



CSC 220: Computer Organization

Unit 8 Registers and RTL

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Overview

- Registers Construction
 - Basic Registers
 - Shift Registers
- Bus Construction
- Register Transfer Language
 - Micro operations

Chapter-6

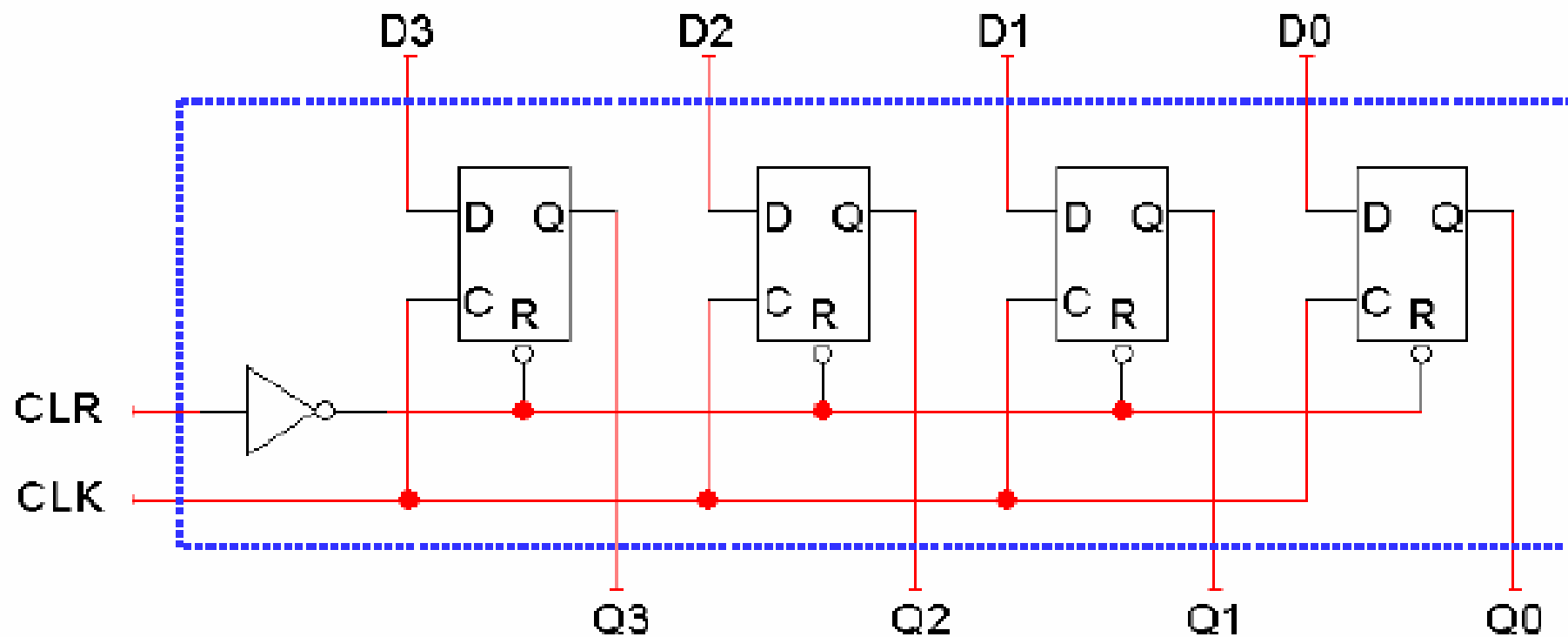
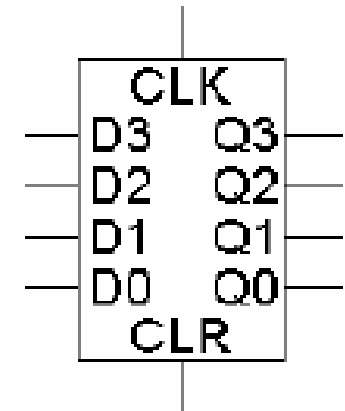
M. Morris Mano, Charles R. Kime and Tom Martin, **Logic and Computer Design Fundamentals**, Global (5th) Edition, Pearson Education Limited, 2016. ISBN: 9781292096124

Registers

- Flip-flops are limited because they can store only one bit.
 - We had to use two flip-flops for most of our examples so far.
 - Most computers work with integers and single-precision floating-point numbers that are 32-bits long.
- A **register** is an extension of a flip-flop that can store multiple bits.
- Registers are commonly used as temporary storage in a processor.
 - They are faster and more convenient than main memory.
 - More registers can help speed up complex calculations.
- Later we'll learn more about how registers are used in processors, and some of the differences between registers and random-access memories or **RAM**.

A basic register

- Basic registers are easy to build. We can store multiple bits just by putting a bunch of flip-flops together!
- A 4-bit register from LogicWorks, **Reg-4**, is on the right, and its internal implementation is below.
 - This register uses D flip-flops, so it's easy to store data without worrying about flip-flop input equations.
 - All the flip-flops share a common **CLK** and **CLR** signal.

