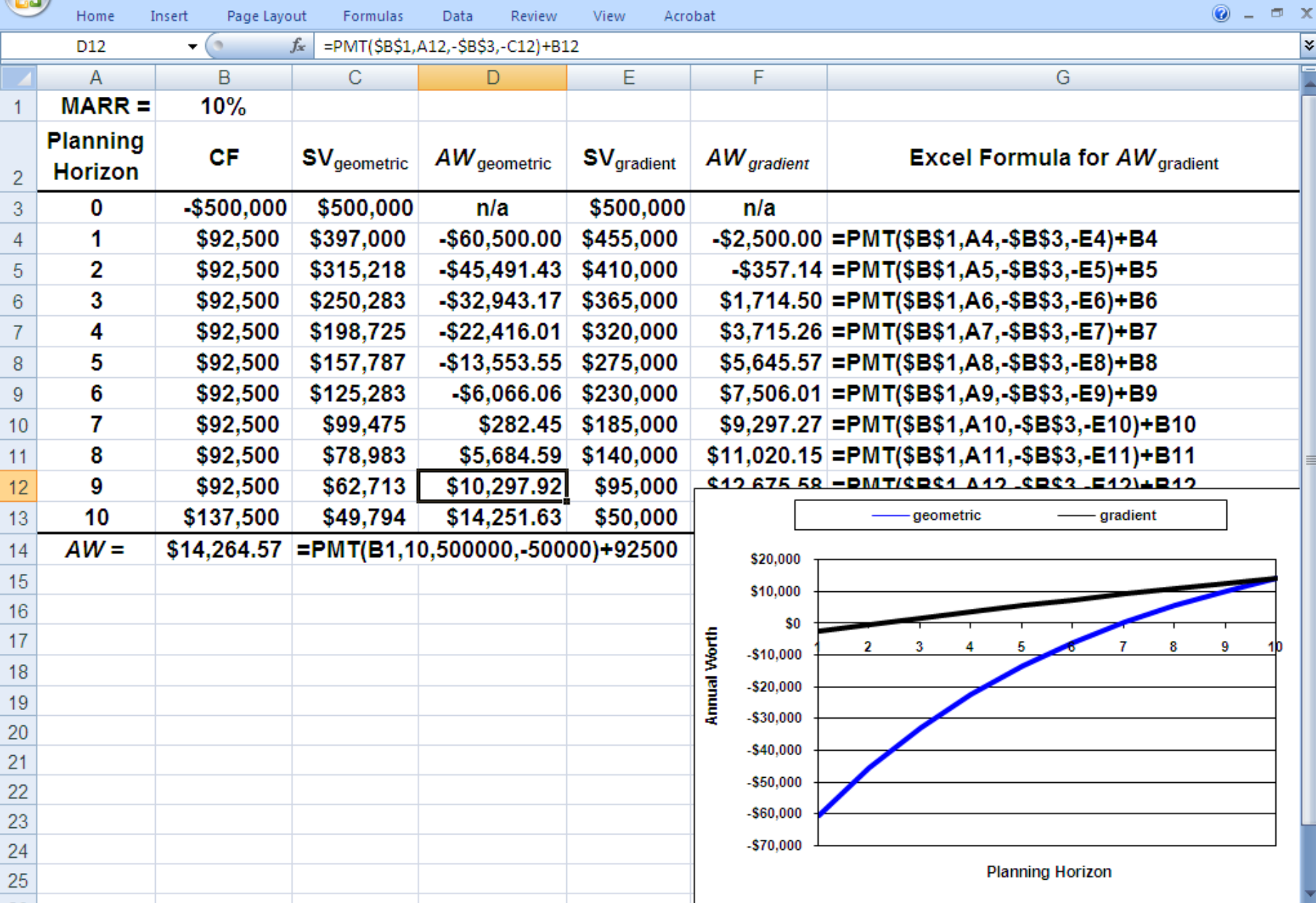
SMP Investment

A \$500,000 investment in a surface mount placement machine is being considered. Over a 10-year planning horizon, it is estimated the SMP machine will produce net annual savings of \$92,500. At the end of 10 years, it is estimated the SMP machine will have a \$50,000 salvage value. Based on a 10% MARR and annual worth analysis, should the investment be made?

$$\begin{aligned} AW(10\%) &= -\$500K(A|P 10\%,10) + \$92.5K \\ &\quad + \$50K(A|F 10\%,10) \\ &= \$14,262.50 \\ &= \text{PMT}(10\%,10,500000,-50000)+92500 \\ &= \$14,264.57 \end{aligned}$$

SMP Investment

How does annual worth change over the life of the investment? How does annual worth change when the salvage value decreases geometrically and as a gradient series?



Let's use **SOLVER** to determine the *DPBP* using *AW* analysis.

	A	B	C	D	E	F	G	
1	MARR =	10%						
2	Planning Horizon	CF	SV_{geometric}	AW_{geometric}	SV_{gradient}	AW_{gradient}		
3	0	-\$500,000	\$500,000	n/a	\$500,000	n/a		
4	1	\$92,500	\$397,000	-\$60,500.00	\$455,000	-\$2,500.00		
5	2	\$92,500	\$315,218	-\$45,491.43	\$410,000	-\$357.14		
6	3	\$92,500	\$250,283	-\$32,943.17	\$365,000	\$1,714.50		
7	4	\$92,500	\$198,725	-\$22,416.01	\$320,000	\$3,715.26		
8	5	\$92,500	\$157,787	-\$13,553.55	\$275,000	\$5,645.57		
9	6	\$92,500	\$125,283	-\$6,066.06	\$230,000	\$7,506.01		
10	7	\$92,500	\$99,475	\$282.45	\$185,000	\$9,297.27		
11	8	\$92,500	\$78,983	\$5,684.59	\$140,000	\$11,020.15		
12	9	\$92,500	\$62,713	\$10,297.92	\$95,000	\$12,675.58		
13	10	\$137,500	\$49,794	\$14,251.63	\$50,000	\$14,264.57		
14	AW =	\$14,264.57	=PMT(B1,10,500000,-50000)+92500					
15		geometric	gradient					
16	n =	10	10					
17	AW =	\$14,251.63	\$14,264.57	=PMT(\$B\$1,C17,500000,-500000+45000*C17)+92500				
18				=PMT(\$B\$1,B17,500000,-500000*(1-0.206)^B17)+92500				

Chapter 7 tables and figures (11-14-08) [Compatibility Mode] - Microsoft Excel

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B17 $=PMT(\$B\$1,B16,500000,-500000*(1-0.206)^{B16})+92500$

	A	B	C	D	E	F	G
1	MARR =	10%					
2	Planning Horizon						
3	0						
4	1						
5	2						
6	3						
7	4						
8	5						
9	6						
10	7						
11	8						
12	9						
13	10						
14	AW =	\$14,264.57	$=PMT(B1,10,500000,-50000)+92500$				
15		geometric	gradient				
16	n =	10	10				
17	AW =	\$14,251.63	\$14,264.57	$=PMT(\$B\$1,C17,500000,-500000+45000*C17)+92500$			
18				$=PMT(\$B\$1,B17,500000,-500000*(1-0.206)^{B17})+92500$			

Solver Parameters

Set Target Cell:

Equal To: Max Min Value of:

By Changing Cells:

Subject to the Constraints:

Buttons: Solve, Close, Options, Add, Change, Delete, Reset All, Help

Figure 7.1 Figure 7.2 Figure 7.3 Figure 7.4 Figure 7.5 Figure 7.6 Figure 7.7

Chapter 7 tables and figures (11-14-08) [Compatibility Mode] - Microsoft Excel

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B17 $=PMT(\$B\$1,B16,500000,-500000*(1-0.206)^{B16})+92500$

	A	B	C	D	E	F	G	
1	MARR =	10%						
2	Planning Horizon	CF	SV_{geometric}	AW_{geometric}	SV_{gradient}	AW_{gradient}		
3	0	-\$500,000	\$500,000	n/a	\$500,000	n/a		
4	1	\$92,500	\$397,000	-\$60,500.00	\$455,000	-\$2,500.00		
5	2	\$92,500	\$315,218	-\$45,491.43	\$410,000	-\$357.14		
6	3	\$92,500	\$250,283	-\$32,943.17	\$365,000	\$1,714.50		
7	4	\$92,500	\$198,725	-\$22,416.01	\$320,000	\$3,715.26		
8	5	\$92,500	\$157,787	-\$13,553.55	\$275,000	\$5,645.57		
9	6	\$92,500	\$125,283	-\$6,066.06	\$230,000	\$7,506.01		
10	7	\$92,500	\$99,475	\$282.45	\$185,000	\$9,297.27		
11	8	\$92,500	\$78,983	\$5,684.59	\$140,000	\$11,020.15		
12	9	\$92,500	\$62,713	\$10,297.92	\$95,000	\$12,675.58		
13	10	\$137,500	\$49,794	\$14,251.63	\$50,000	\$14,264.57		
14	AW =	\$14,264.57	=PMT(B1,10,500000,-50000)+92500					
15		geometric	gradient					
16	n =	6.9518752	10					
17	AW =	\$0.00	\$14,264.57	=PMT(\$B\$1,C17,500000,-500000+45000*C17)+92500				
18				=PMT(\$B\$1,B17,500000,-500000*(1-0.206)^B17)+92500				

Figure 7.1 Figure 7.2 Figure 7.3 Figure 7.4 Figure 7.5 Figure 7.6 Figure 7.7

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B17 $=\text{PMT}(\$B\$1,B16,500000,-500000*(1-0.206)^{B16})+92500$

	A	B	C	D	E	F	G
1	MARR =	10%					
2						gradient	
3						n/a	
4						,500.00	
5						\$357.14	
6						,714.50	
7						,715.26	
8						,645.57	
9						,506.01	
10						,297.27	
11						,020.15	
12						,675.58	
13	10	\$137,500	\$49,794	\$14,251.65	\$50,000	\$14,264.57	
14	AW =	\$14,264.57	=PMT(B1,10,500000,-50000)+92500				
15		geometric	gradient				
16	n =	6.9518752	10				
17	AW =	\$0.00	\$14,264.57	=PMT(\$B\$1,C17,500000,-500000+45000*C17)+92500			
18				=PMT(\$B\$1,B17,500000,-500000*(1-0.206)^B17)+92500			

Solver Parameters

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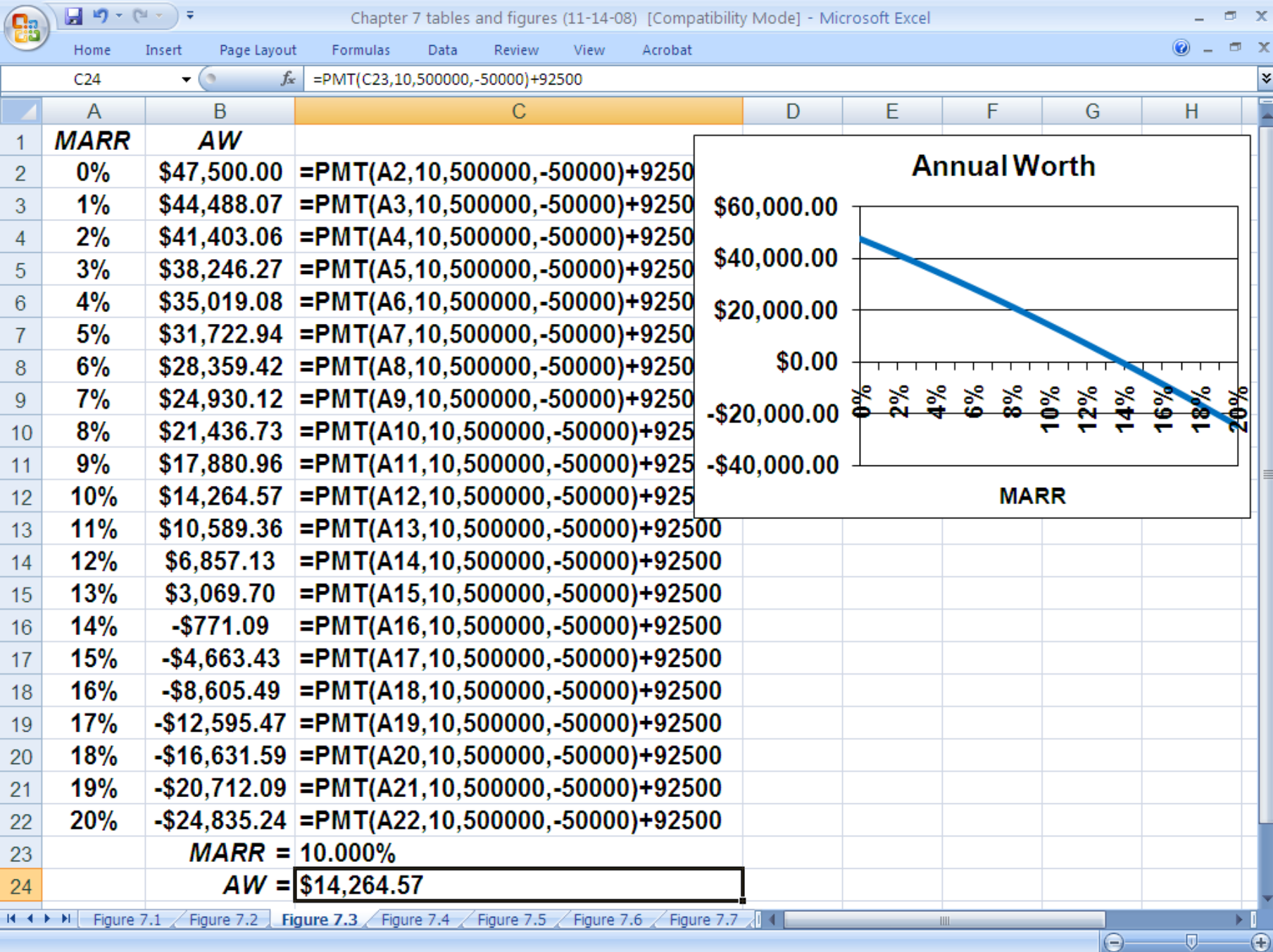
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Subject to the Constraints:

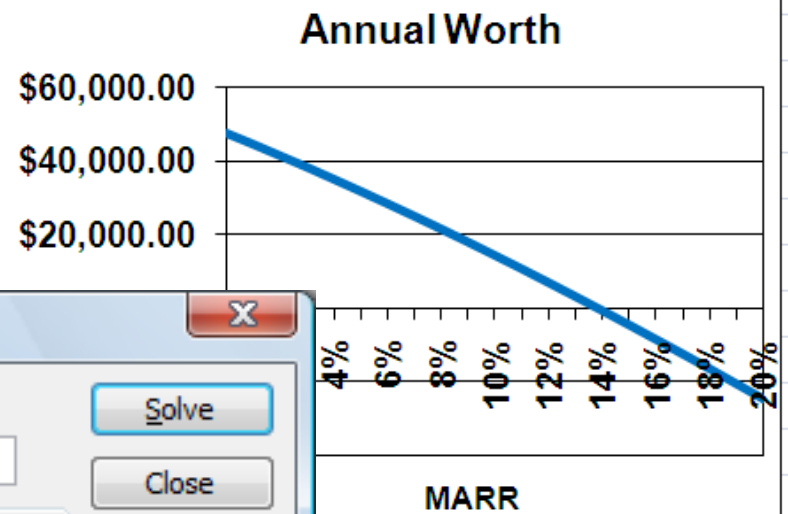
Figure 7.1 Figure 7.2 Figure 7.3 Figure 7.4 Figure 7.5 Figure 7.6 Figure 7.7

	A	B	C	D	E	F	G	
1	MARR =	10%						
2	Planning Horizon	CF	SV_{geometric}	AW_{geometric}	SV_{gradient}	AW_{gradient}		
3	0	-\$500,000	\$500,000	n/a	\$500,000	n/a		
4	1	\$92,500	\$397,000	-\$60,500.00	\$455,000	-\$2,500.00		
5	2	\$92,500	\$315,218	-\$45,491.43	\$410,000	-\$357.14		
6	3	\$92,500	\$250,283	-\$32,943.17	\$365,000	\$1,714.50		
7	4	\$92,500	\$198,725	-\$22,416.01	\$320,000	\$3,715.26		
8	5	\$92,500	\$157,787	-\$13,553.55	\$275,000	\$5,645.57		
9	6	\$92,500	\$125,283	-\$6,066.06	\$230,000	\$7,506.01		
10	7	\$92,500	\$99,475	\$282.45	\$185,000	\$9,297.27		
11	8	\$92,500	\$78,983	\$5,684.59	\$140,000	\$11,020.15		
12	9	\$92,500	\$62,713	\$10,297.92	\$95,000	\$12,675.58		
13	10	\$137,500	\$49,794	\$14,251.63	\$50,000	\$14,264.57		
14	AW =	\$14,264.57	=PMT(B1,10,500000,-50000)+92500					
15		geometric	gradient					
16	n =	6.9518752	2.1699745					
17	AW =	\$0.00	\$0.00	=PMT(\$B\$1,C17,500000,-500000+45000*C17)+92500				
18				=PMT(\$B\$1,B17,500000,-500000*(1-0.206)^B17)+92500				



C24 fx =PMT(C23,10,500000,-50000)+92500

	A	B	C
1	MARR	AW	
2	0%	\$47,500.00	=PMT(A2,10,500000,-50000)+92500
3	1%	\$44,488.07	=PMT(A3,10,500000,-50000)+92500
4	2%	\$41,403.06	=PMT(A4,10,500000,-50000)+92500
5	3%	\$38,246.27	=PMT(A5,10,500000,-50000)+92500
6	4%	\$35,019.08	=PMT(A6,10,500000,-50000)+92500
7	5%	\$31,722.94	=PMT(A7,10,500000,-50000)+92500



Solver Parameters

Set Target Cell:

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Solve

Equal To:

 Max Min Value of:

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Close

By Changing Cells:

\$C\$23

Guess

Subject to the Constraints:

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Change

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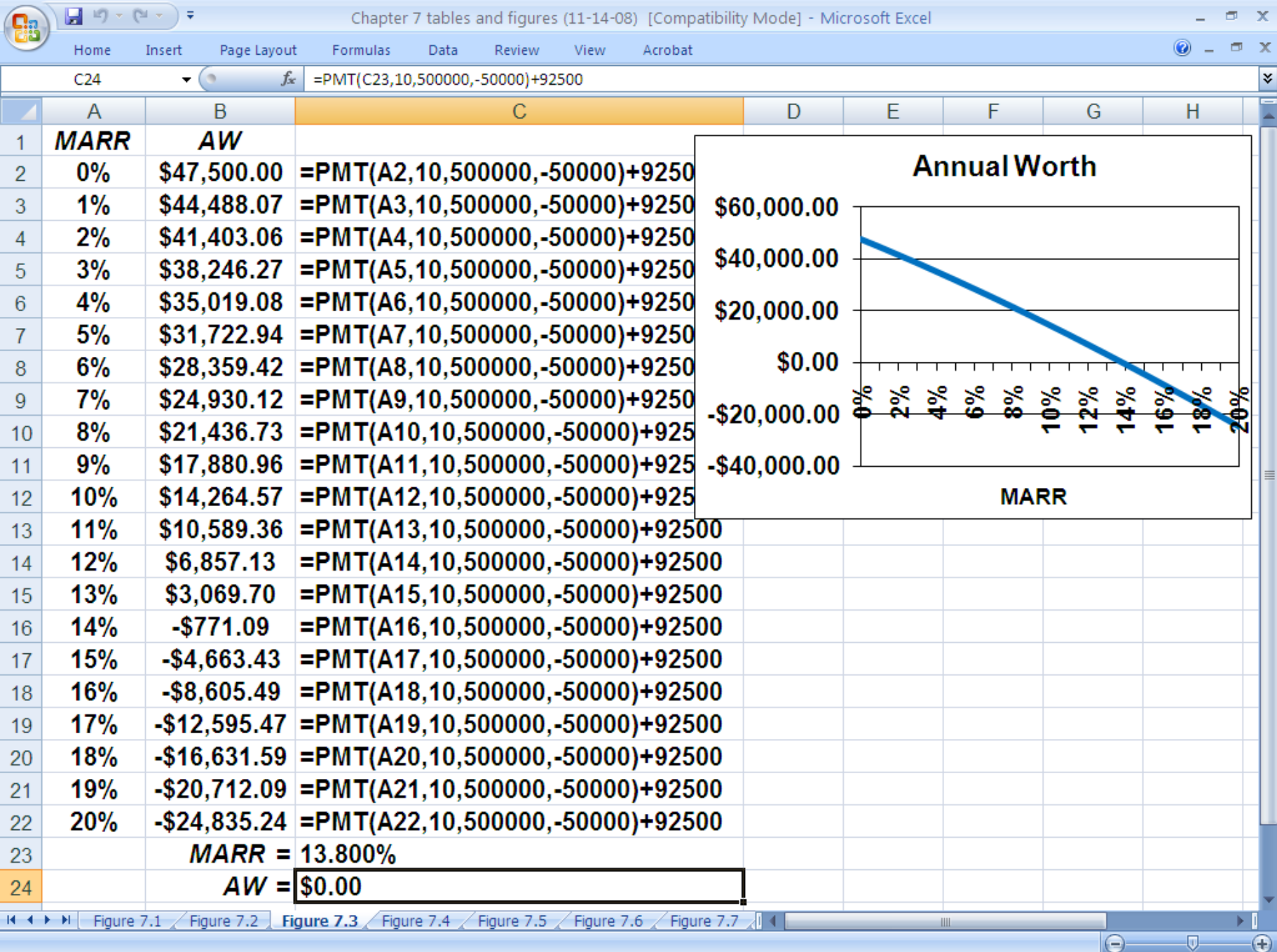
Options