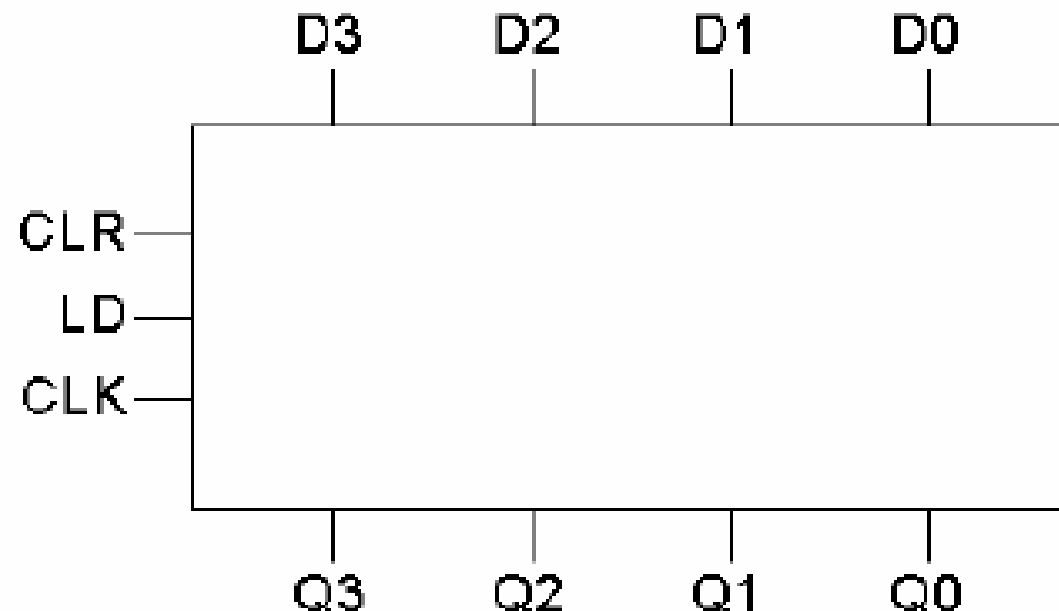


A Register with parallel load

Adding another operation

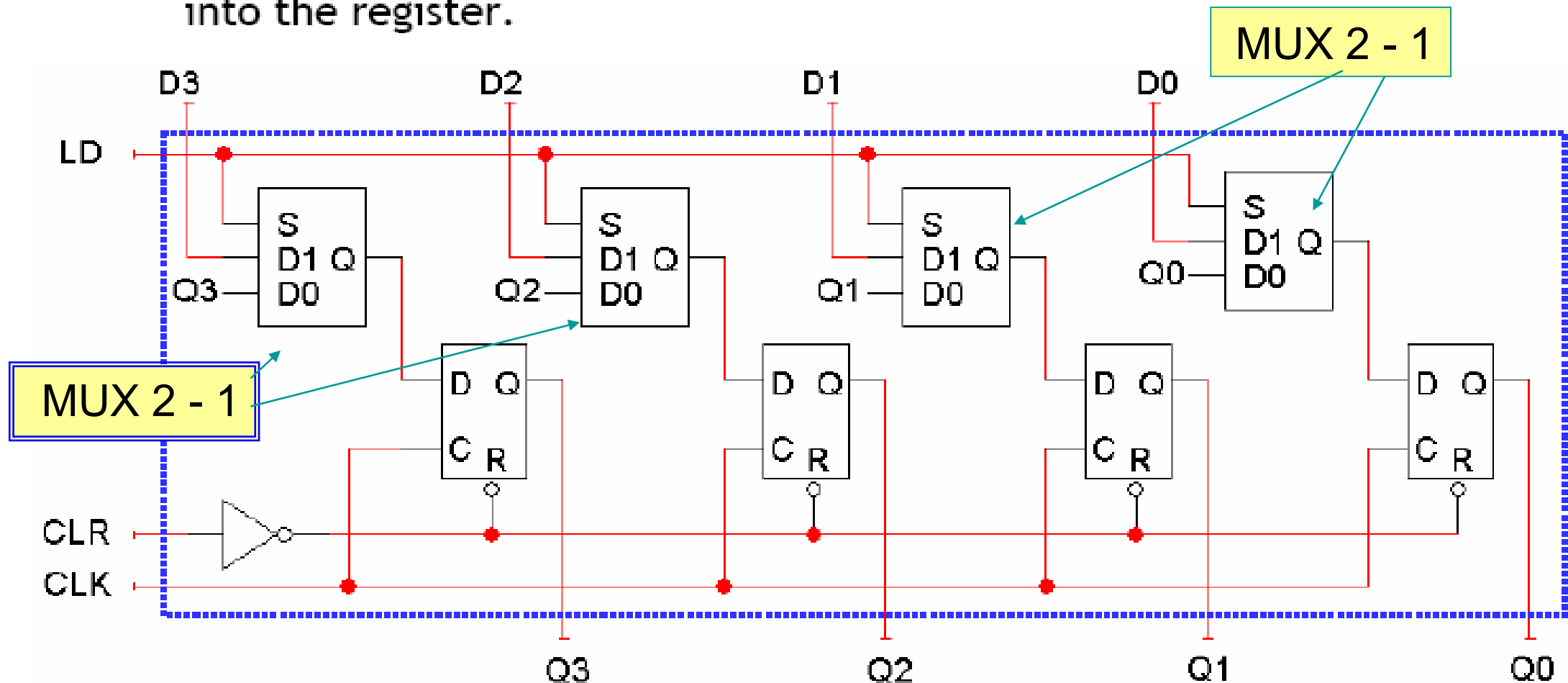
- The input **D3-D0** is copied to the output **Q3-Q0** on every clock cycle.
- How can we store the current value for more than one cycle?
- Let's try to add a load input signal LD to the register.
 - If **LD = 0**, the register keeps its current contents.
 - If **LD = 1**, the register stores a new value, taken from inputs D3-D0.

LD	Q(t+1)
0	Q(t)
1	D ₃ -D ₀



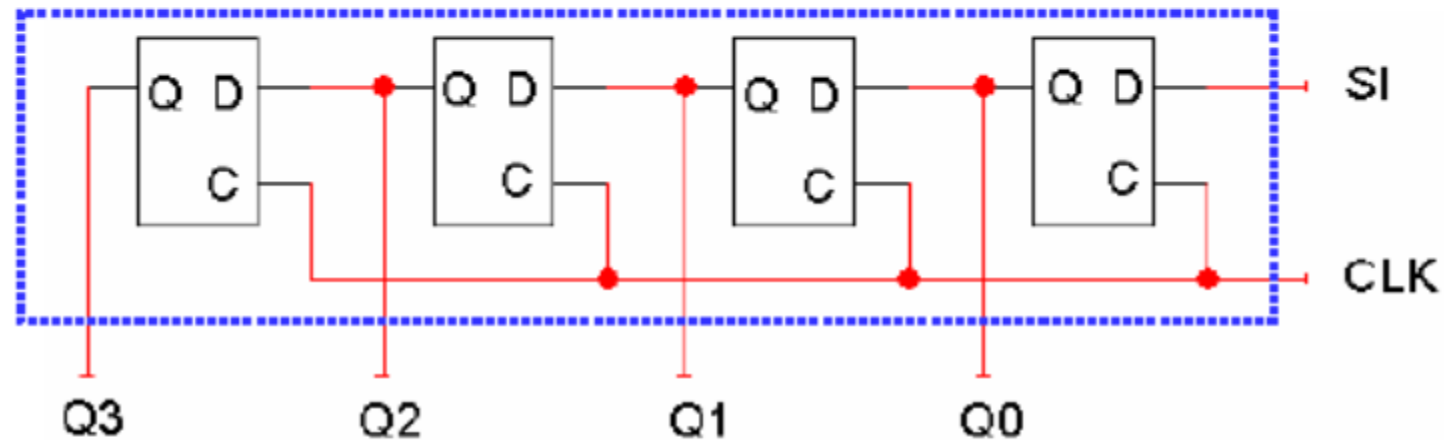
A better parallel load

- Another idea is to modify the flip-flop D inputs and not the clock signal.
 - When $LD = 0$ the flip-flop inputs are $Q3-Q0$, so each flip-flop keeps its current value.
 - When $LD = 1$ the flip-flop inputs are $D3-D0$, so this new value is loaded into the register.



Shift registers (Left Shift)

- A **shift register** "shifts" its output once every clock cycle. **SI** is an input that supplies a new bit to shift "into" the register.



$$\begin{aligned}Q0(t+1) &= SI \\Q1(t+1) &= Q0(t) \\Q2(t+1) &= Q1(t) \\Q3(t+1) &= Q2(t)\end{aligned}$$

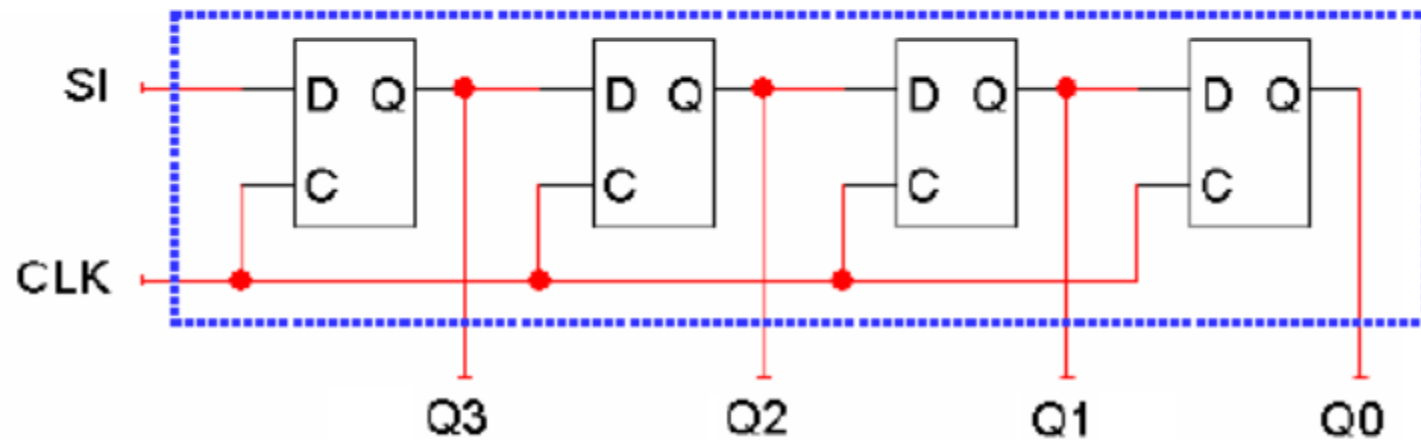
- Here is one example transition.

Present State Q3-Q0	Input SI	Next State Q3-Q0
0110	1	1101

- The current Q3 (0 in this example) will be lost on the next cycle.

Shift registers (Right Shift)

- A **shift register** “shifts” its output once every clock cycle. **SI** is an input that supplies a new bit to shift “into” the register.