Reset All

Help

MARR = 10.000%

AW = \$14,264.57



Annual Worth Analysis

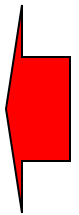
Multiple Alternatives

Example 7.4

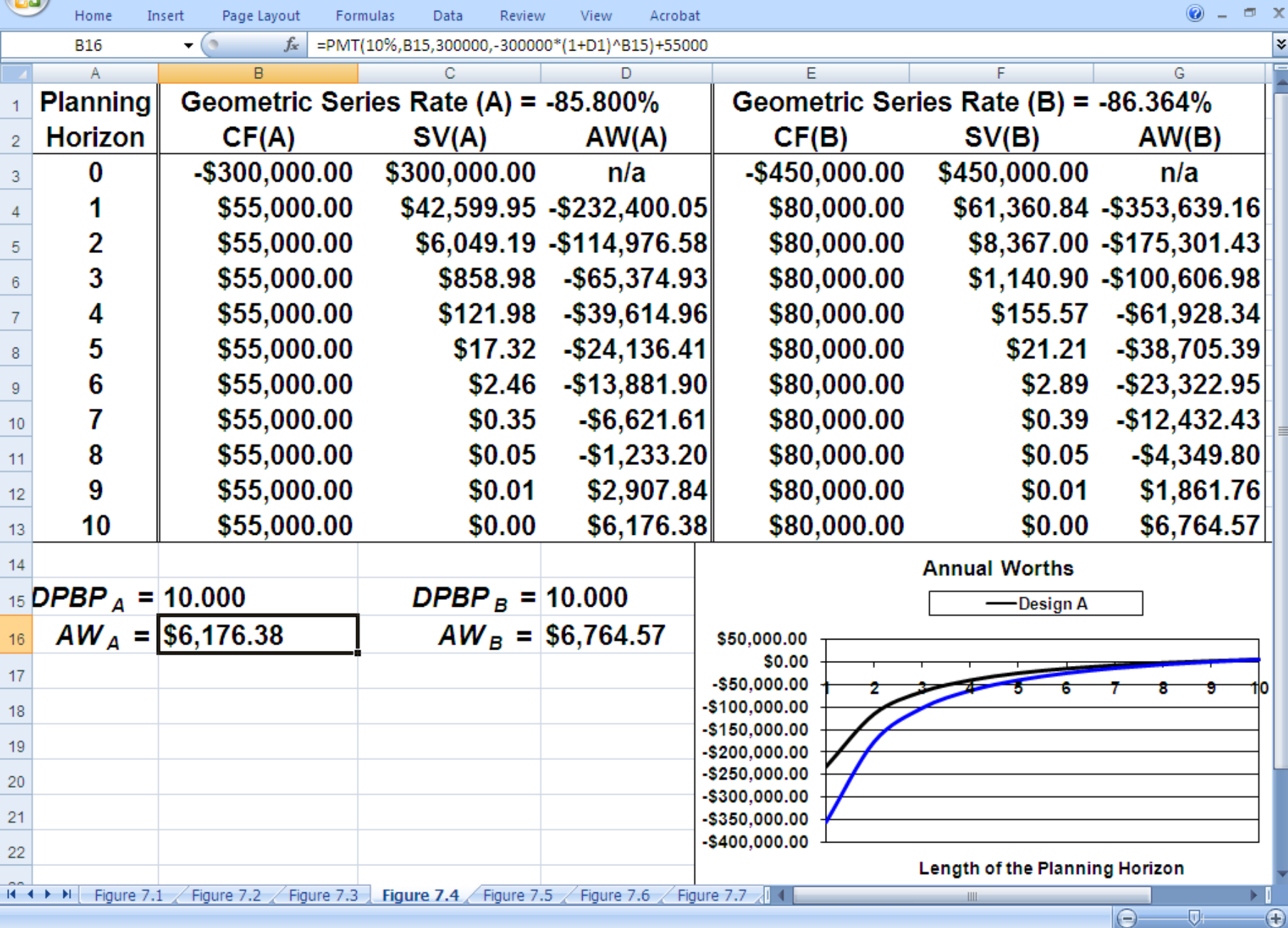
Recall the example involving two alternative designs for a new ride at a theme park: Alt. A costs \$300,000, has net annual after-tax revenue of \$55,000, and has a negligible salvage value at the end of the 10-year planning horizon; Alt. B costs \$450,000, has revenue of \$80,000/yr., and has a negligible salvage value. Based on an AW analysis and a 10% MARR, which is preferred?

$$\begin{aligned} AW_A(10\%) &= -\$300,000(A/P\ 10\%, 10) + \$55,000 \\ &= -\$300,000(0.16275) + \$55,000 = \$6175.00 \\ &= \text{PMT}(10\%, 10, 300000) + 55000 = \$6176.38 \end{aligned}$$

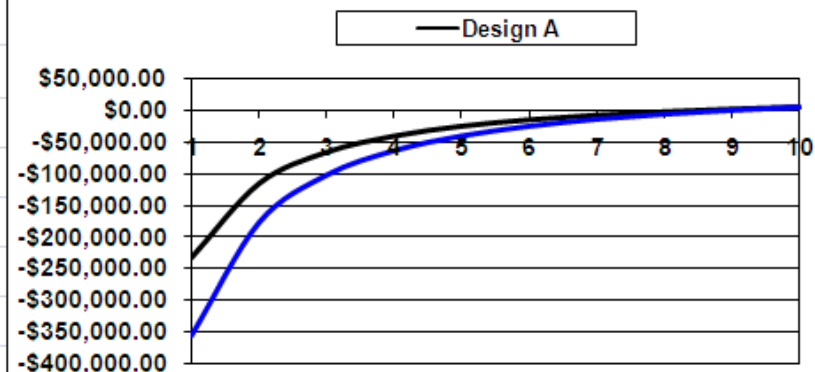
$$\begin{aligned} AW_B(10\%) &= -\$450,000(A/P\ 10\%, 10) + \$80,000 \\ &= -\$450,000(0.16275) + \$80,000 = \$6762.50 \\ &= \text{PMT}(10\%, 10, 450000) + 80000 = \$6764.57 \end{aligned}$$



Analyze the impact on AW based on salvage values decreasing geometrically to 1¢ after 10 years.



Annual Worths



Length of the Planning Horizon

	A	B	C	D	E	F	G
1	Planning Horizon	Geometric CF(A)					4%
2							(B)
3	0	-\$300,000					/a
4	1	\$55,000					639.16
5	2	\$55,000					301.43
6	3	\$55,000					606.98
7	4	\$55,000					928.34
8	5	\$55,000					705.39
9	6	\$55,000					322.95
10	7	\$55,000					432.43
11	8	\$55,000					349.80
12	9	\$55,000					861.76
13	10	\$55,000					764.57
14							
15	$DPBP_A = 10.000$		$DPBP_B = 10.000$				
16	$AW_A = \$6,176.38$		$AW_B = \$6,764.57$				

Solver Parameters

Set Target Cell:

Equal To: Max Min Value of:

By Changing Cells:

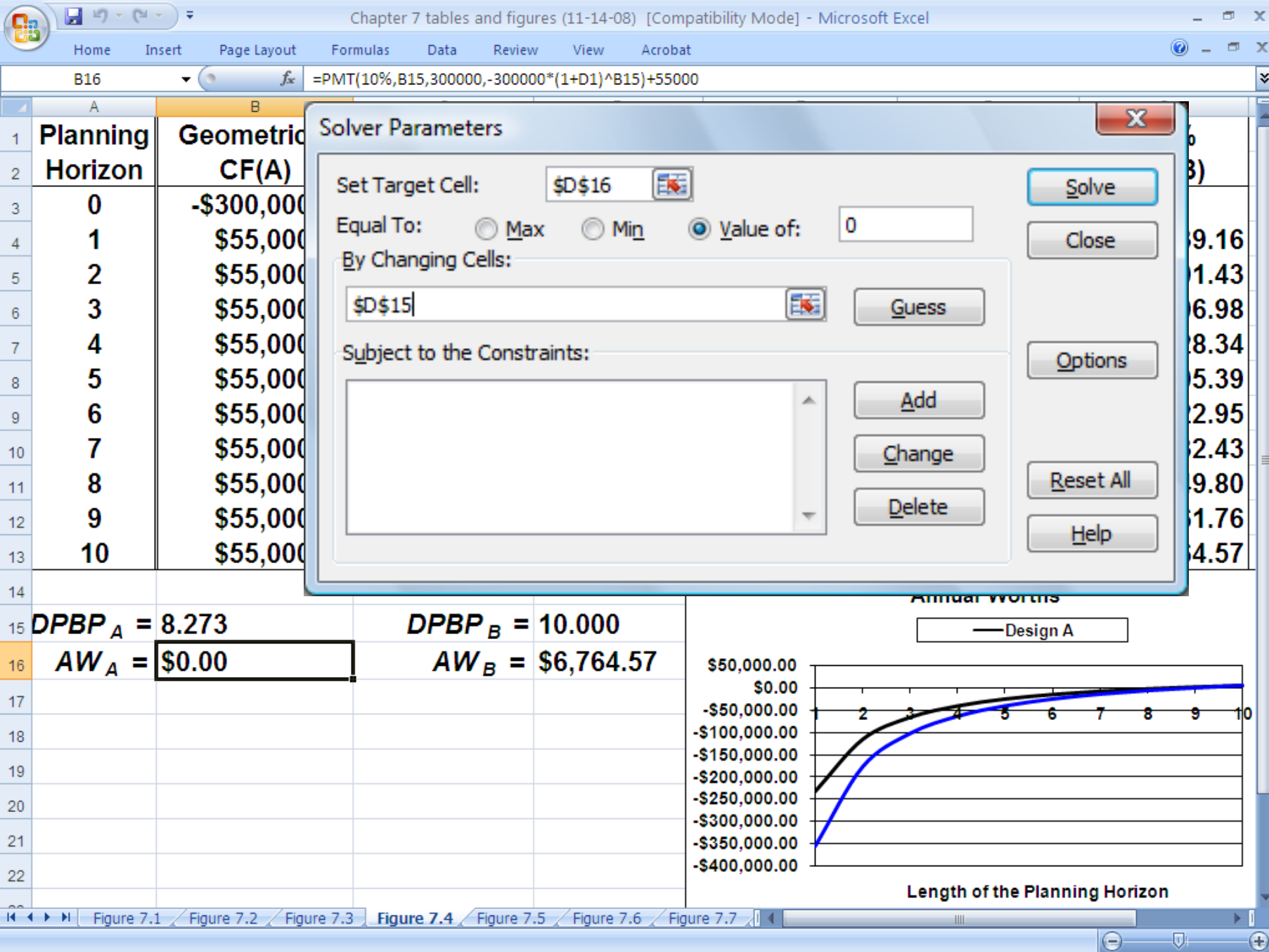
Subject to the Constraints:

— Design A

Length of the Planning Horizon

	A	B	C	D	E	F	G
	=PMT(10%,B15,300000,-300000*(1+D1)^B15)+55000						
1	Planning	Geometric Series Rate (A) = -85.800%			Geometric Series Rate (B) = -86.364%		
2	Horizon	CF(A)	SV(A)	AW(A)	CF(B)	SV(B)	AW(B)
3	0	-\$300,000.00	\$300,000.00	n/a	-\$450,000.00	\$450,000.00	n/a
4	1	\$55,000.00	\$42,599.95	-\$232,400.05	\$80,000.00	\$61,360.84	-\$353,639.16
5	2	\$55,000.00	\$6,049.19	-\$114,976.58	\$80,000.00	\$8,367.00	-\$175,301.43
6	3	\$55,000.00	\$858.98	-\$65,374.93	\$80,000.00	\$1,140.90	-\$100,606.98
7	4	\$55,000.00	\$121.98	-\$39,614.96	\$80,000.00	\$155.57	-\$61,928.34
8	5	\$55,000.00	\$17.32	-\$24,136.41	\$80,000.00	\$21.21	-\$38,705.39
9	6	\$55,000.00	\$2.46	-\$13,881.90	\$80,000.00	\$2.89	-\$23,322.95
10	7	\$55,000.00	\$0.35	-\$6,621.61	\$80,000.00	\$0.39	-\$12,432.43
11	8	\$55,000.00	\$0.05	-\$1,233.20	\$80,000.00	\$0.05	-\$4,349.80
12	9	\$55,000.00	\$0.01	\$2,907.84	\$80,000.00	\$0.01	\$1,861.76
13	10	\$55,000.00	\$0.00	\$6,176.38	\$80,000.00	\$0.00	\$6,764.57
14					Annual Worths		
15	DPBP_A = 8.273		DPBP_B = 10.000		— Design A		
16	AW_A = \$0.00		AW_B = \$6,764.57				