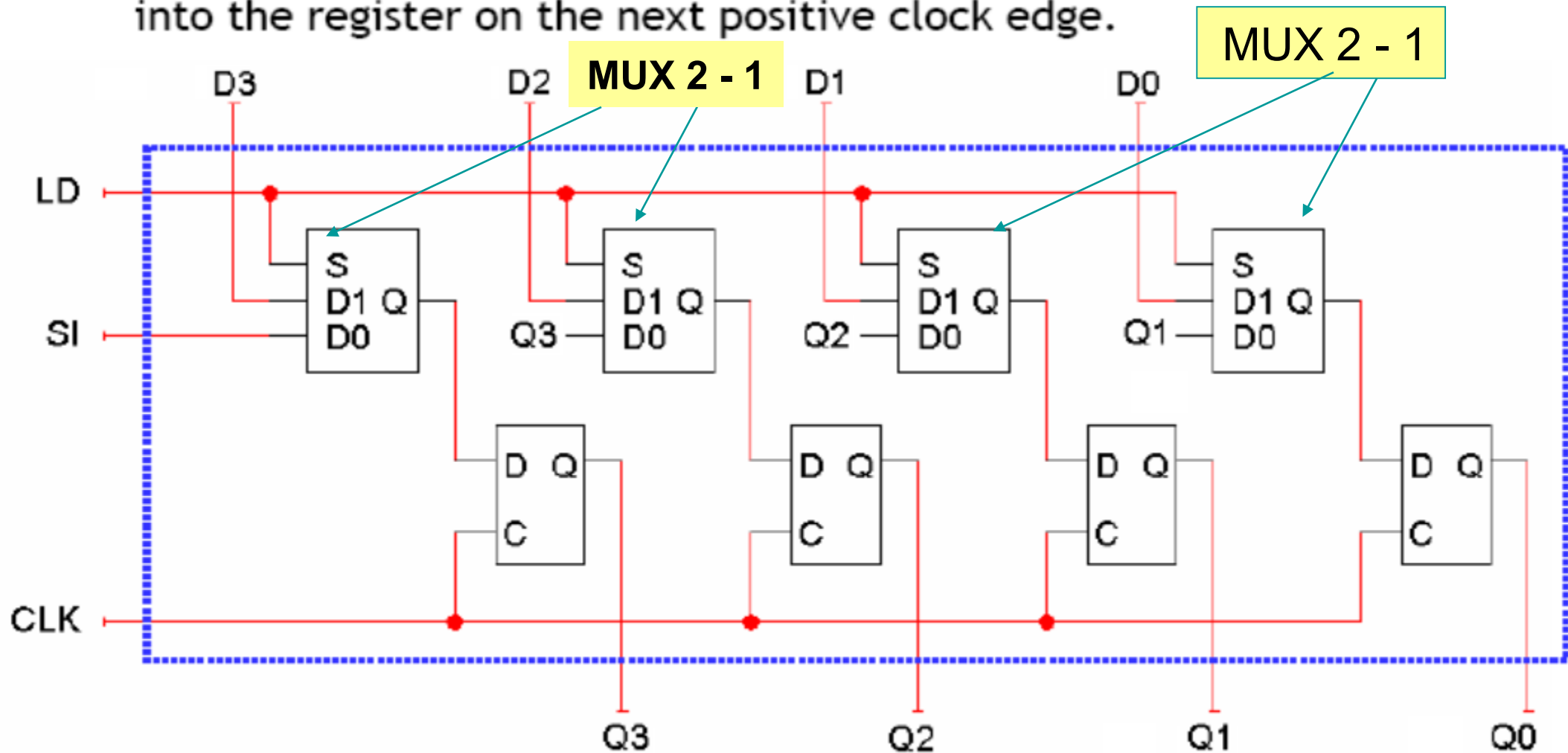
- Here is one example transition.

Present State Q3-Q0	Input SI	Next State Q3-Q0
0110	1	1011

- The current **Q0** (**0** in this example) will be lost on the next cycle.