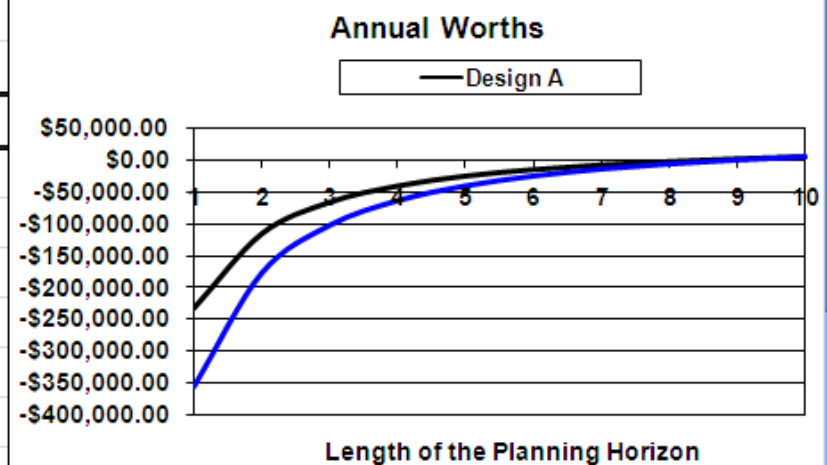
Length of the Planning Horizon



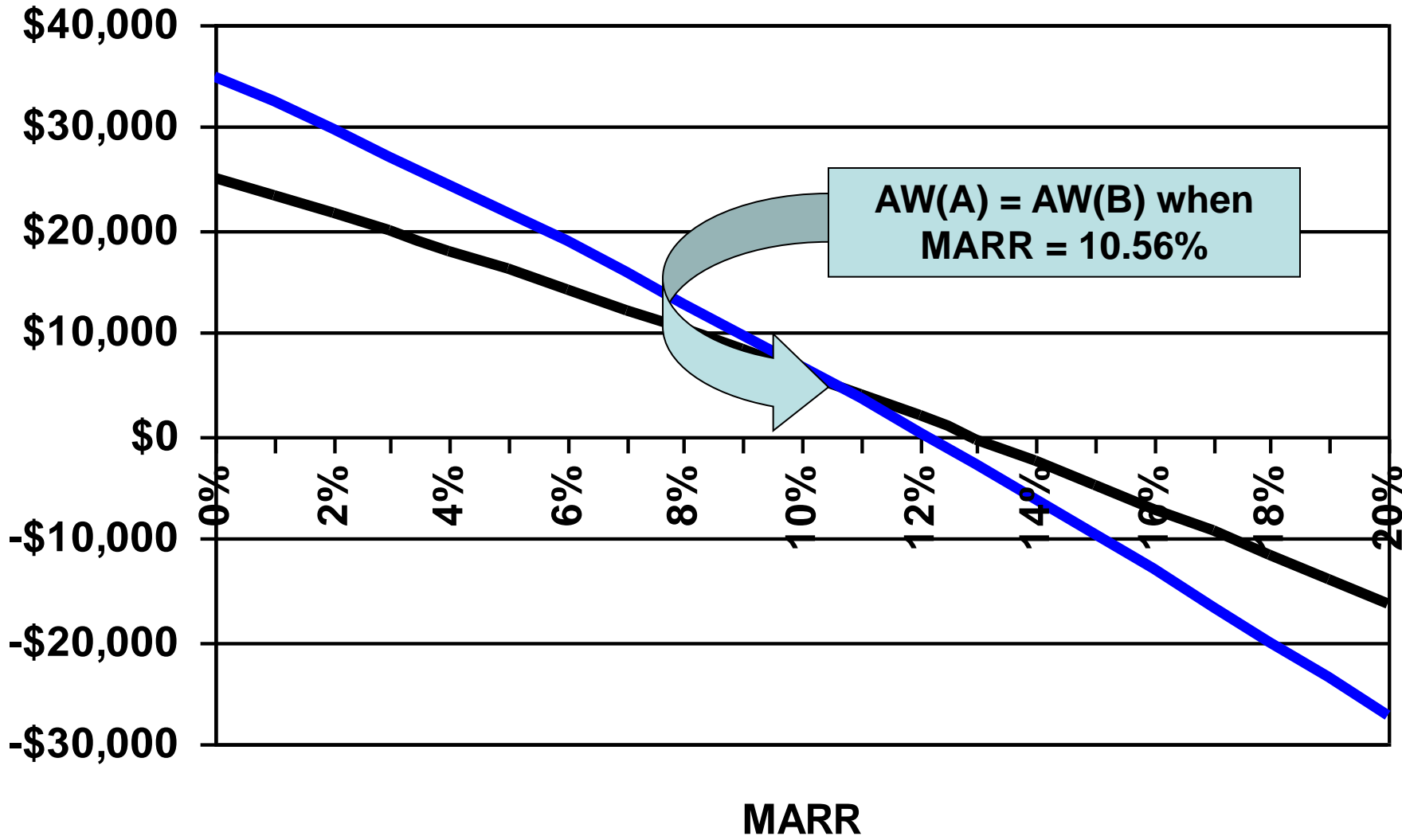
D16 $=\text{PMT}(10\%,D15,450000,-450000*(1+G1)^{D15})+80000$

	A	B	C	D	E	F	G
1	Planning	Geometric Series Rate (A) = -85.800%			Geometric Series Rate (B) = -86.364%		
2	Horizon	CF(A)	SV(A)	AW(A)	CF(B)	SV(B)	AW(B)
3	0	-\$300,000.00	\$300,000.00	n/a	-\$450,000.00	\$450,000.00	n/a
4	1	\$55,000.00	\$42,599.95	-\$232,400.05	\$80,000.00	\$61,360.84	-\$353,639.16
5	2	\$55,000.00	\$6,049.19	-\$114,976.58	\$80,000.00	\$8,367.00	-\$175,301.43
6	3	\$55,000.00	\$858.98	-\$65,374.93	\$80,000.00	\$1,140.90	-\$100,606.98
7	4	\$55,000.00	\$121.98	-\$39,614.96	\$80,000.00	\$155.57	-\$61,928.34
8	5	\$55,000.00	\$17.32	-\$24,136.41	\$80,000.00	\$21.21	-\$38,705.39
9	6	\$55,000.00	\$2.46	-\$13,881.90	\$80,000.00	\$2.89	-\$23,322.95
10	7	\$55,000.00	\$0.35	-\$6,621.61	\$80,000.00	\$0.39	-\$12,432.43
11	8	\$55,000.00	\$0.05	-\$1,233.20	\$80,000.00	\$0.05	-\$4,349.80
12	9	\$55,000.00	\$0.01	\$2,907.84	\$80,000.00	\$0.01	\$1,861.76
13	10	\$55,000.00	\$0.00	\$6,176.38	\$80,000.00	\$0.00	\$6,764.57

14							
15	$DPBP_A = 8.273$		$DPBP_B = 8.674$				
16	$AW_A = \$0.00$		$AW_B = \$0.00$				
17							
18							
19							
20							
21							
22							



— AW(A) — AW(B)



Example 7.5

For The Scream Machine alternatives (A costing \$300,000, saving \$55,000, and having a negligible salvage value at the end of the 10-year planning horizon; B costing \$450,000, saving \$80,000, and having a negligible salvage value), using an incremental AW analysis and a 10% MARR, which is preferred?

$$\begin{aligned}AW_A(10\%) &= -\$300,000(A/P\ 10\%,10) + \$55,000 \\ &= -\$300,000(0.16275) + \$55,000 = \$6175.00 \\ &= \text{PMT}(10\%,10,300000)+55000 = \$6176.38 > \$0\end{aligned}$$

(A is better than “do nothing”)

$$\begin{aligned}AW_{B-A}(10\%) &= -\$150,000(A/P\ 10\%,10) + \$25,000 \\ &= -\$150,000(0.16275) + \$25,000 = \$587.50 \\ &= \text{PMT}(10\%,10,150000)+25000 = \$588.19 > \$0\end{aligned}$$

(B is better than A)

Prefer B

Example 7.6

If an investor's MARR is 12%, which mutually exclusive investment alternative maximizes the investor's future worth, given the parameters shown below?

EOY	CF(1)	CF(2)	CF(3)
0	-\$10,000	-\$15,000	-\$20,000
1	\$5,000	\$5,000	\$0
2	\$5,000	\$5,000	\$3,000
3	\$10,000	\$5,000	\$6,000
4		\$5,000	\$9,000
5		\$5,000	\$12,000
6		\$7,500	\$15,000

Consider 3 scenarios: individual life cycles; least common multiple of lives; and “one-shot” investments

Example 7.6 (Continued)

Scenario 1: individual life cycles

$$\begin{aligned} AW_1(12\%) &= -\$10,000(A|P\ 12\%,3) + \$5000 + \$5000(A|F\ 12\%,3) \\ &= \$2318.25 \end{aligned}$$

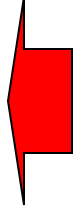
$$= \text{PMT}(12\%,3,10000,-5000)+5000 = \$2318.26$$

$$\begin{aligned} AW_2(12\%) &= -\$15,000(A|P\ 12\%,6) + \$5000 + \$2500(A|F\ 5\%,6) \\ &= \$1659.63 \end{aligned}$$

$$= \text{PMT}(12\%,6,15000,-2500)+5000 = \$1659.68$$

$$\begin{aligned} AW_3(12\%) &= -\$20,000(A|P\ 12\%,6) + \$3000(A|G\ 12\%,6) \\ &= \$1651.55 \end{aligned}$$

$$\begin{aligned} &= \text{PMT}(12\%,6,-1000*\text{NPV}(12\%,0,3,6,9,12,15)+20000) \\ &= \$1651.63 \end{aligned}$$