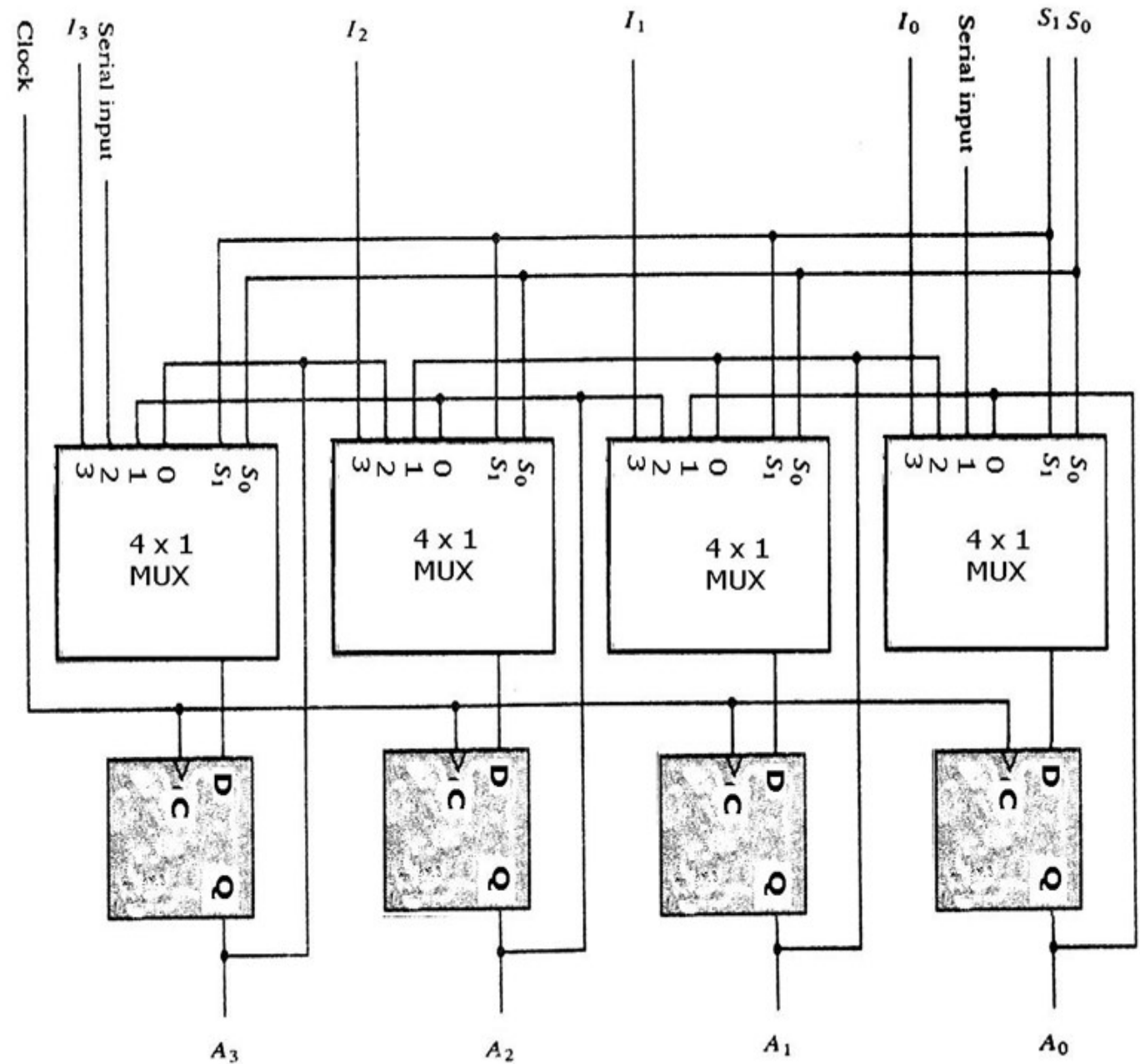
Shift registers with parallel load

- We can add a parallel load operation, just as we did for regular registers.
 - When $LD = 0$ the flip-flop inputs will be $SIQ_3Q_2Q_1$, so the register will shift on the next positive clock edge.
 - When $LD = 1$, the flip-flop inputs are D_0-D_3 , and a new value is loaded into the register on the next positive clock edge.



A Bidirectional Shift Register with parallel load

S1	S0	Operation
0	0	No change
0	1	Shift left
1	0	Shift right
1	1	Parallel load

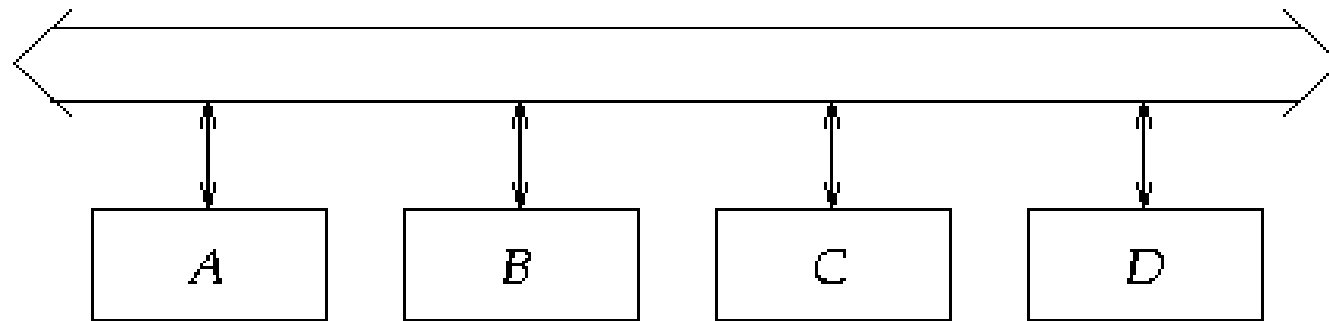


Other types of shift registers

- Logical shifts – Standard shifts like we just saw. In the absence of a SI input, 0 occupies the vacant position.
 - Left: 0110 -> 1100
 - Right: 0110 -> 0011
- Circular shifts (also called ring counters or rotates) – The shifted out bit wraps around to the vacant position.
 - Left: 1001 -> 0011
 - Right: 1001 -> 1100
- Switch-tail ring counter (aka Johnson counter) – Similar to the ring counter, but the serial input is the complement of the serial output.
 - Left: 1001 -> 0010
 - Right: 1001 -> 0100
- Arithmetical shifts – Left shifting is the same as a logical shift. Right shifting however maintains the MSB.
 - Left: 0110 -> 1100
 - Right: 0110 -> 0011; 1011 -> 1101

Bus-based Data transfers

- ◆ The computer need several registers
 - ◆ Bus is the Path for data transfer among registers
 - ◆ A bus consists of a set of parallel data lines



Multiplexer-based bus construction

Figure 4-3 Bus system for four registers.