Example 7.6 (Continued)

Scenario 2: least common multiple of lives

EOY	CF(1')	CF(2)	CF(3)
0	-\$10,000	-\$15,000	-\$20,000
1	\$5,000	\$5,000	\$0
2	\$5,000	\$5,000	\$3,000
3	\$0	\$5,000	\$6,000
4	\$5,000	\$5,000	\$9,000
5	\$5,000	\$5,000	\$12,000
6	\$10,000	\$7,500	\$15,000

$$AW_1(12\%) = -\$10,000(A|P\ 12\%,6) + \$5000 + \$5000(A|F\ 12\%,6) - \$5000(A|P\ 12\%,3)(A|P\ 12\%,6)$$

$$= \$2318.22$$

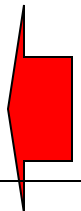
$$= \text{PMT}(12\%,6,10000,-5000)+5000$$

$$+ \text{PMT}(12\%,6,\text{PV}(12\%,3,-5000)) = \$2318.26$$

$$AW_2(12\%) = \$1473.17 = \$1473.23$$

$$AW_3(12\%) = \$1651.55 = \$1651.63$$

Identical results!



Example 7.6 (Continued)

Scenario 3: "one-shot" investments

EOY	CF(1)	CF(2)	CF(3)
0	-\$10,000	-\$14,500	-\$20,000
1	\$5,000	\$5,000	\$0
2	\$5,000	\$5,000	\$3,000
3	\$10,000	\$5,000	\$6,000
4	\$0	\$5,000	\$9,000
5	\$0	\$5,000	\$12,000
6	\$0	\$5,000	\$15,000

$$\begin{aligned} AW_1(12\%) &= \{-\$10,000 + [\$5000(P|A\ 12\%,3) \\ &\quad + \$5000(P/F\ 12\%,3)]\}(A/P\ 12\%,6) = \$1354.32 \\ &= \text{PMT}(12\%,6,10000 - \text{PV}(12\%,3,-5000,-5000)) \\ &= \$1354.29 \end{aligned}$$

$$AW_2(12\%) = \$1473.17 = \$1473.23$$

$$AW_3(12\%) = \$1651.55 = \$1651.63$$



Considering scenarios 1 and 2, is it reasonable to assume an investment alternative equivalent to Alt. 1 will be available in 3 years? If so, why was the MARR set equal to 12%?

Example 7.7

Three industrial mowers (Small, Medium, and Large) are being evaluated by a company that provides lawn care service. Determine the economic choice, based on the following cost and performance parameters:

	Small	Medium	Large
First Cost:	\$1,500	\$2,000	\$5,000
Operating Cost/Hr	\$35	\$50	\$76
Revenue/Hr	\$55	\$75	\$100
Hrs/Yr	1,000	1,100	1,200
Useful Life (Yrs)	2	3	5

Use AW analysis to determine the preferred mower, based on a MARR of 12%.

Example 7.7 (Continued)

$$AW_{\text{small}} = -\$1500(A/P\ 12\%,2) + \$20(1000) = \$19,112.45$$
$$= \text{PMT}(12\%,2,1500) + 20 * 1000 = \$19,112.45$$

$$AW_{\text{med}} = -\$2000(A/P\ 12\%,3) + \$25(1100) = \$26,667.30$$
$$= \text{PMT}(12\%,3,2000) + 25 * 1100 = \$26,667.30$$

$$AW_{\text{large}} = -\$5000(A/P\ 12\%,5) + \$24(1200) = \$27,412.95$$
$$= \text{PMT}(12\%,5,5000) + 24 * 1200 = \$27,412.95$$

What did we assume when solving the example?



Example 7.8

If a 5-year planning horizon were used, what salvage values are required to have the same AW as before? The small mower will be replaced at the end of year 4; the medium mower will be replaced at the end of year 3. One year of service of the small mower will have the following cash flows:

$$\begin{aligned}SV_{\text{small}} &= \$19,112.45(F/A\ 12\%,1) - \$20,000(F/A\ 12\%,1) \\ &\quad + \$1500(F/P\ 12\%,1) = \$792.45 \\ &= FV(12\%,1,-19112.45) - FV(12\%,1,-20000,1500) \\ &= \$792.45\end{aligned}$$

$$\begin{aligned}SV_{\text{med}} &= \$26,667.30(F/A\ 12\%,2) - \$27,500(F/A\ 12\%,2) \\ &\quad + \$2000(F/P\ 12\%,2) = \$743.48 \\ &= FV(12\%,2,-26667.3) - FV(12\%,2,-27500,2000) \\ &= \$743.48\end{aligned}$$

$$SV_{\text{large}} = \$0$$

Principle #8

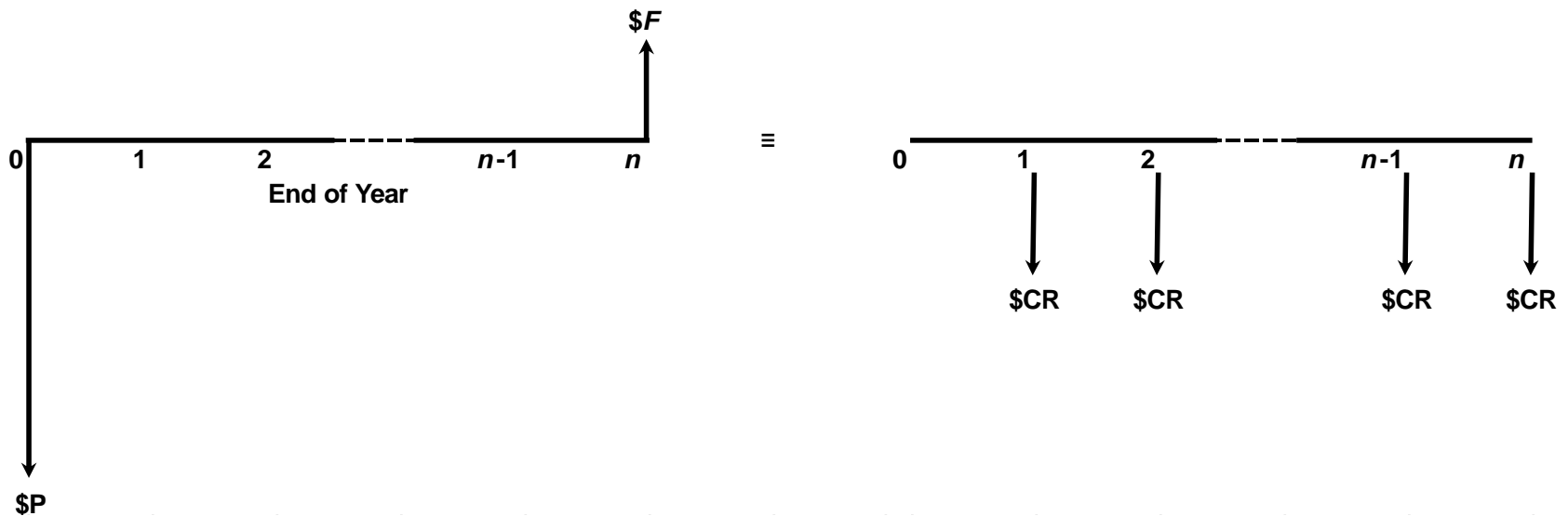
**Compare investment alternatives
over a common period of time**

Fundamentals of Engineering Examination

Even though you might not encounter a situation in your professional practice that requires the least common multiple of lives assumption to be used, it is very likely you will have problems of this type on the FE Exam. Therefore, you need to be familiar with how to solve such problems.