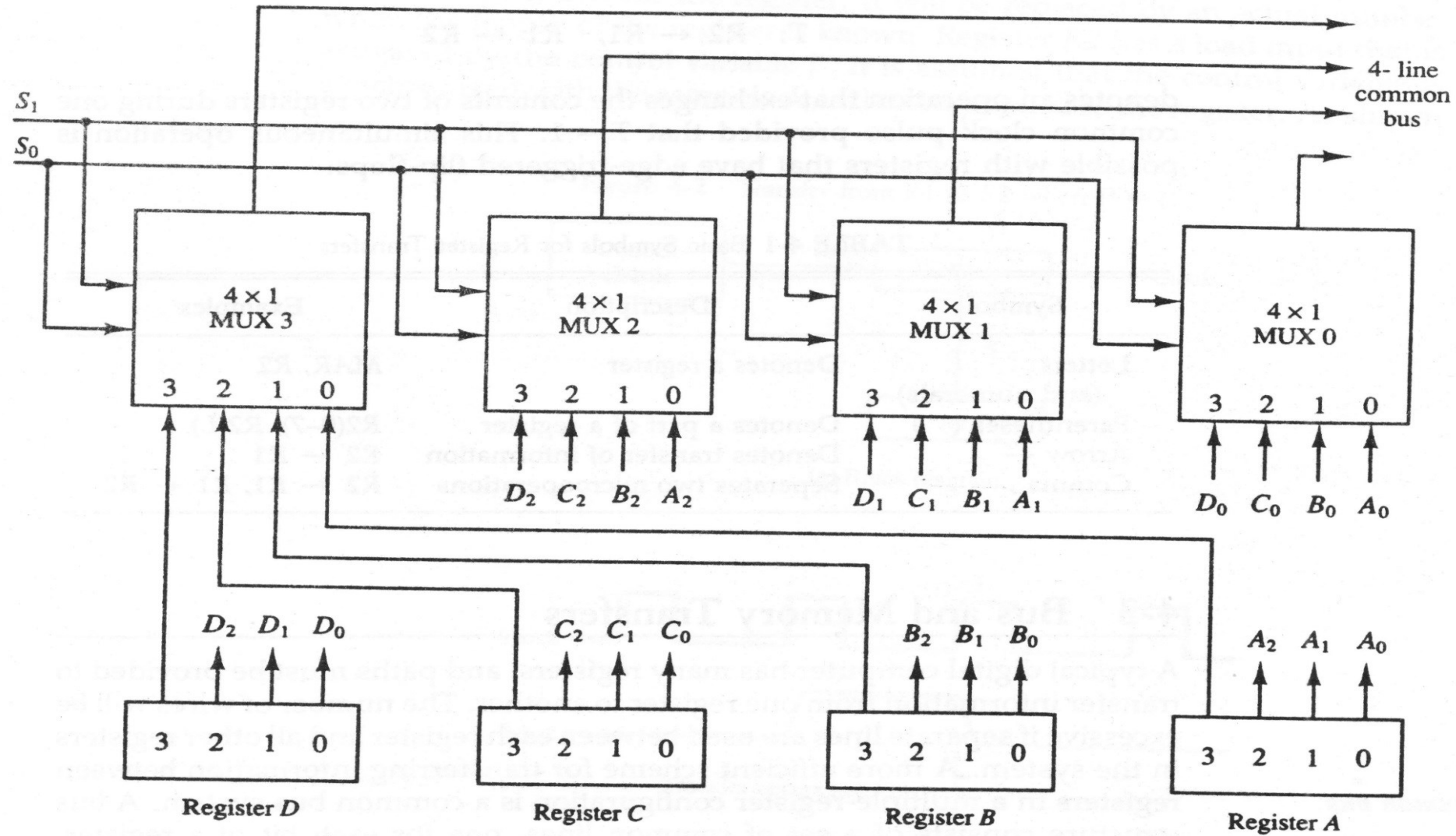
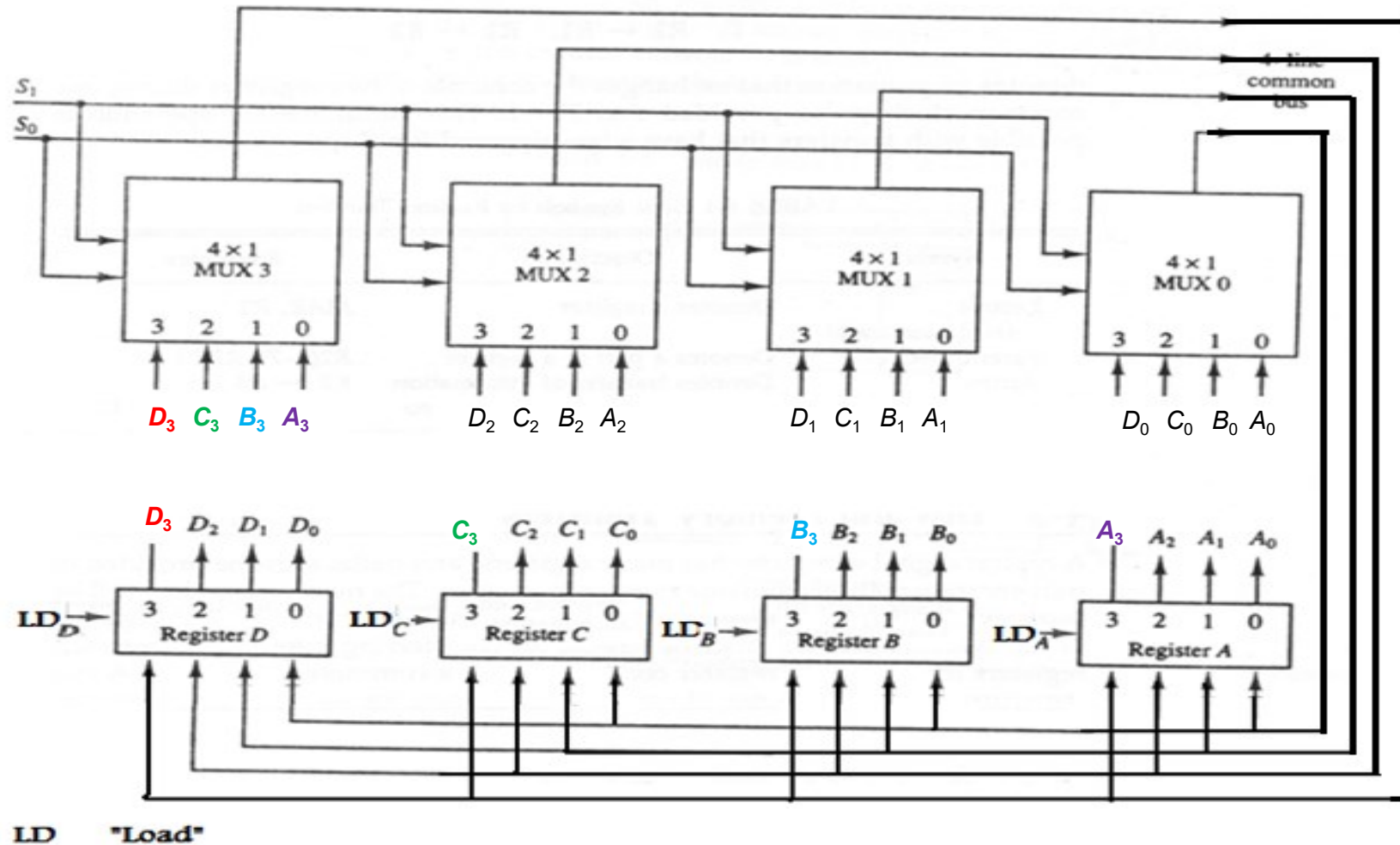