Specifically, on the FE Exam, *unless instructions are given to do otherwise*, calculate the annual worth for a life cycle of each alternative and recommend the one that has the greatest annual worth.

Capital Recovery Cost



CFD for Capital Recovery Cost (CR).

Capital Recovery Cost Formulas

$$CR = P(A|P i, n) - F(A|F i, n)$$

$$CR = (P-F)(A|F i, n) + P_i$$

$$CR = (P-F)(A|P i, n) + F_i$$

$$CR = \text{PMT}(i, n, -P, F)$$

Example

$$P = \$500,000 \quad F = \$50,000 \quad i = 10\% \quad n = 10 \text{ yrs}$$

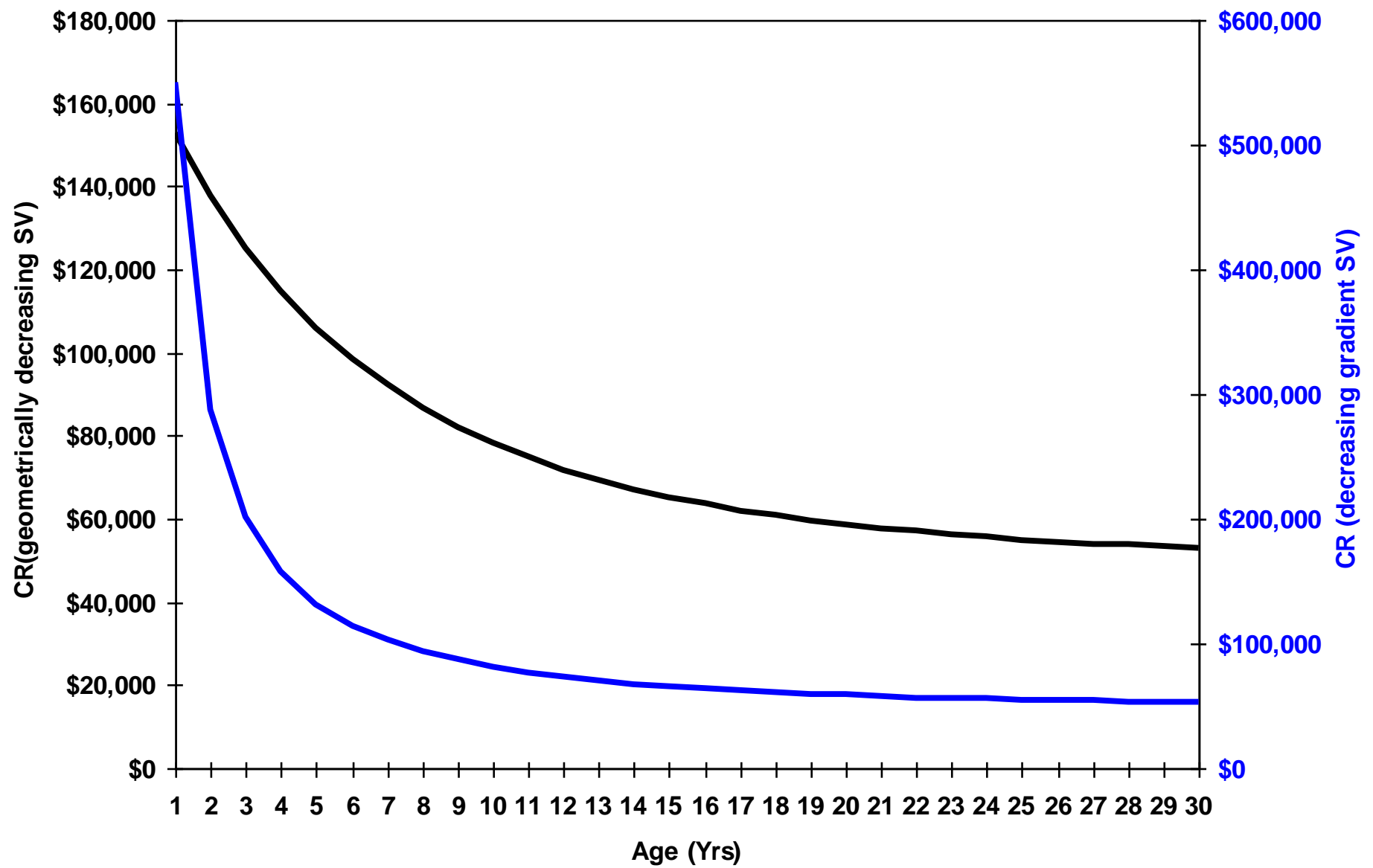
$$CR = \$500,000(0.16275) - \$50,000(0.06275) = \$78,237.50$$

$$CR = \$450,000(0.06275) + \$500,000(0.10) = \$78,237.50$$

$$CR = \$450,000(0.16275) + \$50,000(0.10) = \$78,237.50$$

$$CR = \text{PMT}(10\%, 10, -500000, 50000) = \$78,235.43$$

— Geometrically Decreasing Salvage Value — Decreasing Gradient Salvage Value



Pit Stop #7—No Time to Coast

1. True or False: Annual worth analysis is the most popular *DCF* measure of economic worth.
2. True or False: Unless non-monetary considerations dictate otherwise, choose the mutually exclusive investment alternative that has the greatest annual worth over the planning horizon.
3. True or False: The capital recovery cost is the uniform annual cost of the investment less the uniform annual worth of the salvage value.
4. True or False: If $AW > 0$, then $PW > 0$, and $FW > 0$.
5. True or False: If $AW(A) > AW(B)$, then $PW(A) > PW(B)$.
6. True or False: If $AW(A) < AW(B)$, then $AW(B-A) > 0$.
7. True or False: If $AW(A) > AW(B)$, then $CM(A) > CM(B)$ and $DPBP(A) < DPBP(B)$.
8. True or False: AW can be applied as either a ranking method or as an incremental method.
9. True or False: To compute capital recovery cost using Excel, enter $=PMT(i\%,n,-P,F)$ in any cell in a spreadsheet.
10. True or False: When using annual worth analysis with mutually exclusive alternatives having unequal lives, always use a planning horizon equal to the least common multiple of lives.

Pit Stop #7—No Time to Coast

1. True or False: Annual worth analysis is the most popular *DCF* measure of economic worth. **FALSE**
2. True or False: Unless non-monetary considerations dictate otherwise, choose the mutually exclusive investment alternative that has the greatest annual worth over the planning horizon. **TRUE**
3. True or False: The capital recovery cost is the uniform annual cost of the investment less the uniform annual worth of the salvage value. **TRUE**
4. True or False: If $AW > 0$, then $PW > 0$, and $FW > 0$. **TRUE**
5. True or False: If $AW(A) > AW(B)$, then $PW(A) > PW(B)$. **TRUE**
6. True or False: If $AW(A) < AW(B)$, then $AW(B-A) > 0$. **TRUE**
7. True or False: If $AW(A) > AW(B)$, then $CM(A) > CM(B)$ and $DPBP(A) < DPBP(B)$. **FALSE**
8. True or False: *AW* can be applied as either a ranking method or as an incremental method. **TRUE**
9. True or False: To compute capital recovery cost using Excel, enter $=PMT(i\%,n,-P,F)$ in any cell in a spreadsheet. **TRUE**
10. True or False: When using annual worth analysis with mutually exclusive alternatives having unequal lives, always use a planning horizon equal to the least common multiple of lives. **FALSE**