TABLE 4-2 Function Table for Bus of Fig. 4-3

S_1	S_0	Register selected
0	0	A
0	1	B
1	0	C
1	1	D

Bus-based transfers for multiple registers



To transfer data using a bus:

- ◆ connect the output of the source register to the bus;
- ◆ connect the input of the target register to the bus;
- ◆ when the clock pulse arrives, the transfer occurs

Examples: Bus-based transfers

S1	S0	LD _A	LD _B	LD _C	LD _D	Operation
0	0	0	1	0	0	Register B ← Register A
1	1	1	0	0	0	Register A ← Register D
0	0	0	1	1	0	Register B ← Register A; Register C ← Register A

Register Transfer Language

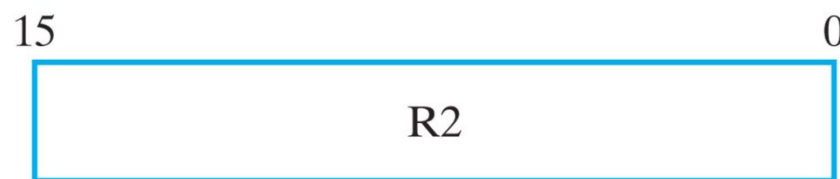
- **Micro operations** (micro-ops) are operations on data stored in registers
- **Register transfer language (RTL)** is a concise and precise means of describing those operations
- **RTL expressions** are made up of elements which describe the registers being manipulated, and the micro-ops being performed on them
- Registers are denoted by uppercase letters (sometimes followed by numbers) that indicate the function of the register
 - e.g. R0, R1, AR, PC, MAR, et al.
 - The individual bits can be denoted using parenthesis and bit numbers or labels
 - e.g. R0(0), R0(7:0), PC(L), PC(H)



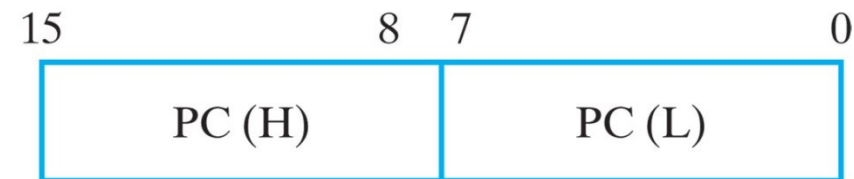
(a) Register R



(b) Individual bits of 8-bit register



(c) Numbering of 16-bit register



(d) Two-part 16-bit register

Register Transfer Language

□ **TABLE 6-1**
Basic Symbols for Register Transfers

Symbol	Description	Examples
Letters (and numerals)	Denotes a register	$AR, R2, DR, IR$
Parentheses	Denotes a part of a register	$R2(1), R2(7:0), AR(L)$
Arrow	Denotes transfer of data	$R1 \leftarrow R2$
Comma	Separates simultaneous transfers	$R1 \leftarrow R2, R2 \leftarrow R1$
Square brackets	Specifies an address for memory	$DR \leftarrow M[AR]$

Destination register \leftarrow **Source register**:

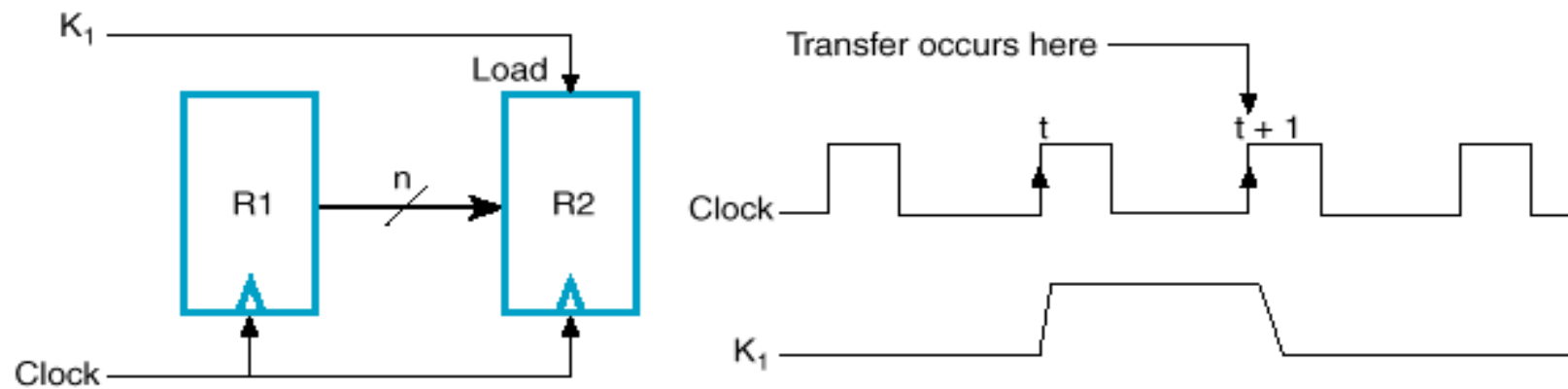
- Data in source register **does not change**
- **A datapath** are available from the outputs of the **source register** to the inputs of the **destination register**
- The destination register has a **parallel load** capability
- All RTL statements occur in response to a **clock tick**
- Normally we want a given transfer to occur not for every clock pulse, but only for specific values of the control signals

Register Transfer Language

- RTL conditional statements:
 - e.g. If ($K_1 = 1$) Then ($R_2 \leftarrow R_1$)

Control function notation (Colon, :)

- e.g. $K_1: R_2 \leftarrow R_1$



Register transfer operations

- We can apply **arithmetic operations** to registers.

$$\begin{aligned}R1 &\leftarrow R2 + R3 \\R3 &\leftarrow R1 - 1\end{aligned}$$

- **Every RTL statement** written in register-transfer notation presupposes a **hardware construct** for implementing the transfer.

□ **TABLE 6-3**
Arithmetic Microoperations

Symbolic Designation	Description
$R0 \leftarrow R1 + R2$	Contents of $R1$ plus $R2$ transferred to $R0$
$R2 \leftarrow \overline{R2}$	Complement of the contents of $R2$ (1s complement)
$R2 \leftarrow \overline{R2} + 1$	2s complement of the contents of $R2$
$R0 \leftarrow R1 + \overline{R2} + 1$	$R1$ plus 2s complement of $R2$ transferred to $R0$ (subtraction)
$R1 \leftarrow R1 + 1$	Increment the contents of $R1$ (count up)
$R1 \leftarrow R1 - 1$	Decrement the contents of $R1$ (count down)

Register Transfer Language

Bitwise operations:

- Most computers also support logical operations like AND, OR and NOT, but extended to multi-bit **words** instead of just single bits.
- To apply a logical operation to two words X and Y, apply the operation on each pair of bits X_i and Y_i :

$$\begin{array}{r} \phantom{\text{AND}} 1011 \\ \text{AND } 1110 \\ \hline 1010 \end{array}$$

$$\begin{array}{r} \phantom{\text{OR}} 1011 \\ \text{OR } 1110 \\ \hline 1111 \end{array}$$

$$\begin{array}{r} \phantom{\text{XOR}} 1011 \\ \text{XOR } 1110 \\ \hline 0101 \end{array}$$

- Single operand logical operation: “complementing” all the bits in a number. $\begin{array}{r} \text{NOT } 1011 \\ \hline 0100 \end{array}$

TABLE 6-4
Logic Microoperations

Symbolic Designation	Description
$R0 \leftarrow \overline{R1}$	Logical bitwise NOT (1s complement)
$R0 \leftarrow R1 \wedge R2$	Logical bitwise AND (clears bits)
$R0 \leftarrow R1 \vee R2$	Logical bitwise OR (sets bits)
$R0 \leftarrow R1 \oplus R2$	Logical bitwise XOR (complements bits)

Register Transfer Language

Bitwise operations in programming

- Languages like C, C++ and Java provide bitwise logical operations:

$\&$ (AND) $|$ (OR) \wedge (XOR) \sim (NOT)

- These operations treat each integer as a bunch of individual bits:

$13 \& 25 = 9$ because $01101 \& 11001 = 01001$

- They are *not* the same as the operators $\&\&$, $\|\|$ and $!$, which treat each integer as a single logical value (0 is false, everything else is true):

$13 \&\& 25 = 1$ because $\text{true} \&\& \text{true} = \text{true}$

- Bitwise operators are often used in programs to set a bunch of Boolean options, or flags, with one argument.
- Easy to represent sets of fixed universe size with bits:
 - 1: is member, 0 not a member. Unions: OR, Intersections: AND

Register transfer operations

- Finally, we can **shift** values left or right by one bit. The source register is not modified, and we assume that the shift input is always 0.

□ **TABLE 6-5**
Examples of Shifts

Type	Symbolic Designation	Eight-Bit Examples	
		Source <i>R2</i>	After Shift: Destination <i>R1</i>
Shift left	$R1 \leftarrow sl R2$	10011110	00111100
Shift right	$R1 \leftarrow sr R2$	11100101	01110010